

# Experiments with High-Energy Radioactive Beams



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RIKEN Wako Campus  
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# Experiments with High-Energy Radioactive Beams

- **Introduction: Physics, Experiments, Production**
- **At and beyond the drip line: knockout reactions**
- **Dipole excitations of neutron-rich nuclei**
  - Coulomb breakup of halo nuclei
  - Giant and Pygmy collective excitations
- **Future Developments: Experimental Program at FAIR**



# Physics of exotic nuclei

## Proton - rich nuclei $N = Z$ symmetry

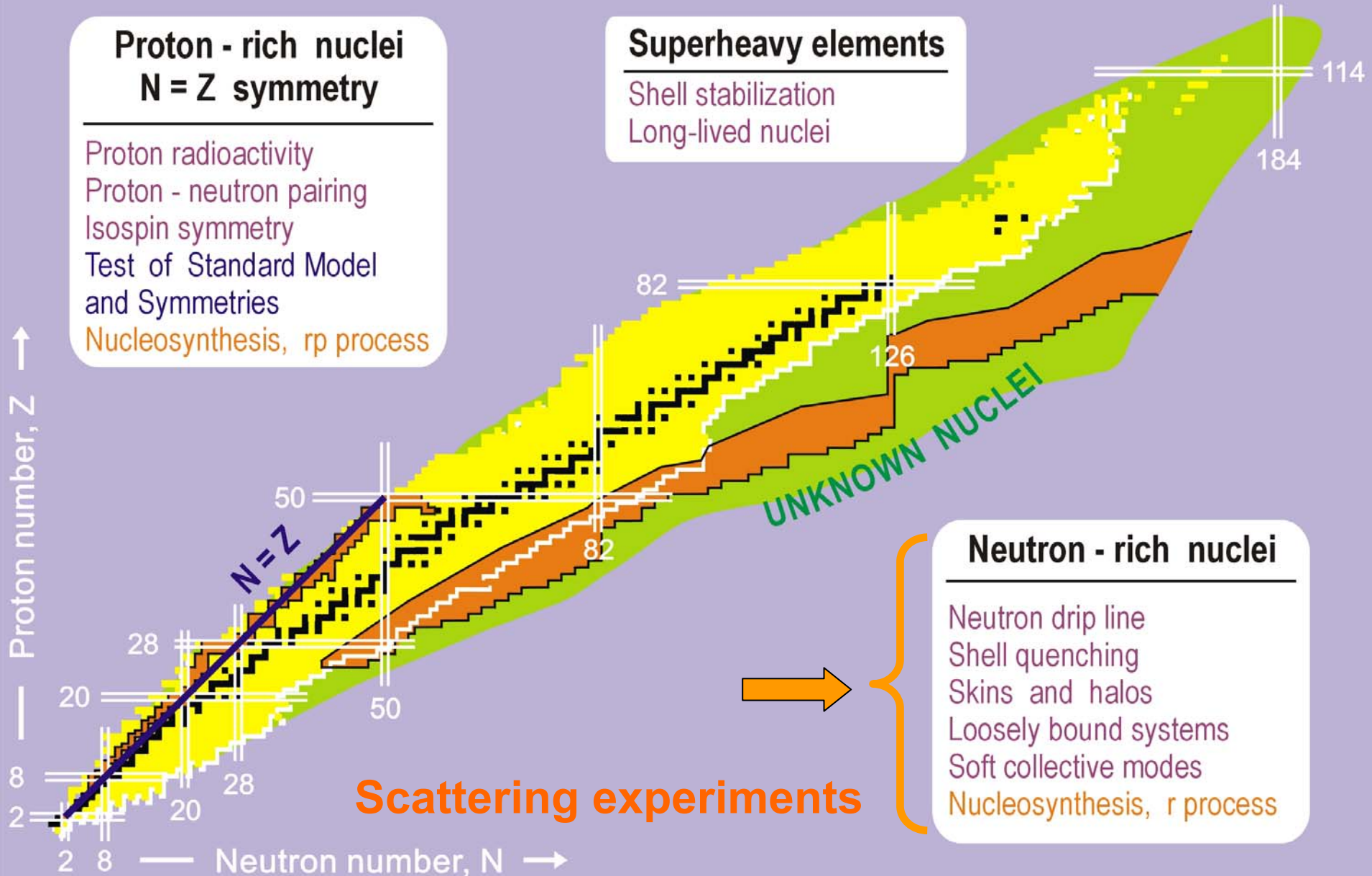
Proton radioactivity  
Proton - neutron pairing  
Isospin symmetry  
Test of Standard Model  
and Symmetries  
Nucleosynthesis, rp process

## Superheavy elements

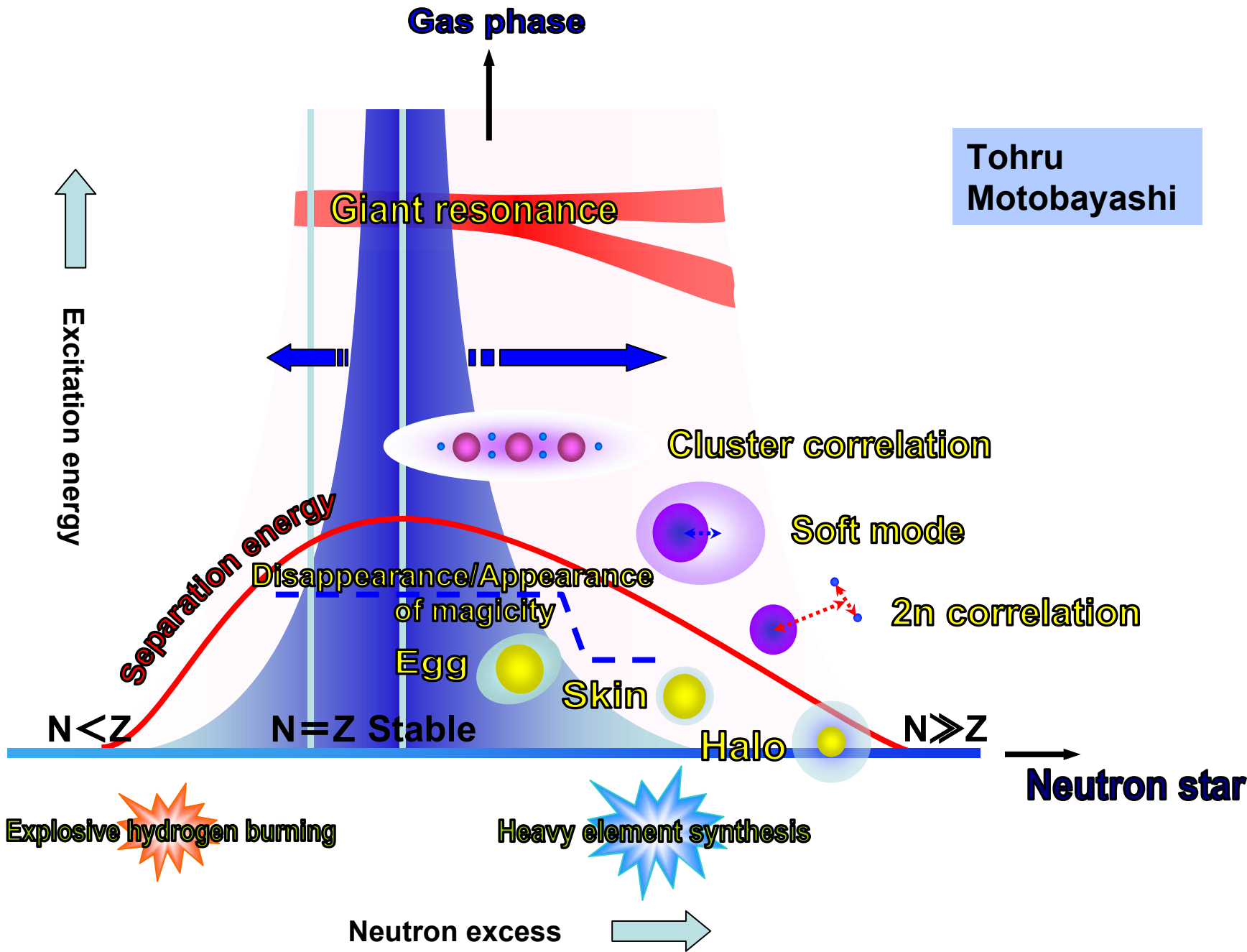
Shell stabilization  
Long-lived nuclei

## Neutron - rich nuclei

Neutron drip line  
Shell quenching  
Skins and halos  
Loosely bound systems  
Soft collective modes  
Nucleosynthesis, r process



Tohru  
Motobayashi

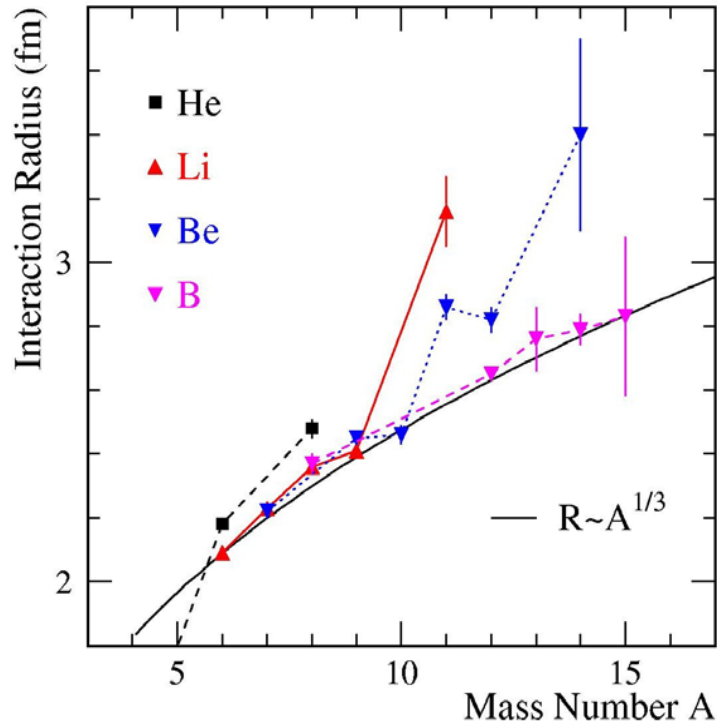




# First reaction experiments with relativistic radioactive beams: Discovery of the halo nuclei

## Total reaction cross sections

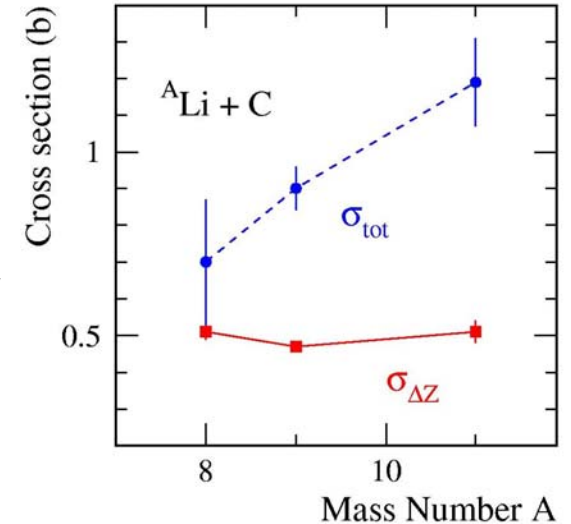
→ Interaction radii



Bevalac@LBL, I. Tanihata et al.,  
PRL 55 (1985) 2676, PLB 206 (1988) 592

## Cross sections for charge-changing reactions: $\Delta Z > 0$

SATURNE@Saclay  
B. Blank et al.,  
Z.Phys. A 343  
(1992) 375



## Quadrupole moment

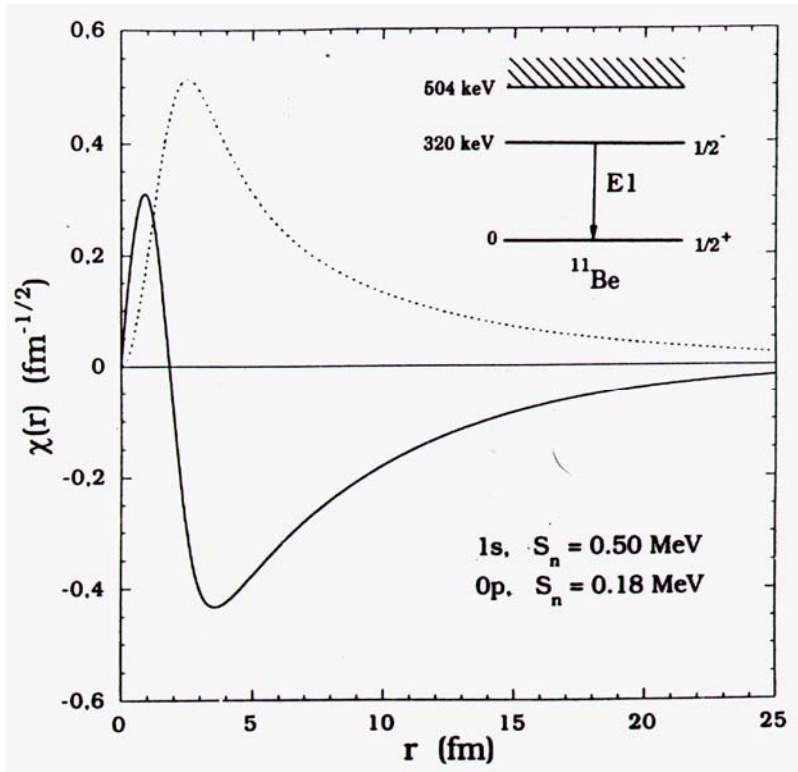
$$Q(^{11}\text{Li}) \approx Q(^9\text{Li})$$

ISOLDE@CERN,  
E. Arnold et al., Phys.  
Lett. B 281 (1992) 16

⇒ Spatially extended neutron-density distribution (Halo)

first theoretical interpretation: G. Hansen and B. Jonson,  
Europhys. Lett. 4 (1987) 409

# The first experimental hint ?: The $^{11}\text{Be}$ neutron halo



## E1 transition in $^{11}\text{Be}$

Millener et al., Phys. Rev. C 28 (1983) 497:

Lifetime  $\tau = 166(15)$  fs

fastest known E1  
transition between  
bound states

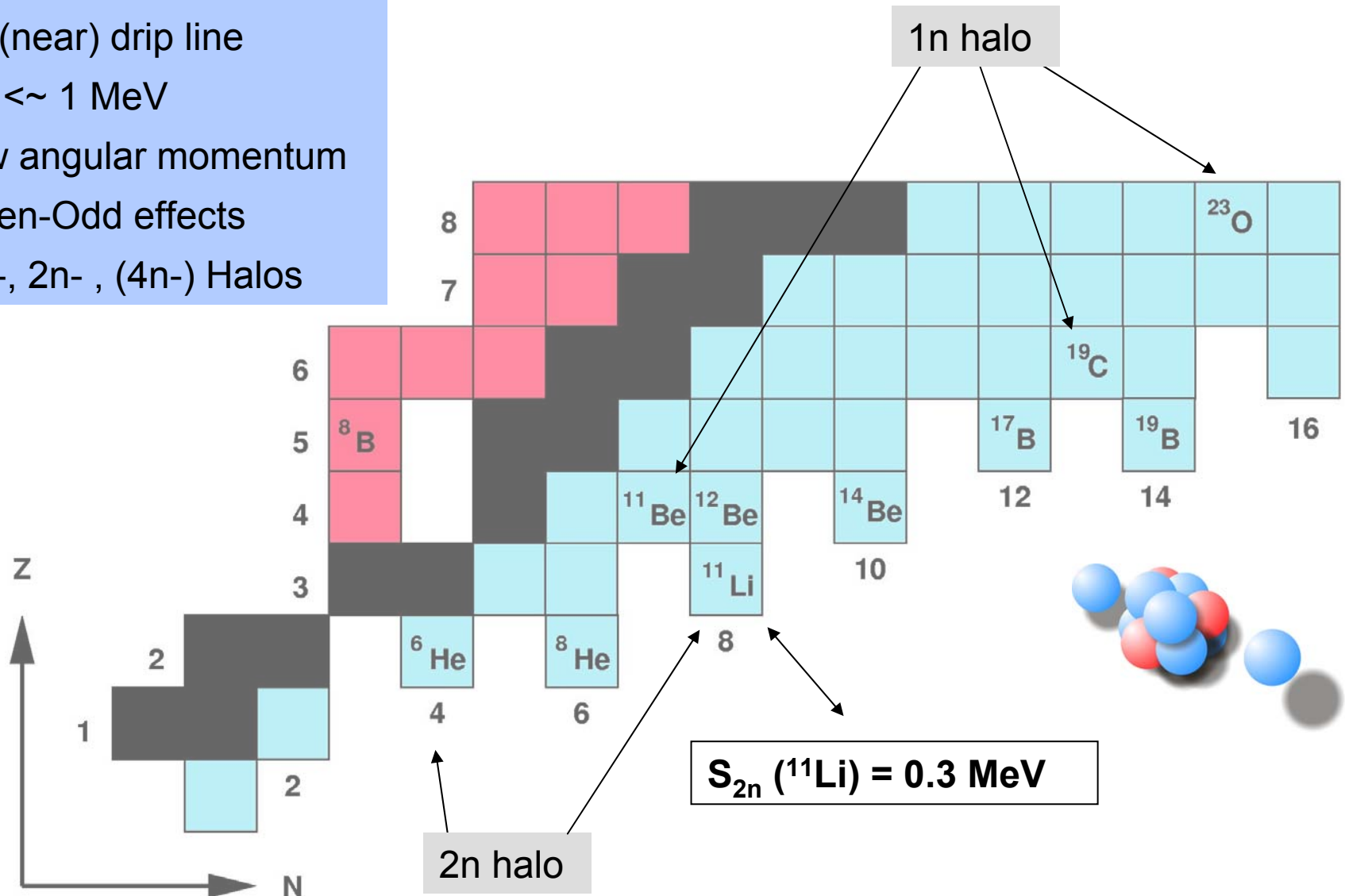
Hansen, Jensen, Jonson,

Annu. Rev. Nucl. Part. Sci. 45 (1995) 591

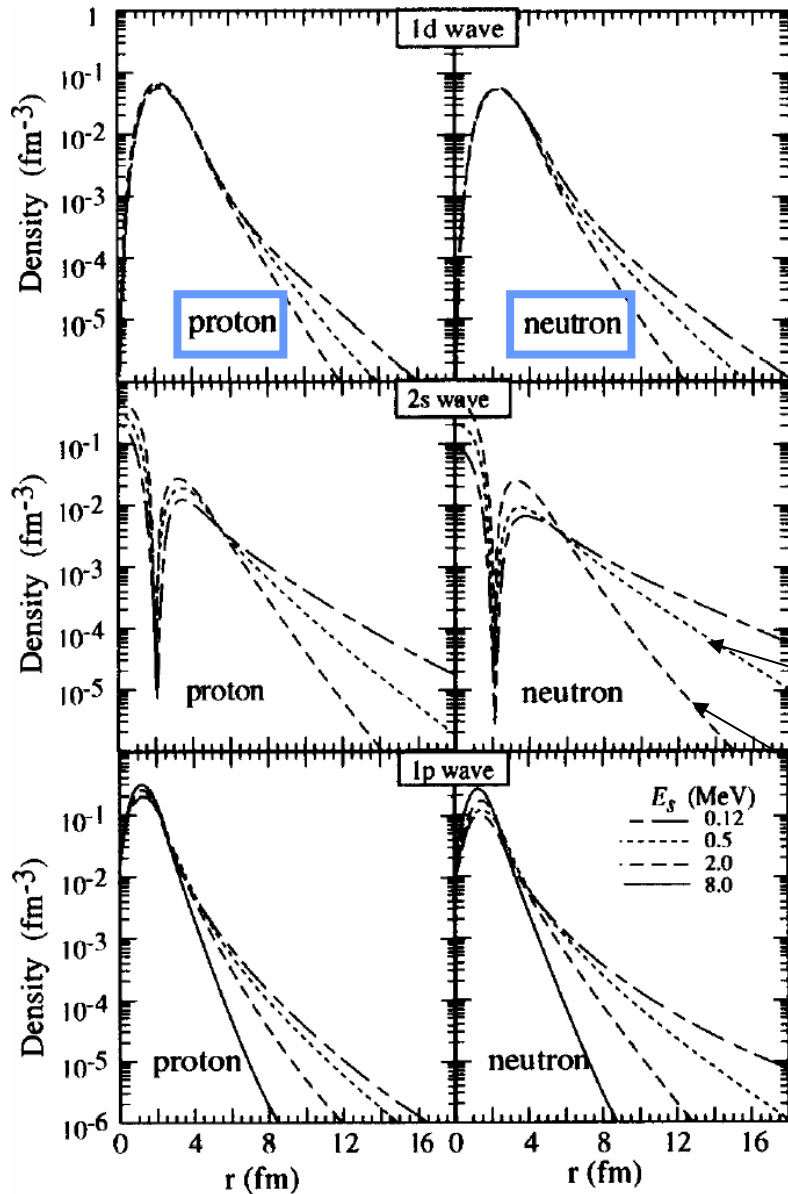
# A new phenomenon at the neutron drip line: Halo nuclei

## Neutron halo nuclei :

- At (near) drip line
- $S_n < \sim 1$  MeV
- low angular momentum
- Even-Odd effects
- 1n-, 2n- , (4n-) Halos



# Single-particle density distributions



$l=2$

dependence on

- separation energy  $S_n$
- angular momentum  $l$
- charge

$l=0$

asymptotic decay of the wave function for  $l=0$ :

$$\chi(r) = \exp(-\kappa r)$$

with

$$\kappa = \sqrt{2\mu S_n} / \hbar$$

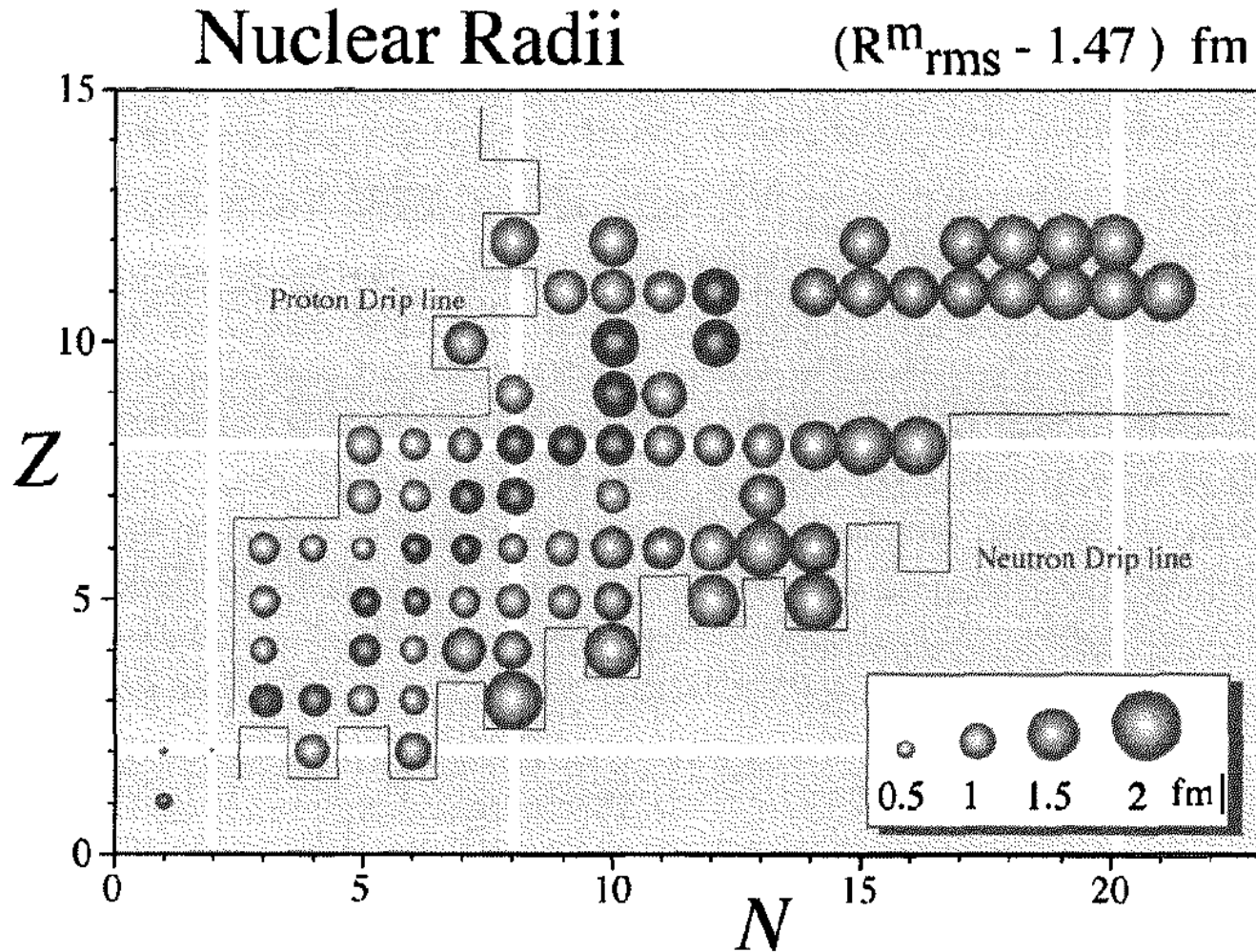
$S_n = 0.5 \text{ MeV}$

$S_n = 8.0 \text{ MeV}$

$l=1$

Wave functions calculated for a Woods-Saxon potential ( $Z=4, N=3$ )

Matter Radii  
extracted from total interaction cross section measurements

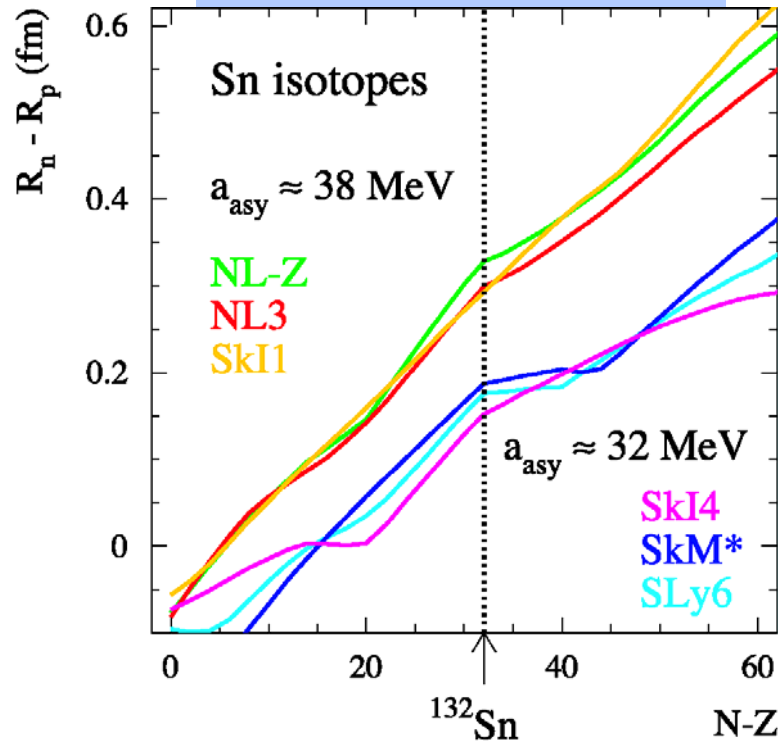


~~$R \sim A^{1/3}$~~



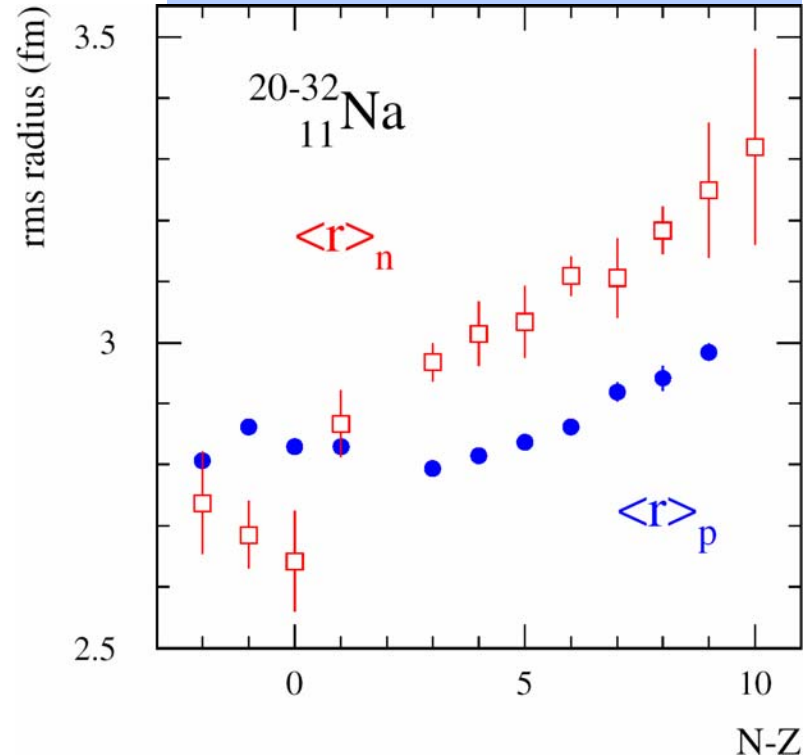
# Appearance of a neutron skin in neutron-rich nuclei

## Theoretical prediction



Relativistic (NL) and non-relativistic (Skyrme Sk, SL) mean-field calculations  
P.G. Reinhard, priv. comm.

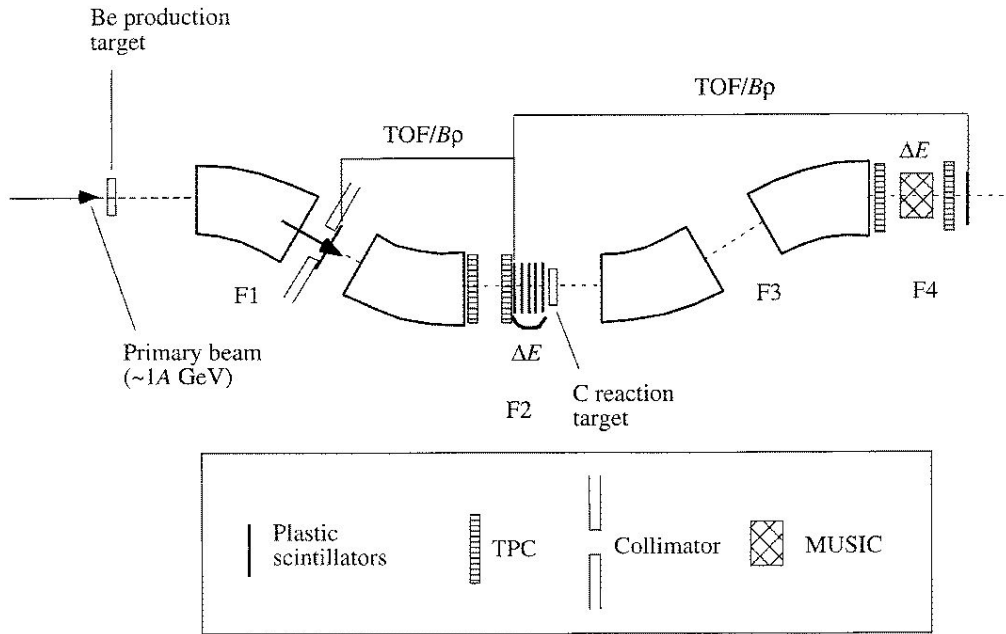
## First experimental evidence



Interaction cross section measurement (GSI) plus  
Isotope shift measurements (ISOLDE)  
T.Suzuki et al., Phys. Rev. Lett. 75 (1995) 3241

Other experimental techniques: IV GDR (isoscalar probe), Spin-dipole resonance (rel. n-skin), **Pygmy dipole**, anti-proton scattering, e- plus p elastic scattering

# Total absorption measurements



A. Ozawa et al., Nucl. Phys. A 693 (2001) 32

Black disc model:

$$\sigma = \pi [R_1(p) + R_1(t)]^2$$

→ interaction radius  $R_1$

rms matter radius

$$\sigma = \int 2\pi b db [1-T(b)]$$

transmission function  $T(b)$

Glauber:

$$T(b) = \exp\{-\sigma_{NN} \int dz \int d^3r \rho_p(\mathbf{r})\rho_t(\mathbf{R}-\mathbf{r})\}$$

free N-N cross section  $\sigma_{NN}$ ,  $\mathbf{R}=(\mathbf{b},z)$

density distribution  $\rho(r)$

e.g. 2pF:  $\rho(r) = \rho_0 [1+\exp\{(r-R_0)/a\}]^{-1}$

half density radius  $R_0$ , diffuseness  $a$

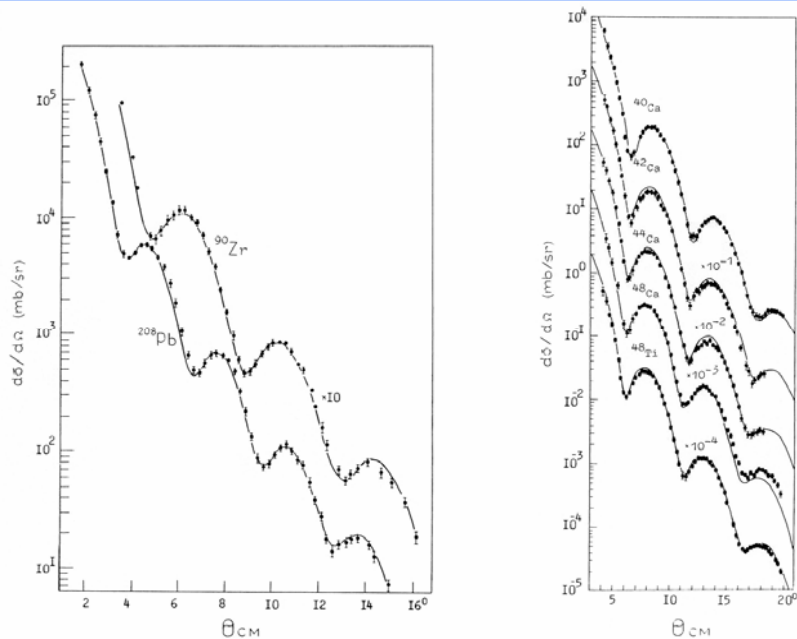
Problem: one measured quantity,  
two parameters  
(target dependence, energy  
dependence)

Method applicable down to intensities of 1 ion/s !!!

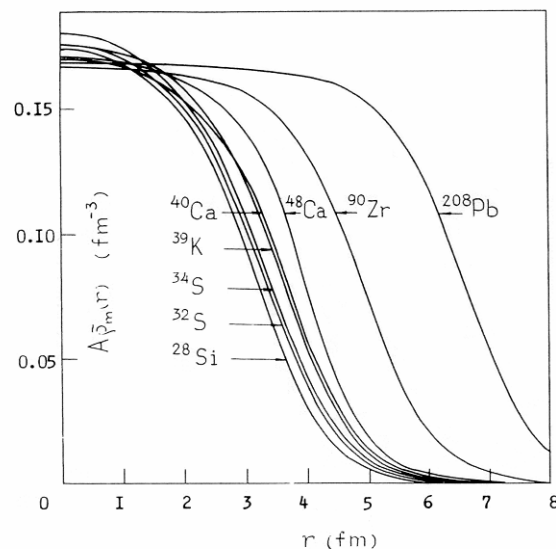
# Elastic proton scattering at high energies ( $\sim 1$ GeV)

well established method to investigate nuclear matter distributions of stable nuclei  
(see, e.g., G. Alkhazov et al., Phys. Rep. 42 (1978) 89)

## measured differential cross section



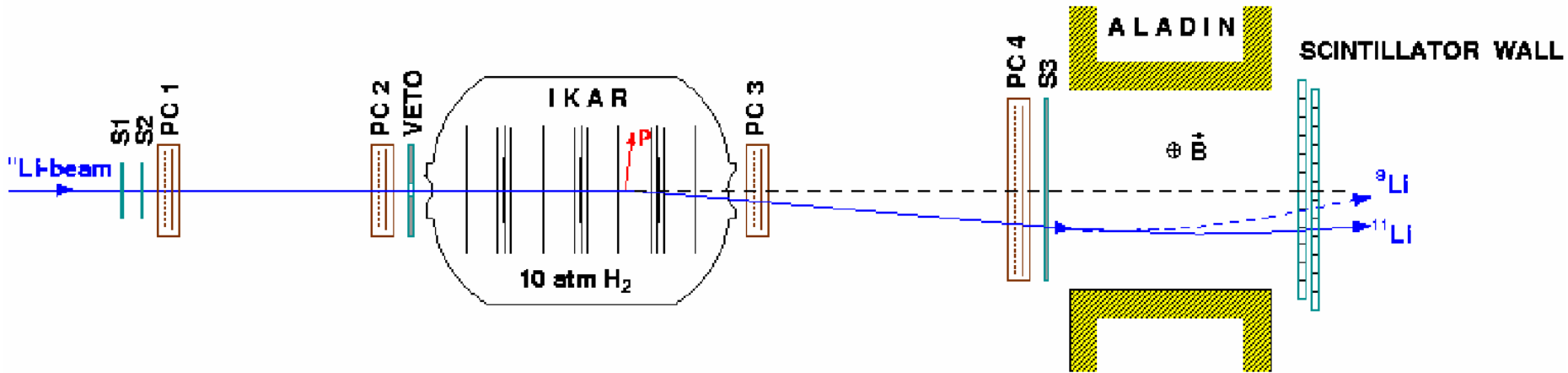
## deduced matter distribution



application to exotic nuclei:

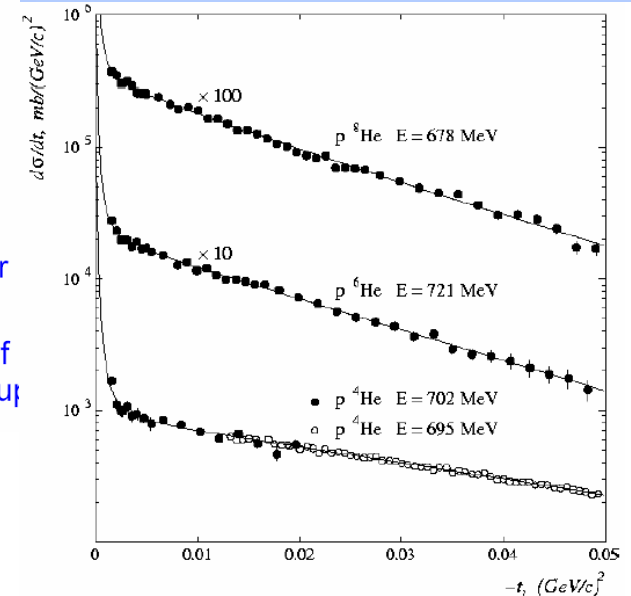
- scattering of radioactive beams off protons ('inverse kinematics')
- high-energy radioactive beam ( $\sim \text{GeV/nucleon}$ )
- measurement of low-energy recoil (target-) proton

# Elastic proton scattering on neutron-rich He and Li isotopes: The S105 IKAR experiment at GSI



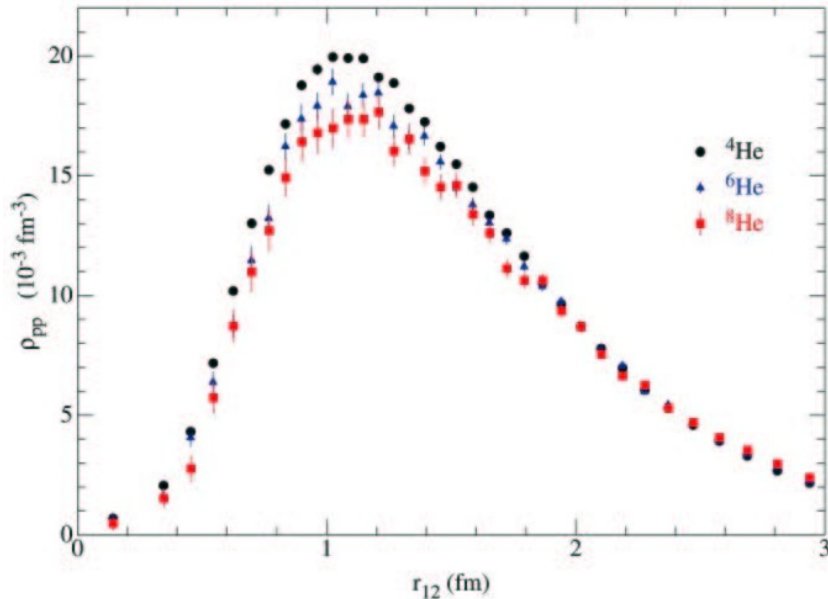
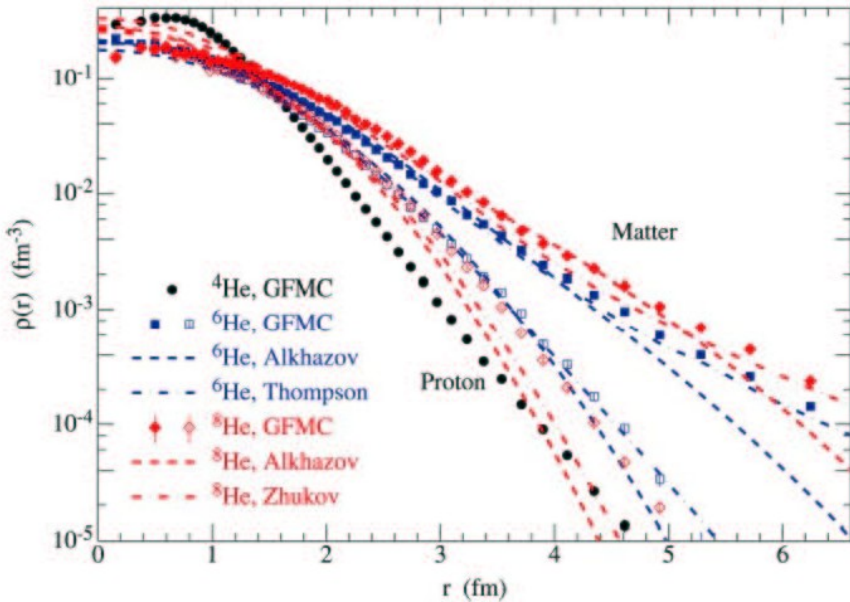
- target + recoil detector: IKAR  $\Rightarrow T_R, \theta_R, Z_V$
- trajectory-reconstruction: PC 1-4 (Multiwire proportional chambers)  $\Rightarrow \theta_s$
- beam identification: S 1-3, Veto (plastic scintillators)  $\Rightarrow \Delta E, \text{TOF}, \text{trigger}$
- ALADIN-magnet + position sensitive scintillator wall  $\Rightarrow$  discrimination of projectile breakup

measured differential cross section



# Ab Initio Calculations for n-rich He isotopes

Green's Function Monte Carlo calculations



⇒ Neutron Halo for  $^6\text{He}$  and  $^8\text{He}$

Matter density distribution  
in agreement with  
proton elastic scattering data

Proton-proton distribution  
function changes only slightly in  
 $^6,^8\text{He}$  compared to  $\alpha$  particle

⇒ Cluster structure

$^6\text{He}$ :  $\alpha + 2n$  (3-body models)

$^8\text{He}$ :  $\alpha + 4n$



# Halo Nuclei - Basic Properties - Key Observables

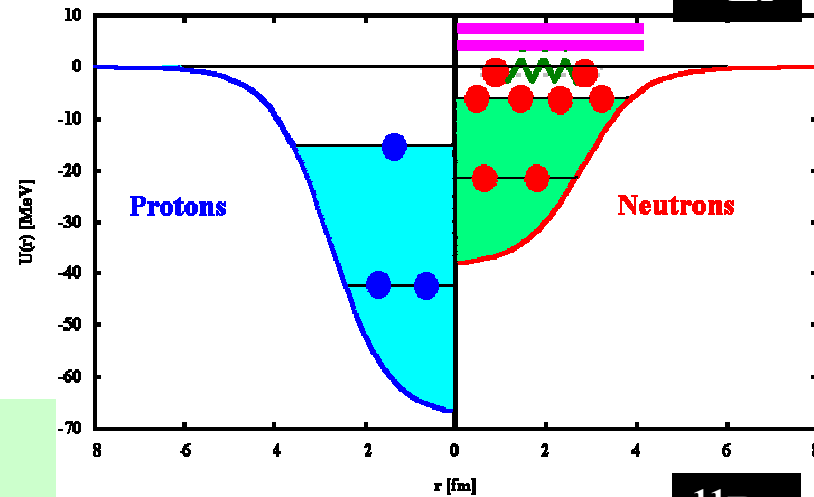
- Symmetry-Energy  $\sim (N-Z)^2/A^2$
- $\epsilon_f \rightarrow 0$  : neutron leaks into classically forbidden region
- orbitals of low angular momentum



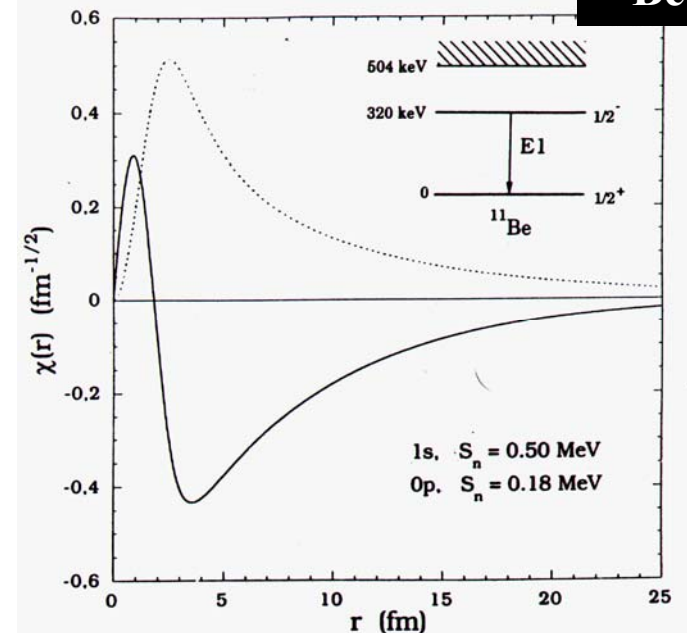
- Large radii and dilute surface
- Low-momentum components
- Bound-state and continuum sector not well separated (very few bound states)
- Pairing / Clusterisation in low-density medium ?
- Decoupling of valence nucleons and core
- Reduced Spin-Orbit splitting ( $\sim 1/r \, dV/dr$ )

- Single-Particle Structure ?
- Excitation Modes ?
- Specific Reaction Mechanisms ?
- ...

Proton and Neutron Mean-Field Potentials  
11-Li



<sup>11</sup>Li



<sup>11</sup>Be

1s,  $S_n = 0.50$  MeV  
Op,  $S_n = 0.18$  MeV

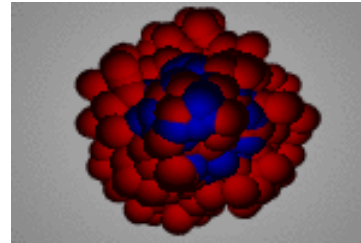
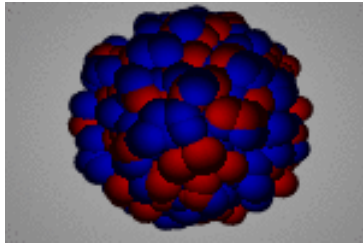
# The collective response of the nucleus: Giant Resonances

## Electric giant resonances

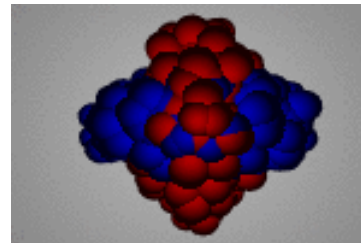
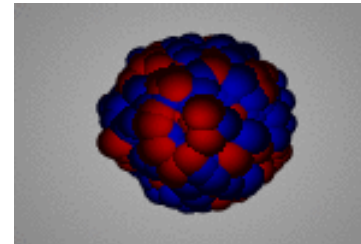
Isoscalar

Isovector

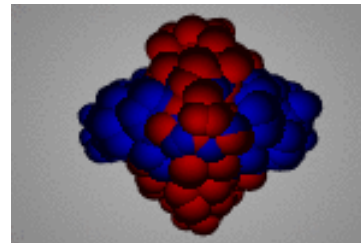
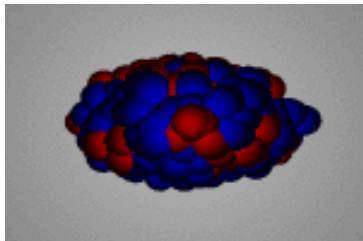
Monopole  
(GMR)



Dipole  
(GDR)

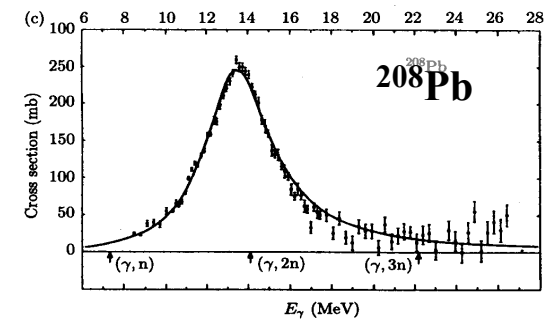
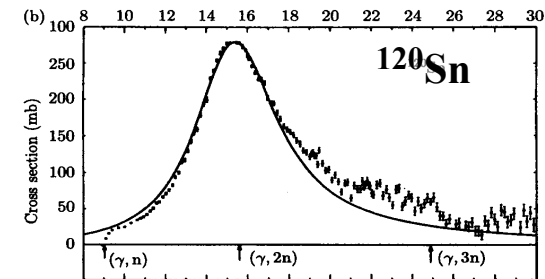
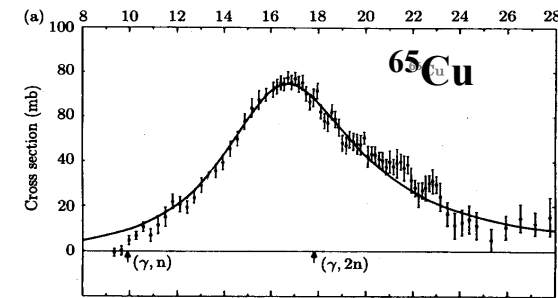


Quadrupole  
(GQR)



## Photo-neutron cross sections

Berman and Fulz, Rev. Mod. Phys. 47 (1975) 47

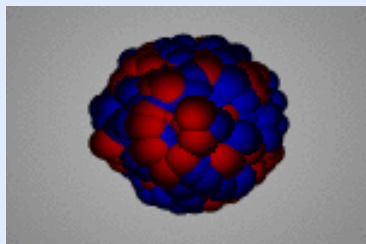
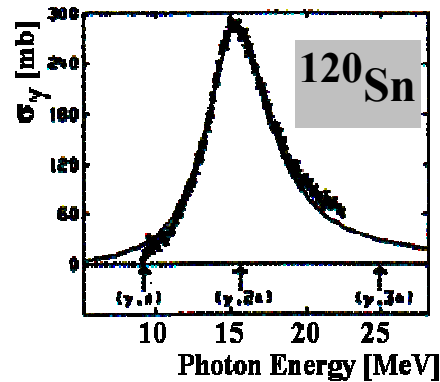


# The dipole response of neutron-rich nuclei

## Stable nuclei:

100% of the E1 strength absorbed into the

**Giant Dipole Resonance (GDR)**



## Neutron-Proton asymmetric nuclei: low-lying dipole strength

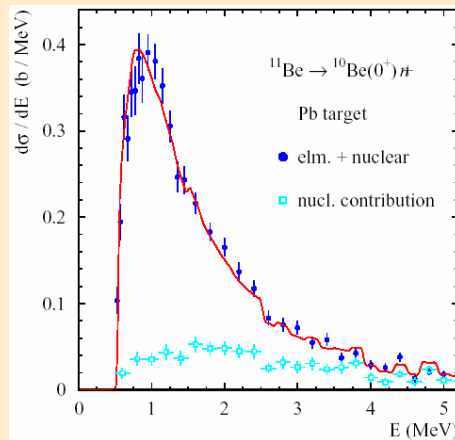
! threshold strength

! strong fragmentation

? new collective soft dipole mode (Pygmy resonance)

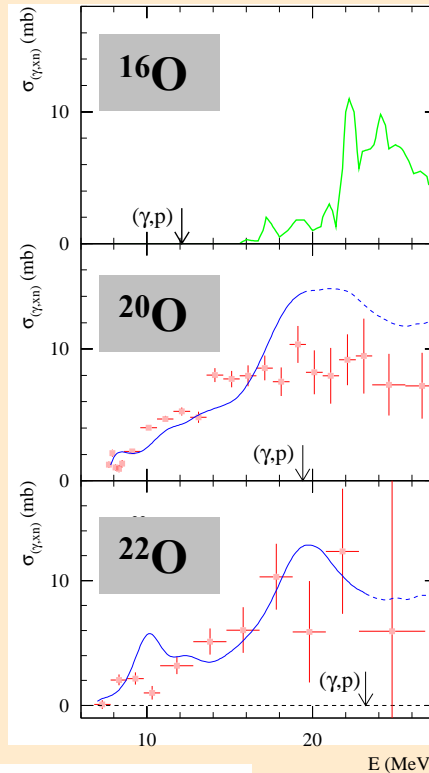
non-resonant transitions

The one-neutron Halo <sup>11</sup>Be

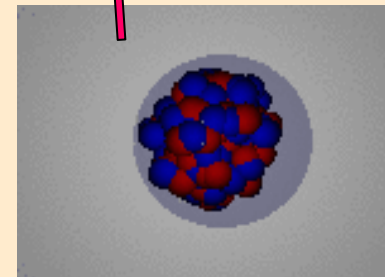
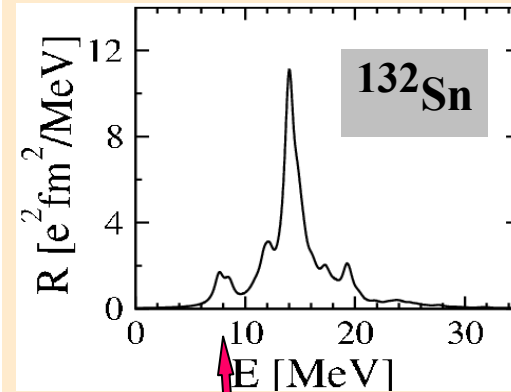


spectroscopic tool:

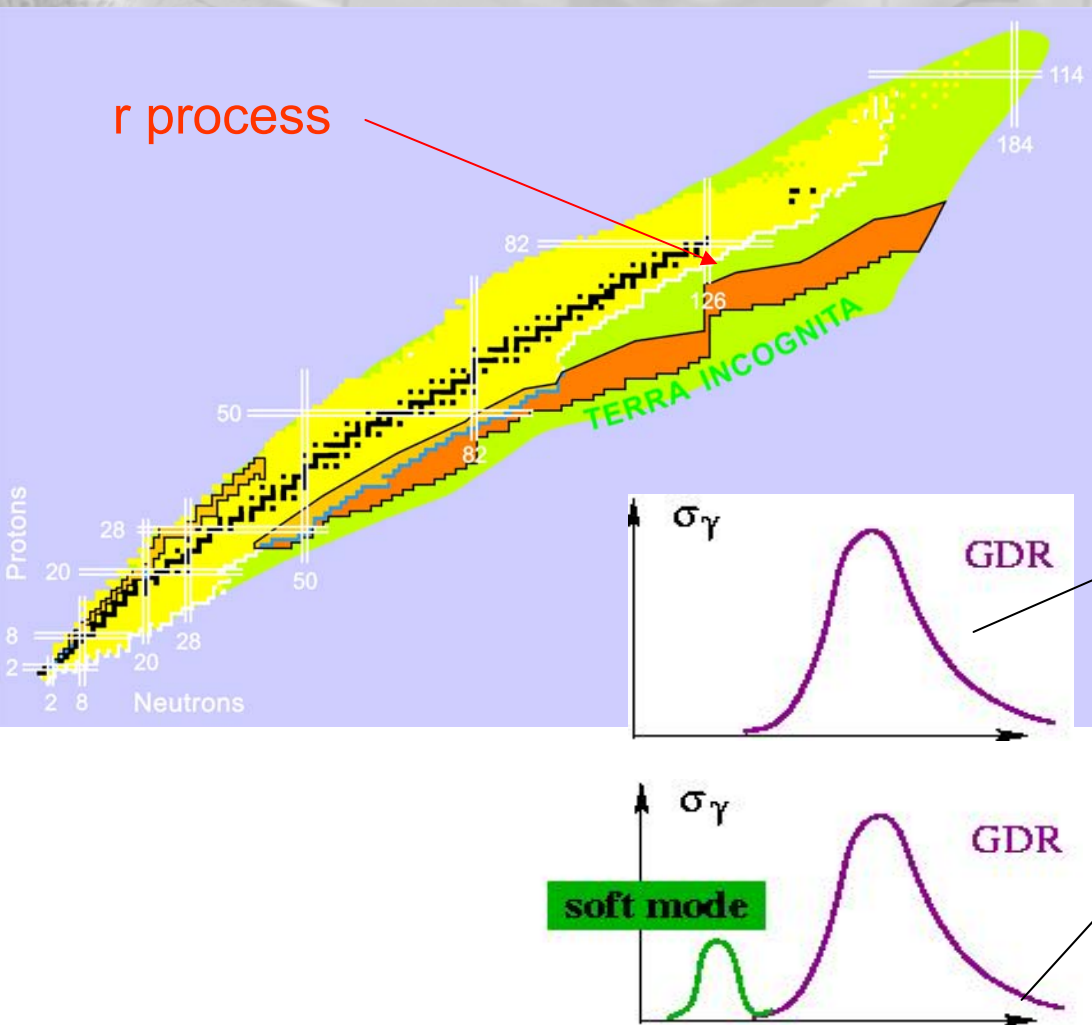
$$\frac{d\sigma}{dE^*}(I_c^\pi) = \left(\frac{16\pi^3}{9\hbar c}\right) N_{E1}(E^*) \sum_{nlj} C^2 S(I_c^\pi, nlj) \times \sum_m |\langle \mathbf{q} | (Ze/A) r Y_m^1 | \phi_{nlj}(r) \rangle|^2.$$



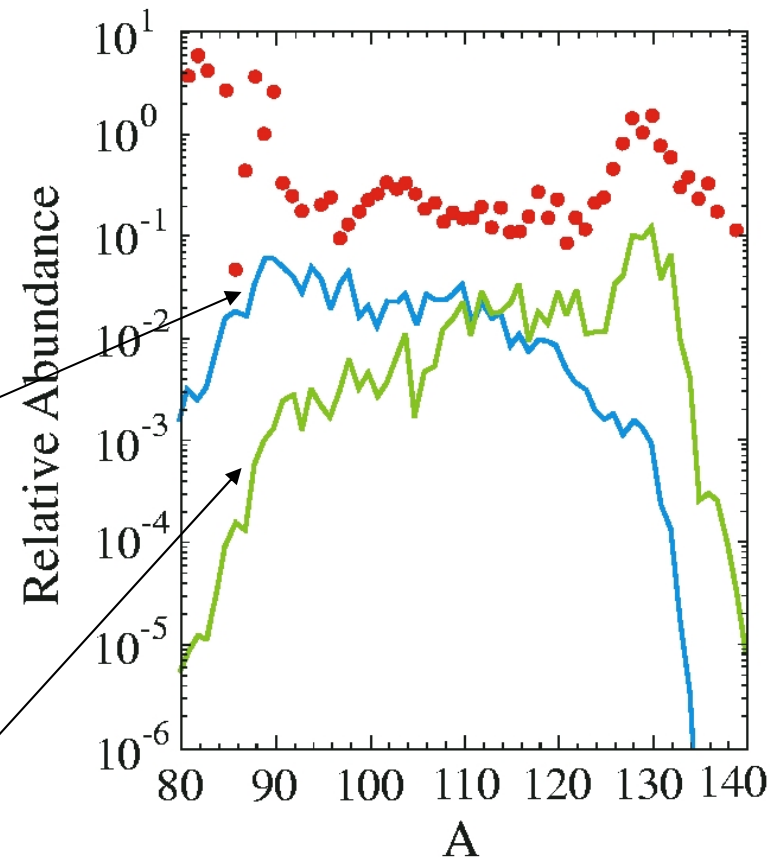
Prediction: RMF (N. Paar et al.)



# Astrophysical implications: r-process

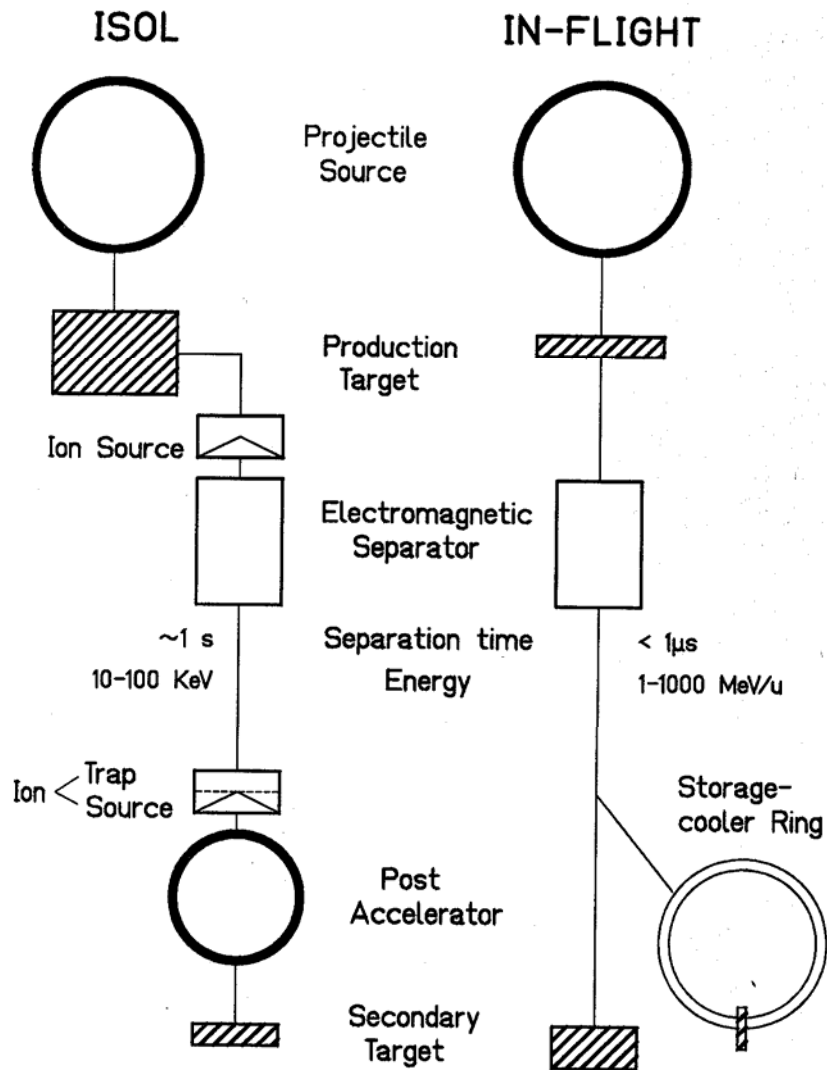


## r-process abundances



S. Goriely, Phys. Lett. B 436 (1998) 10.  
(schematic calculation)

# Production of radioactive beams: Methods



## IN-FLIGHT:

relativistic heavy ions  
(50 MeV/u – 1 GeV/u)

- fragmentation
- fission (elm. or nuclear induced)

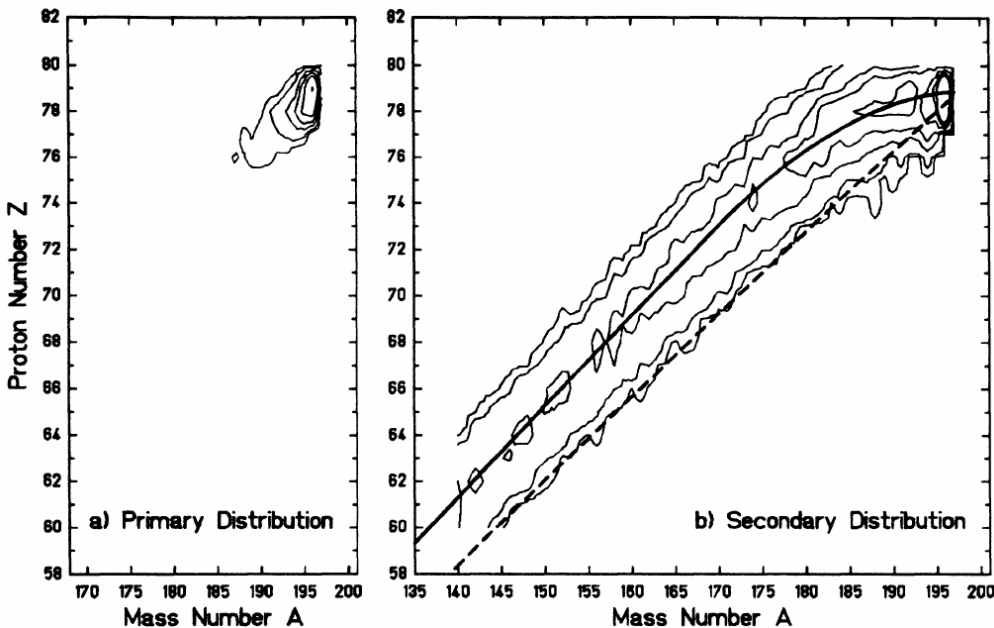
## ISOL:

- spallation ( $\sim 1$  GeV protons)
- fission: p-induced, fast neutrons (d beam), slow neutrons (reactor), photons ( $e^-$  beam)
- fusion/evaporation, multi-nucleon transfer



# Fragmentation

Intra-nuclear cascade calculation  
(K. Sümmerer et al., PRC 42 (1990) 2546)



Empirical formula for production cross sections: EPAX

K. Sümmerer, B.Blank, PRC 61 (2000) 034607

Two-step process:

## 1) Abrasion of nucleons

- pre-fragment:  $\langle A/Z \rangle \sim (A/Z)_{\text{proj}}$
- excitation energy
  - geometrical overlap (Glauber model) + energy of created holes (Fermi gas, shell model)
  - Intra-nuclear cascade (INC)

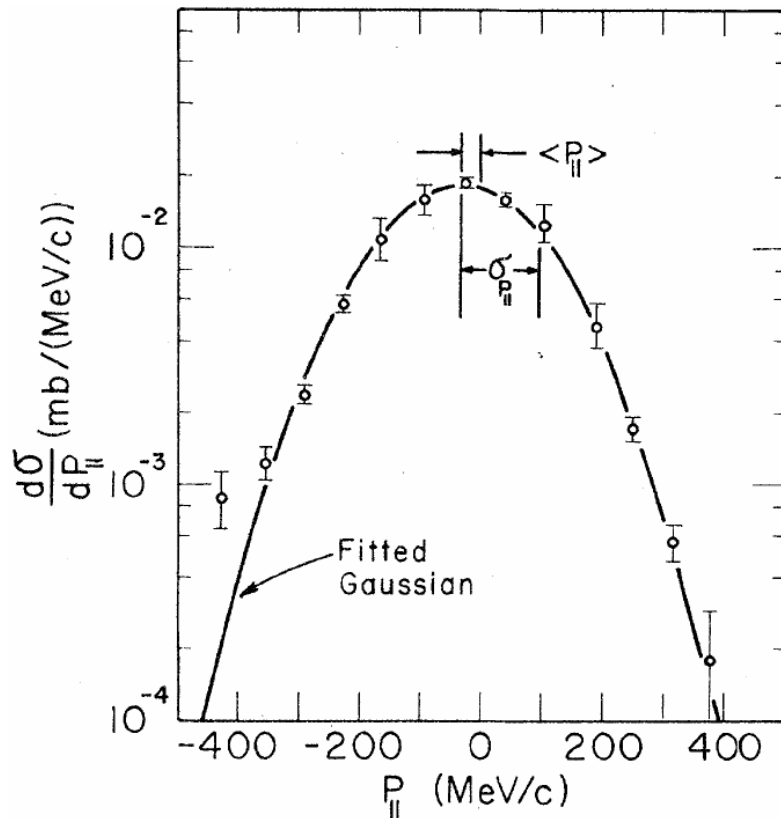
## 2) Ablation (Evaporation of nucleons)

- fragment:  $\langle A/Z \rangle < (A/Z)_{\text{proj}}$
- statistical model (compound nucleus), also fission

(see, e.g., M.deJong et al., NPA 613 (1997) 435)

# Momentum distributions after fragmentation

## 2.1 GeV/u $^{12}\text{C} + \text{Be} \rightarrow ^{10}\text{Be}$



First experiments at the  
BEVALAC

D.E. Greiner et al., PRL 35 (1975) 152

$$\beta_{\text{fragment}} \approx \beta_{\text{projectile}}$$

momentum distributions gaussian

$$\sigma_{P_{||}} \approx \sigma_{P_{\perp}}$$

sudden approximation:

projectile rest frame:

$$\sum^A \mathbf{P}_n = 0$$

momentum pre-fragment (PF):

$$\mathbf{P}_{\text{Pf}} = -\sum^{\Delta A} \mathbf{P}_n$$

average nucleon momentum:

$$\langle \mathbf{P}_n \rangle = \sqrt{3/5} \mathbf{P}_F$$

Fermi momentum

$$P_F \approx 250 \text{ MeV}/c$$

Abrasion:

$$\sigma_P^2 = P_F^2 / 5 \Delta A A_{\text{Pf}} / (A-1)$$

A.S. Goldhaber (1974)

Taking into account evaporation:

A.Abul-Magd and J. Hüfner 1976

$$\sigma_{\text{evaporation}} < \sigma_{\text{abrasion}}$$

$$\Rightarrow \sigma_{\text{total}} < \sigma_{\text{Goldhaber}}$$

# Momentum distributions

PHYSICAL REVIEW C

VOLUME 23, NUMBER 6

JUNE 1981

## Relativistic heavy ions measure the momentum distribution on the nuclear surface

J. Hüfner and M. C. Nemes

*Institut für Theoretische Physik der Universität and Max-Planck-Institut für Kernphysik, D-6900 Heidelberg, Federal Republic of Germany*

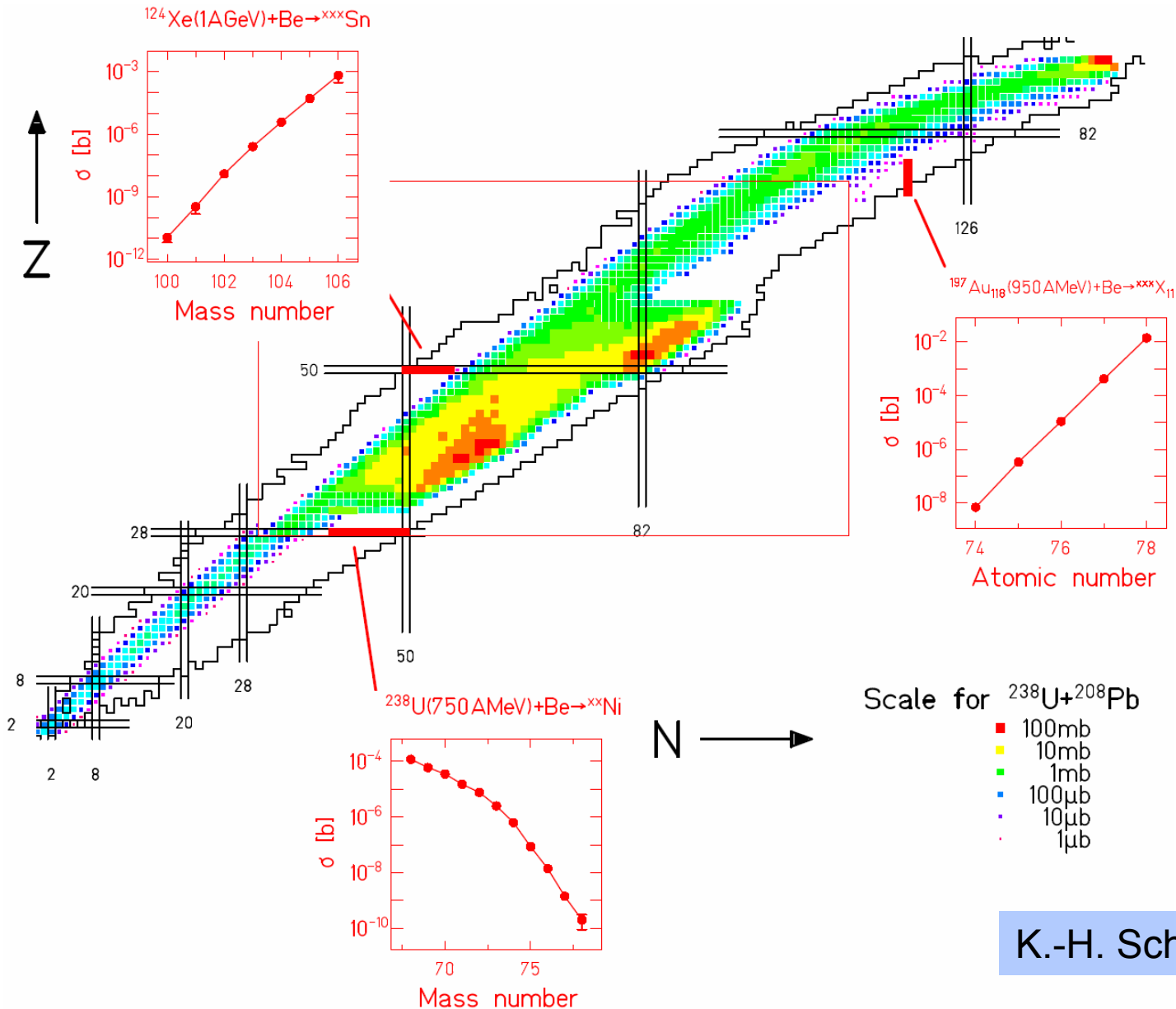
(Received 29 December 1980)

In fragmentation reactions of the type  $^{16}\text{O} + \text{target} \rightarrow ^{15}\text{O} + X$ , the momentum distribution of the outgoing fragment  $^{15}\text{O}$  reflects the momentum distribution of the nucleon which is removed from the surface of the projectile nucleus. We derive a relation using Glauber's multiple scattering theory and the Wigner transform of the one-body density matrix. The experimental cross section at 2 GeV/nucleon is analyzed with the following result: The uniform and local Fermi-gas models fail to reproduce the momentum distribution on the surface. The shell model with harmonic oscillator wave functions is correct for momenta below the Fermi momentum. Hartree-Fock wave functions describe the data up to 350 MeV/c.

Application to radioactive beams (knockout reactions) for nuclear-structure studies

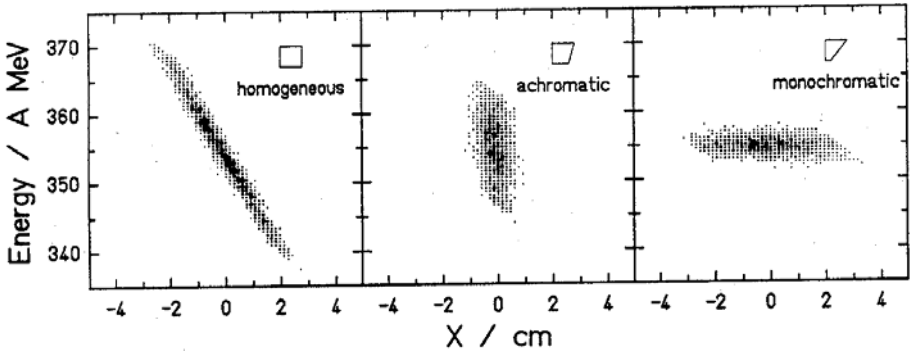
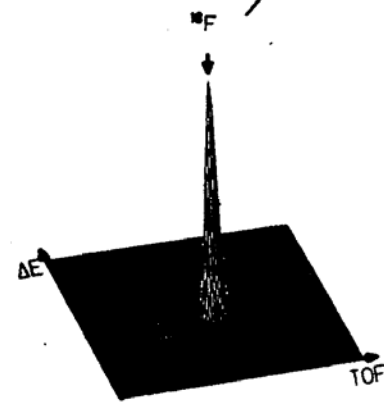
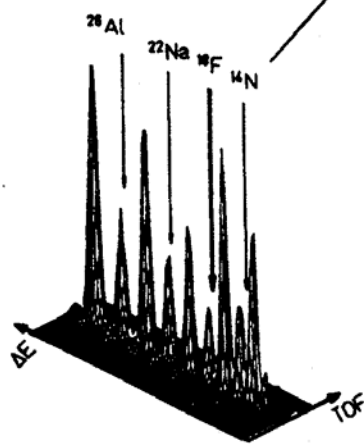
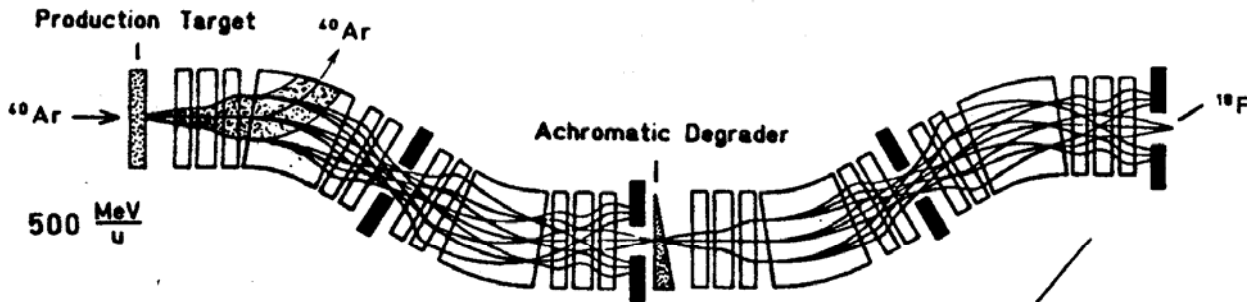
- Measurement of the nucleon momentum distribution in the nucleus
- Spatial extension of the wave function (Heisenberg)
- determination of the angular momentum of knocked-out nucleons

# Production cross sections for fragmentation and fission



K.-H. Schmidt et al.

# Separation of radioactive beams



Degradar as ion-optical element

$B\rho - \Delta E - B\rho$   
Method

$B\rho \propto \beta\gamma A/Z$

$\Delta E \propto Z^2 f(\beta)$

high beam energy  
→ fully stripped ions

Measurement: x, ToF, ΔE  
acceptance FRS@GSI:  
± 1% (Δp/p)  
± 13mrad (transversal)

Hans Geissel et al.,  
NIM B 70 (1992) 286



# Summary: Secondary Beams and High-Energy Scattering

$$0.6 < v/c < 0.8$$

## Physics Aspects:

- short interaction time → sudden process
- $\sigma_{\text{NN}}$  lowest at  $\sim 300$  MeV → reduced re-scattering
- low transverse momentum → eikonal approximation

→ **reaction dynamics and nuclear structure less entangled**

## Experimental Aspects:

- Thick targets ( $\text{g}/\text{cm}^2$ ) → increased luminosity
- Lorentz boost → full solid angle
- coverage → 100%
- detection efficiency mixed secondary beams

→ **compensating low beam intensity ( 1 - 10000  $\text{s}^{-1}$  )**

**GSI: up to 1 GeV/A**

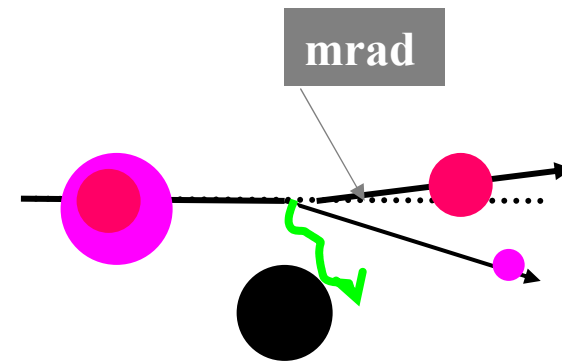
**Other Laboratories**

(up to  $\sim 0.1$  GeV/A):

**GANIL / France**

**MSU / U.S.**

**RIKEN / Japan**




for a recent review on reaction models, see  
J. Al-Khalili and F. Nunes, J.Phys.G 29 (2003) R89

# Summary: Physics of exotic nuclei and high-energy reactions

## A broad physics programme

	Experiment
Nuclear radii, density distributions, halos and skins, nuclear equation of state	Total-absorption measurements, proton elastic scattering, knockout and momentum distributions, spin-dipole excitations
Shell structure far off stability, single-particle occupancies, spectral functions	Knockout reactions, quasi-free scattering, Coulomb breakup
Dipole response of exotic nuclei, giant dipole resonance and soft modes	Heavy-ion induced electromagnetic excitation
Nuclei beyond the neutron drip-line	Knockout reactions
Astrophysics	$(\gamma, n)$ and $(\gamma, p)$ cross sections (Coulomb breakup) Gamov-Teller transitions (charge-exchange)
Gamma spectroscopy	Knockout and fragmentation
Large-amplitude motion	Multifragmentation and fission
Reaction mechanisms/applications (hybrid reactors etc)	Spallation and fission

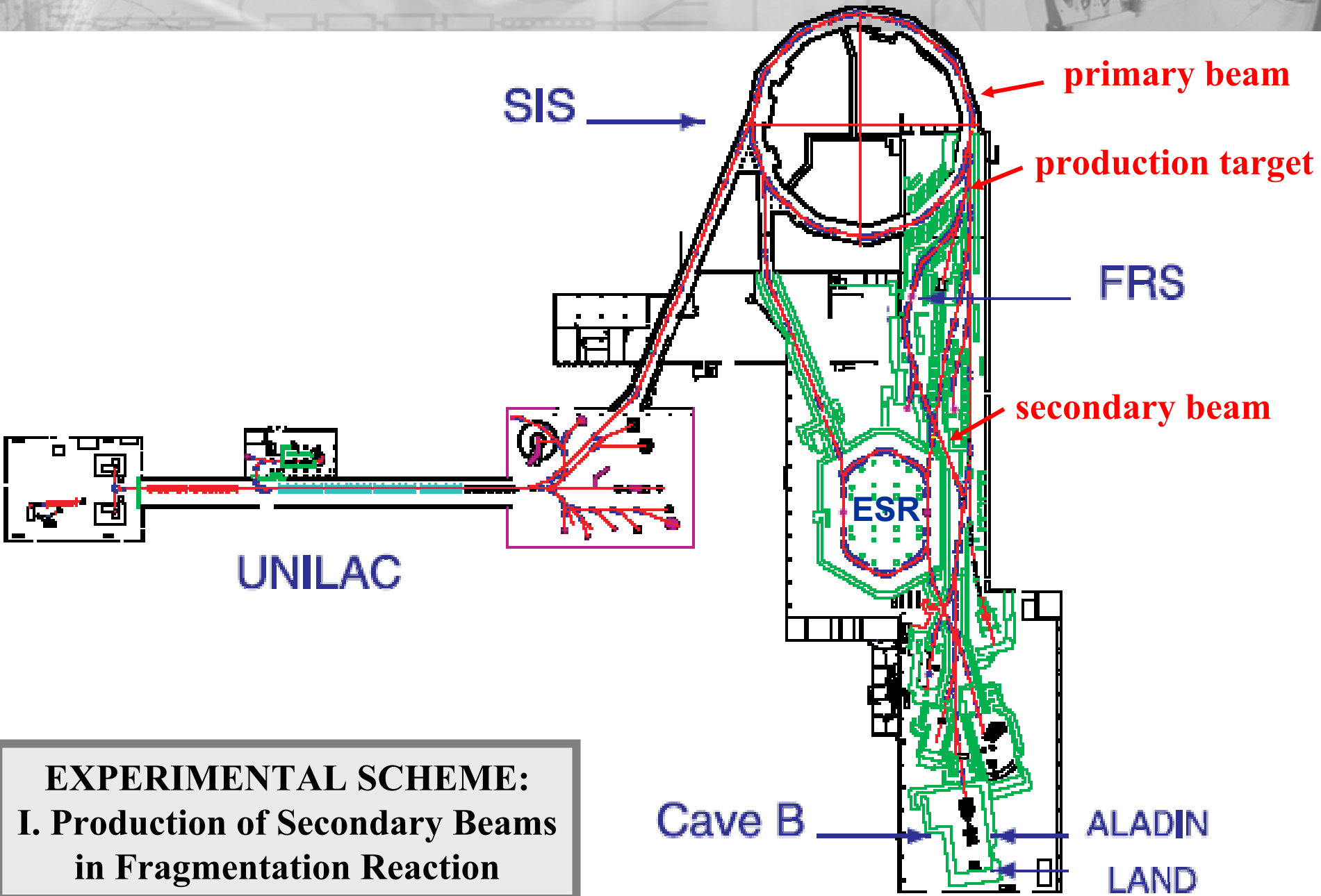


✓ Introduction: Physics, Experiments, Production

 **At and beyond the drip line: knockout reactions**

- Dipole excitations of neutron-rich nuclei
  - Coulomb breakup of halo nuclei
  - Giant and Pygmy collective excitations
- Future developments: Experimental Program at FAIR

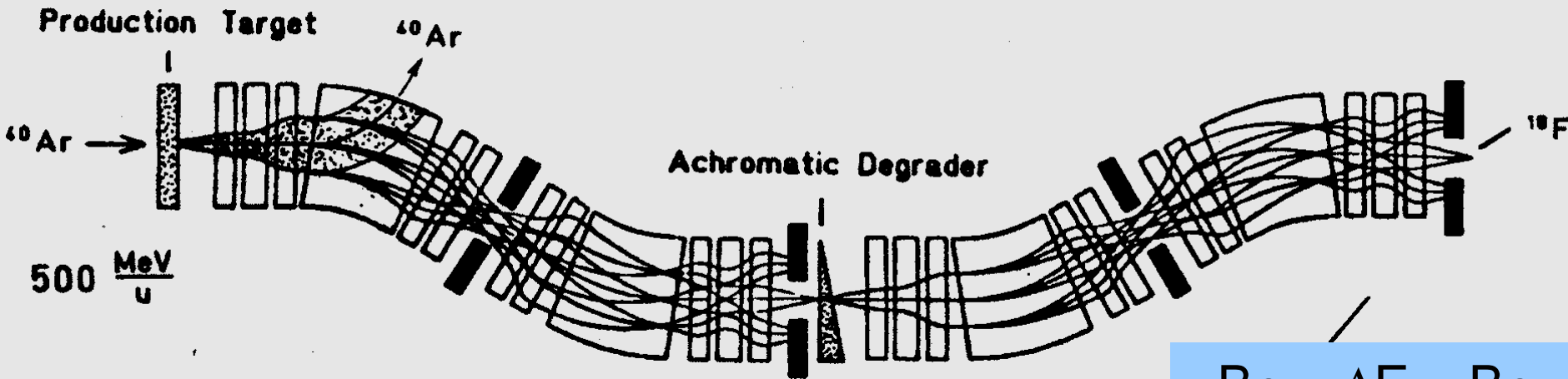
# The GSI accelerator facilities



**EXPERIMENTAL SCHEME:  
I. Production of Secondary Beams  
in Fragmentation Reaction**

# Experimental Scheme: II. Separation in FLIGHT

## FRagment Separator (FRS)



Separation in Flight :  $v_{\text{frag}} \approx v_{\text{beam}}$

Transport efficiency  $\sim 50\%$  (fragmentation);  $\Delta p/p \sim 2\%$

**Magnetic separation only:**

**mixed beam ( $Z/A \sim \text{const.}$ )**

$B\rho - \Delta E - B\rho$   
Method

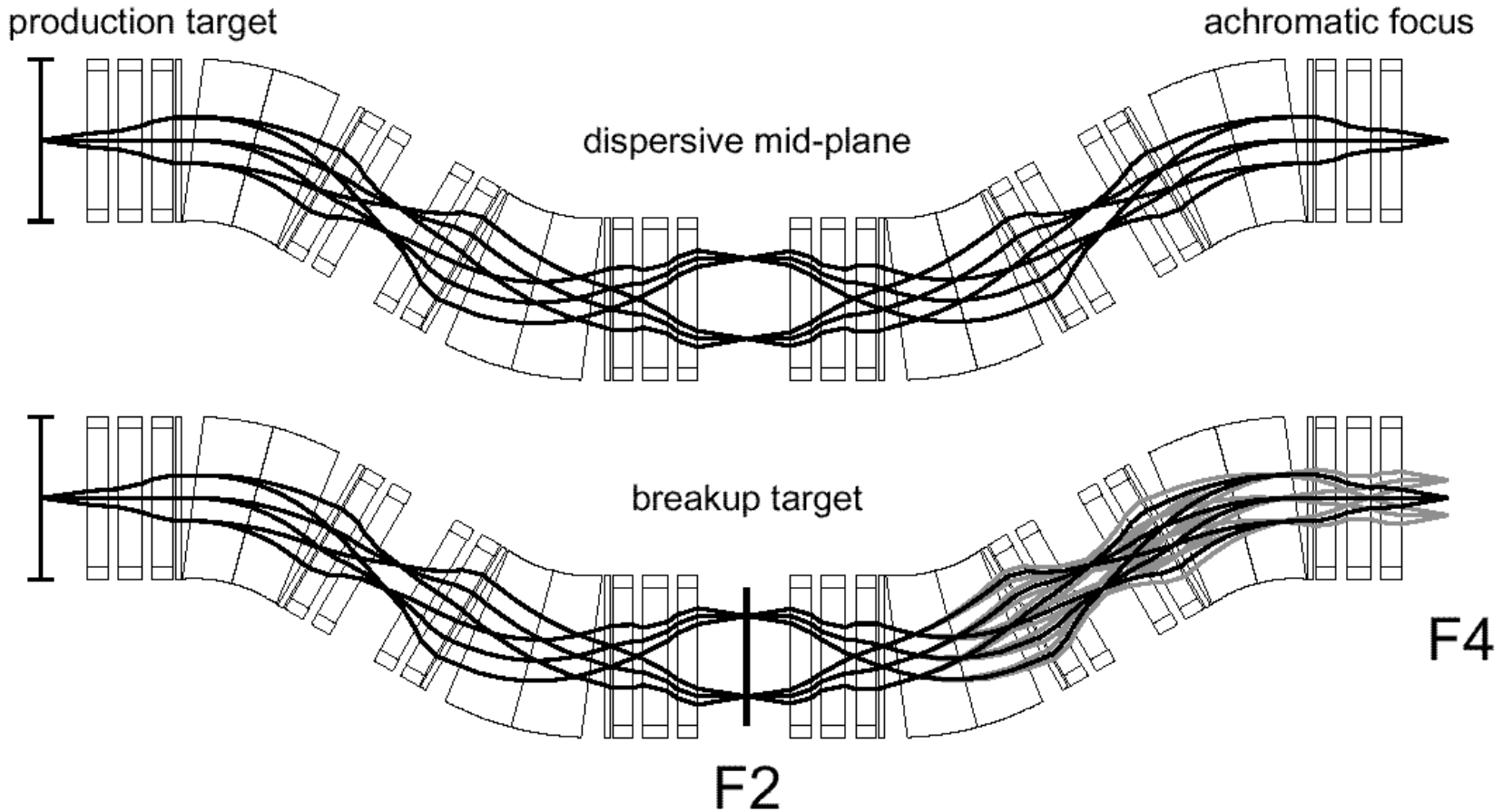
$$B\rho \propto \beta\gamma A/Z$$

$$\Delta E \propto Z^2 f(\beta)$$



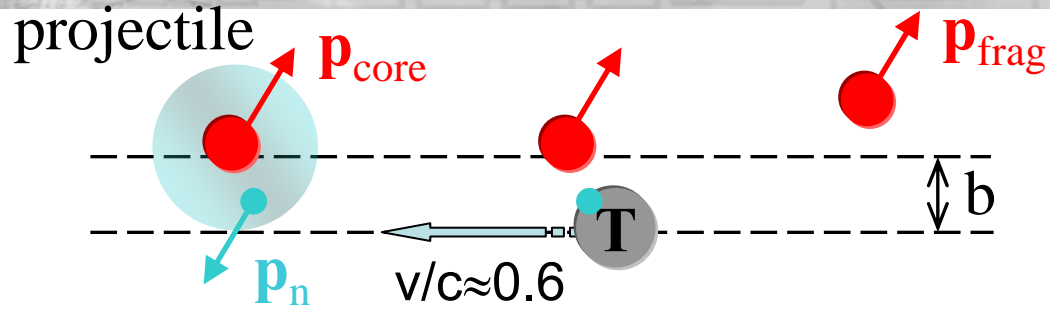
# Measurement of momentum distributions

Dispersion matching: "Energy-loss mode"



Position (momentum) measurement at final focal plane independent of initial momentum spread → high resolution

# One-Nucleon Knockout: a Spectroscopic Tool



Sudden process

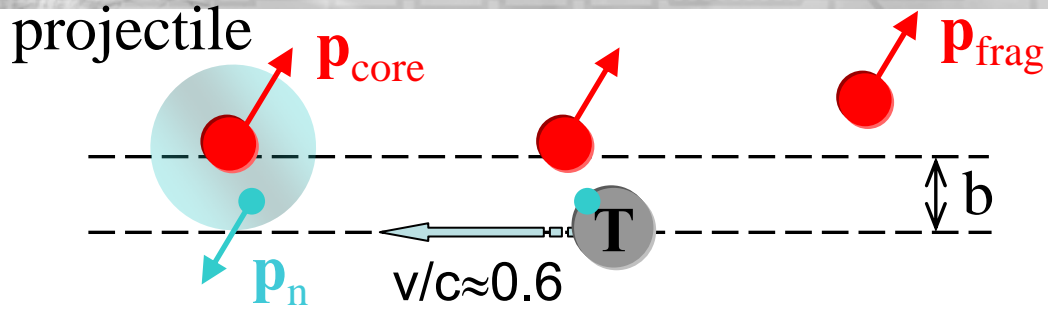
Reaction:  $\Delta t \approx 10^{-22}$  s

Internal motion:  $\approx 10^{-21}$  s

$$\Rightarrow \mathbf{P}_{\text{frag}} = -\mathbf{P}_n$$

$\Rightarrow$  measurement of wave function (at the surface:  $b_c > r_c$ )

# One-Nucleon Knockout: a Spectroscopic Tool



Sudden process

Reaction:  $\Delta t \approx 10^{-22}$  s

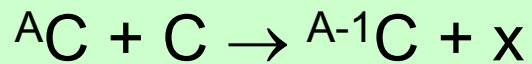
Internal motion:  $\approx 10^{-21}$  s

$$\Rightarrow \mathbf{P}_{\text{frag}} = -\mathbf{P}_n$$

$\Rightarrow$  measurement of wave function (at the surface:  $b_c > r_c$ )

Example:

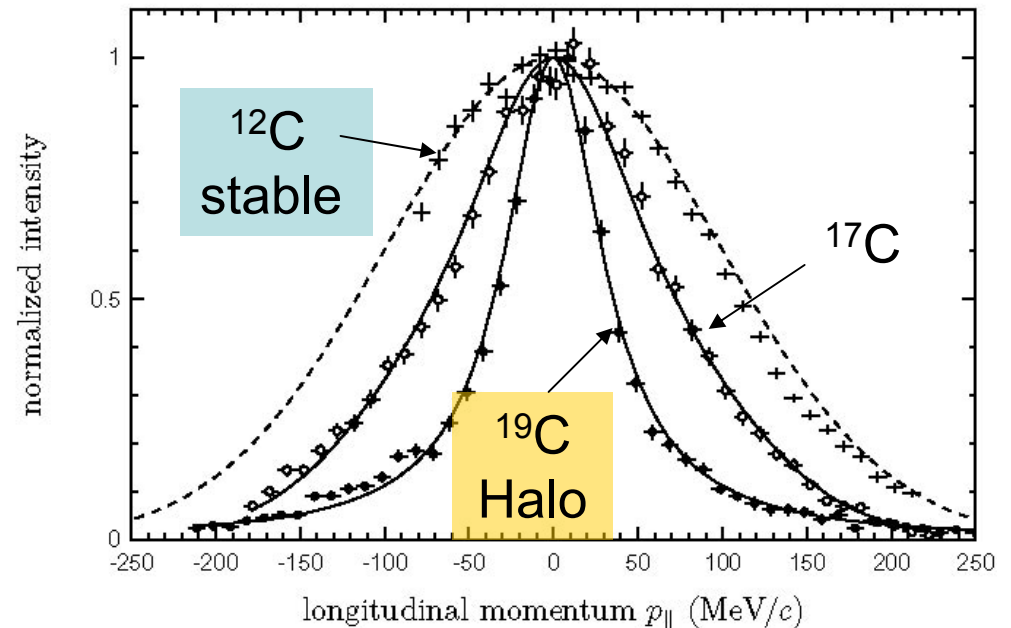
Carbon isotopes



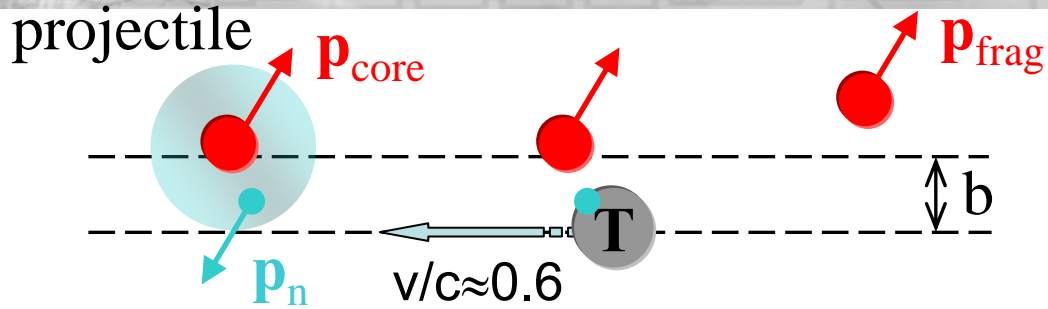
$E \approx 900$  MeV/u

FRS@GSI

T. Baumann et al.



# One-Nucleon Knockout: a Spectroscopic Tool



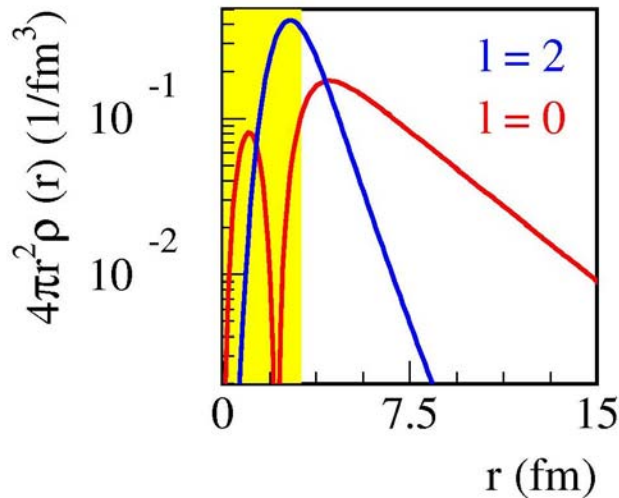
Sudden process

Reaction:  $\Delta t \approx 10^{-22}$  s

Internal motion:  $\approx 10^{-21}$  s

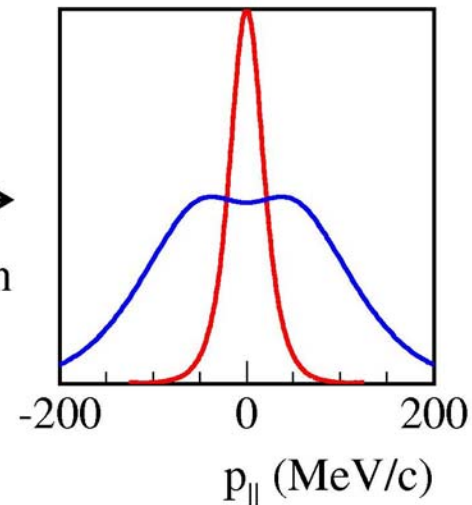
$$\Rightarrow \mathbf{P}_{\text{frag}} = -\mathbf{P}_{\text{n}}$$

$\Rightarrow$  measurement of wave function (at the surface:  $b_c > r_c$ )



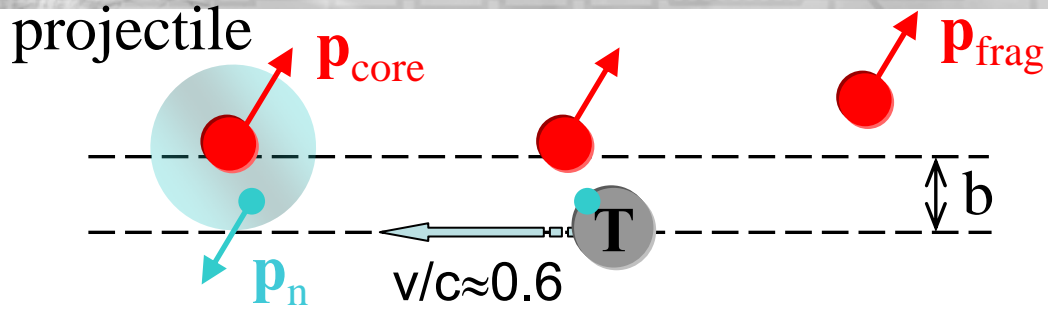
Extended  
Wavefunction

Fourier  
transformation



Narrow  
Momentum Distribution

# One-Nucleon Knockout: a Spectroscopic Tool



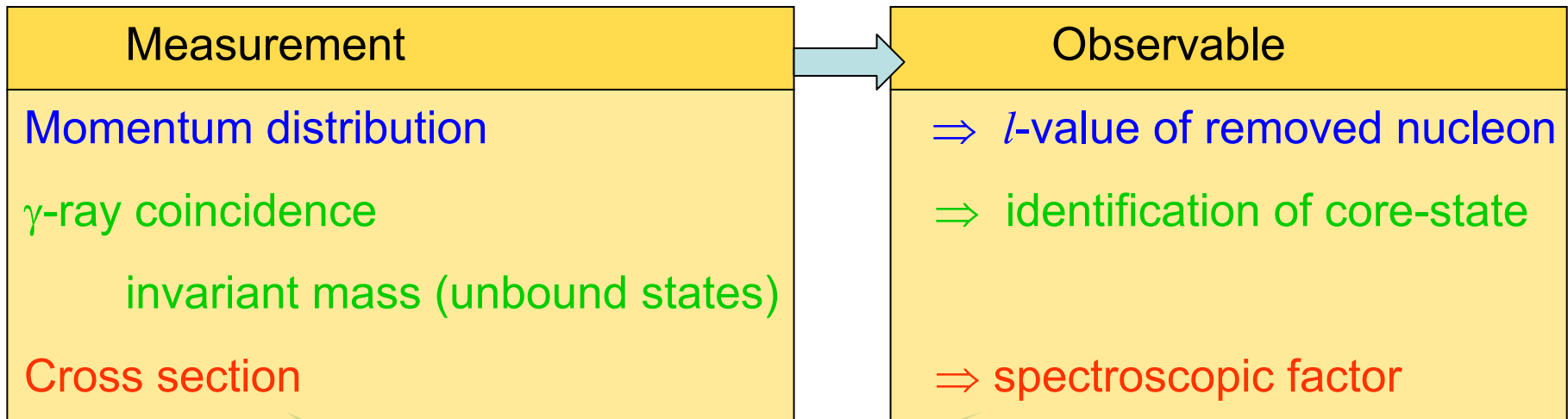
Sudden process

Reaction:  $\Delta t \approx 10^{-22}$  s

Internal motion:  $\approx 10^{-21}$  s

$$\Rightarrow \mathbf{P}_{\text{frag}} = -\mathbf{P}_n$$

$\Rightarrow$  measurement of wave function (at the surface:  $b_c > r_c$ )



$$\sigma_{ln}(J\pi) = S(J\pi) \times \sigma_{sp}(l, S_n)$$

Eikonal calculation



# Single-particle cross sections

$$\sigma_{sp}(J^\pi) = \sigma_{sp}^{knockout} + \sigma_{sp}^{diffraction}$$

Eikonal approximation:

$$\sigma_{sp}^{knockout}(J^\pi) = \int d^2b \int d^3r |\Phi_{l,S_n}(\mathbf{r})|^2 S_c^2(\mathbf{b}_c) (1 - S_n^2(\mathbf{b}_n))$$



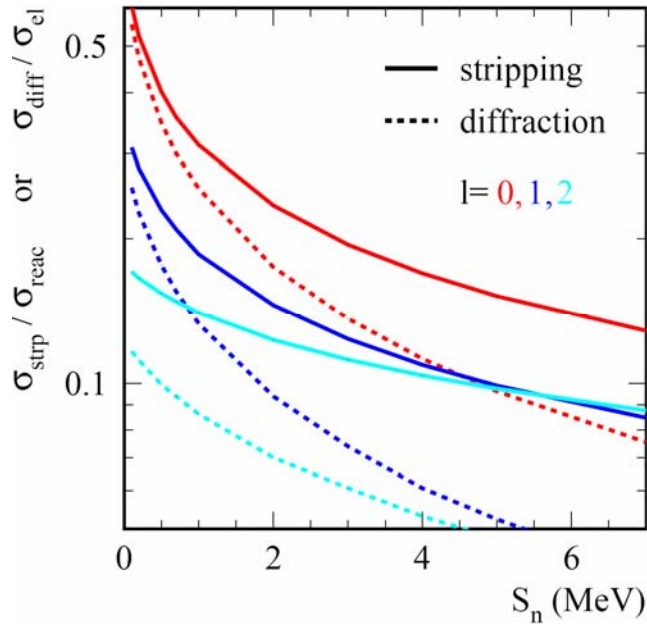
core survival  
'shadowing'



reaction  
 $n + \text{target}$

- $\Phi_{l,S_n}(\mathbf{r})$  is calculated for a Woods-Saxon Potential
- $S_c, S_n$  are calculated using target and core density distributions  
+ free NN cross sections + energy dep. ratio of imaginary to real part
- no free parameters

# One-neutron removal reaction (nuclear breakup)



Reaction mechanisms:

- knockout (stripping)
- inelastic scattering (diffraction)

cross section dominated by knockout for

- high beam energies
- non-halo states

$$p_{stripping} = \langle S_c^2(\mathbf{b}_c)[1 - S_n^2(\mathbf{b}_n)] \rangle$$

$$p_{inelastic} = \langle [1 - S_c(\mathbf{b}_c)S_n(\mathbf{b}_n)]^2 \rangle - \langle 1 - S_c(\mathbf{b}_c)S_n(\mathbf{b}_n) \rangle^2$$

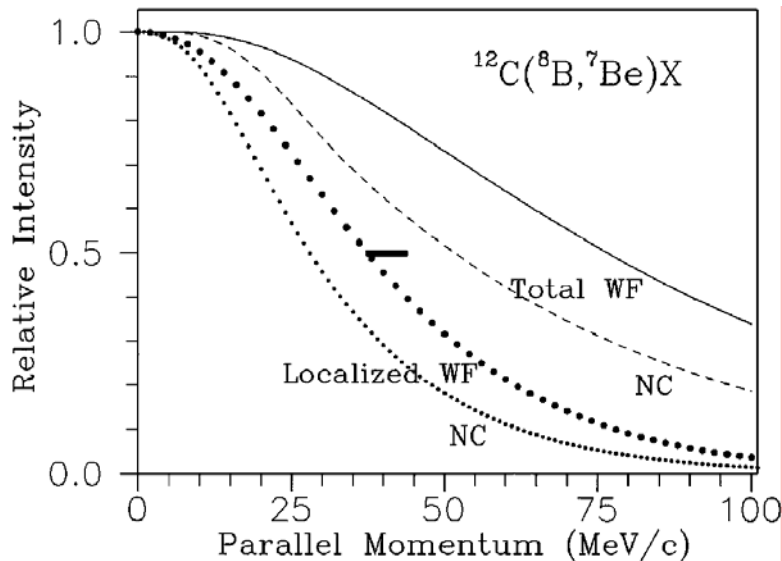
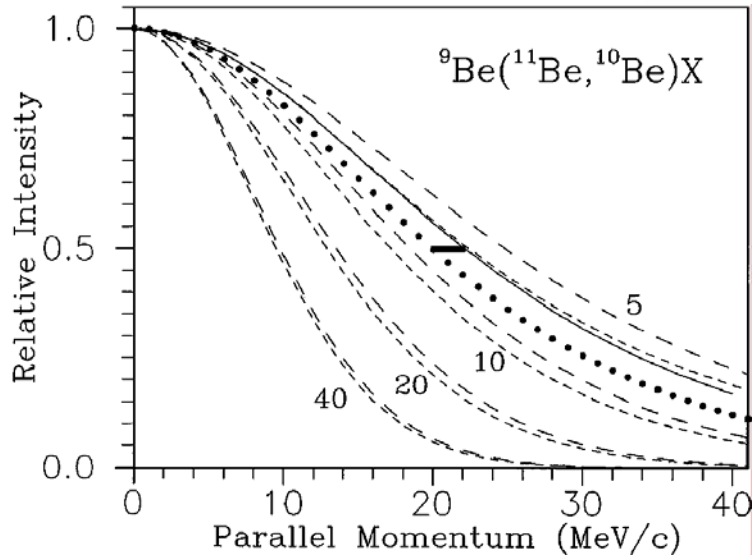
no-recoil limit:  $A_c \gg 1$ ,  $\mathbf{b}_c = \mathbf{b}$

$$p_{diffraction} = S_c^2 \langle [1 - S_n(\mathbf{b}_n)]^2 \rangle - S_c^2 \langle 1 - S_n(\mathbf{b}_n) \rangle^2$$

elastic scattering  
of neutron

elastic scattering  
of projectile

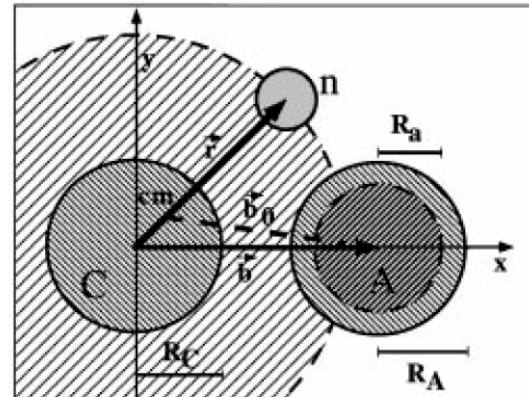
# Momentum distributions and reaction mechanism



## Momentum Content of Single-Nucleon Halos

P. G. Hansen

*National Superconducting Cyclotron Laboratory and Department of Physics and Astronomy,  
Michigan State University, East Lansing, Michigan 48824-1321  
(Received 12 January 1996)*



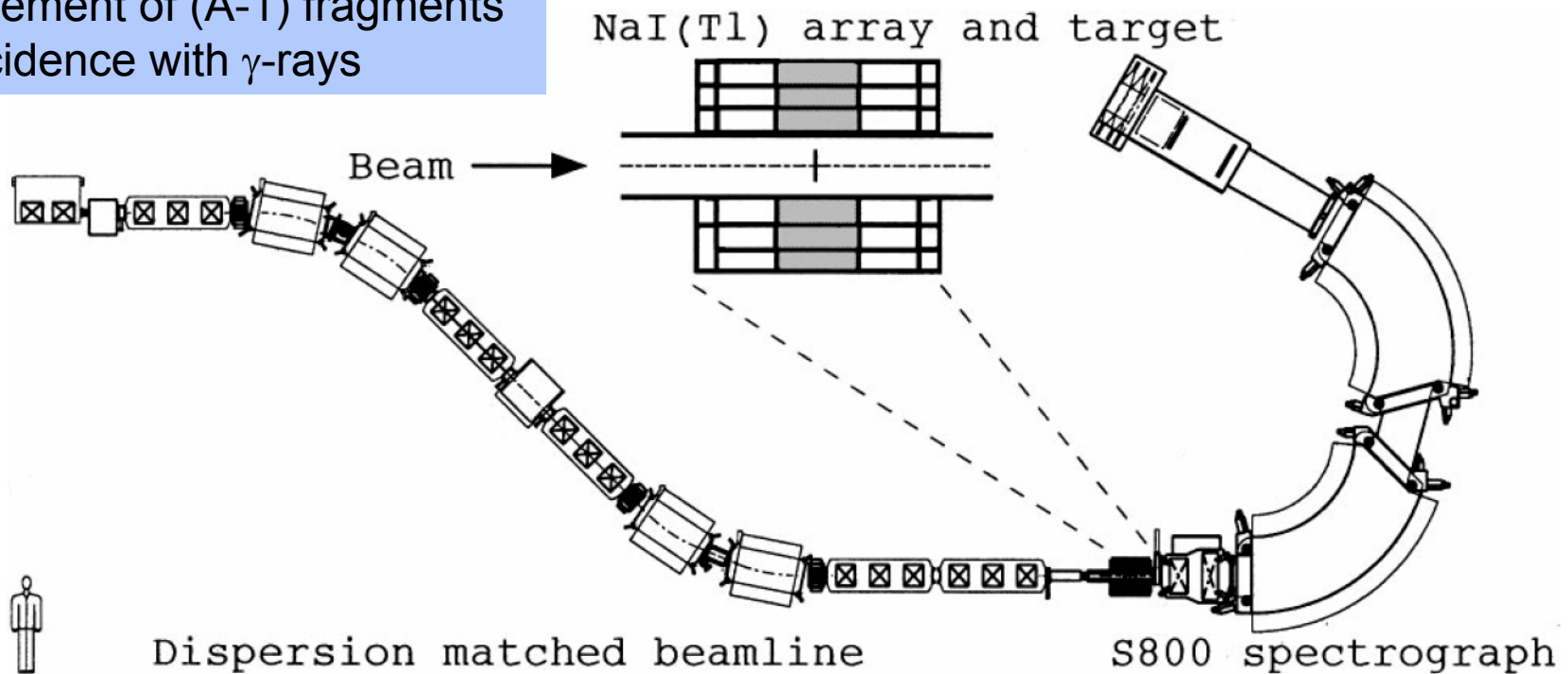
reaction samples only the surface of the nucleus

→ momentum distributions are more narrow than the full Fourier transform

effect less pronounced for well developed halos

# Knockout reactions as spectroscopic tool: Setup at the NSCL@MSU

Measurement of (A-1) fragments  
in coincidence with  $\gamma$ -rays



momentum resolution for recoil:  $\Delta p/p \sim 2.5 \times 10^{-4}$   
acceptance  $\sim \pm 2.5\%$

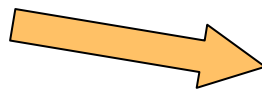
Reviews: P.G. Hansen, B.M. Sherrill, NPA 693 (2001) 133

P.G. Hansen, J.A. Tostevin, Annu. Rev. Nucl. Part. Sci 53 (2003) 219

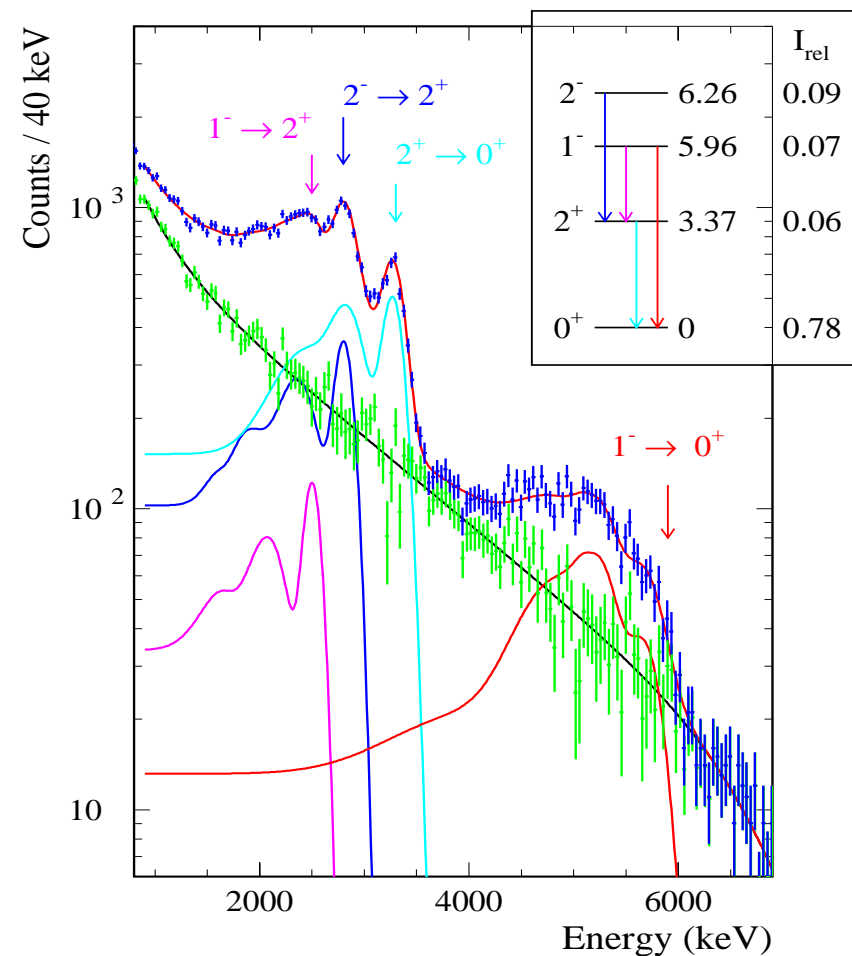
Neutron removal from individual single-particle states:  $^{11}\text{Be} \rightarrow ^{10}\text{Be} (I^\pi) + \gamma + X$

## $\gamma$ -ray coincidences

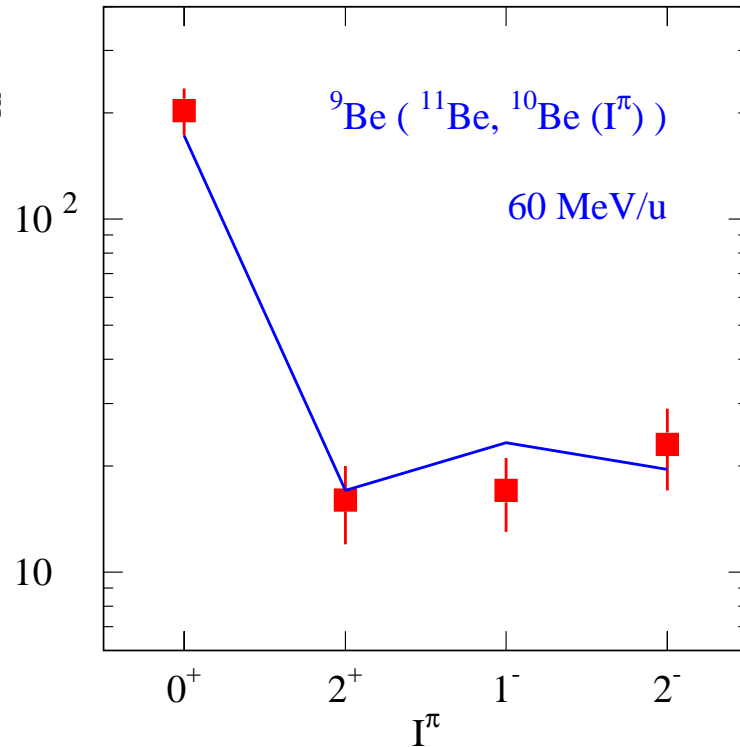
$60 \text{ MeV/u } ^{11}\text{Be} + \text{Be} \rightarrow ^{10}\text{Be} + \gamma + X$



## Partial cross sections



$\sigma_{\text{In}} \text{ (mb)}$



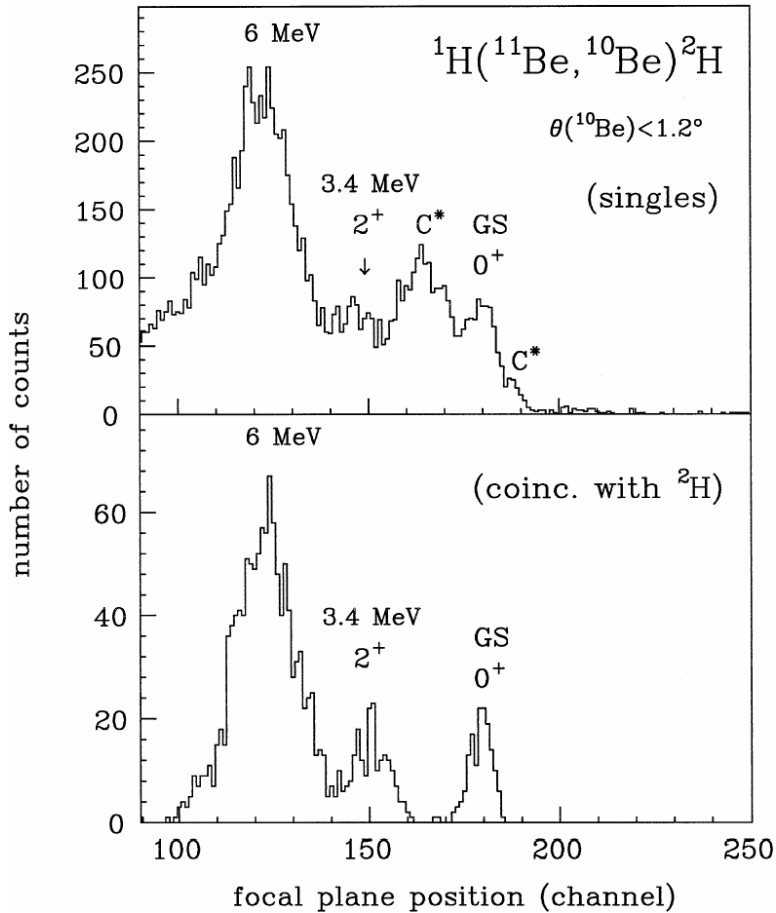
## Spectroscopic factors

$$S(0^+) \approx 0.8$$

$$S(2^+) \approx 0.2$$



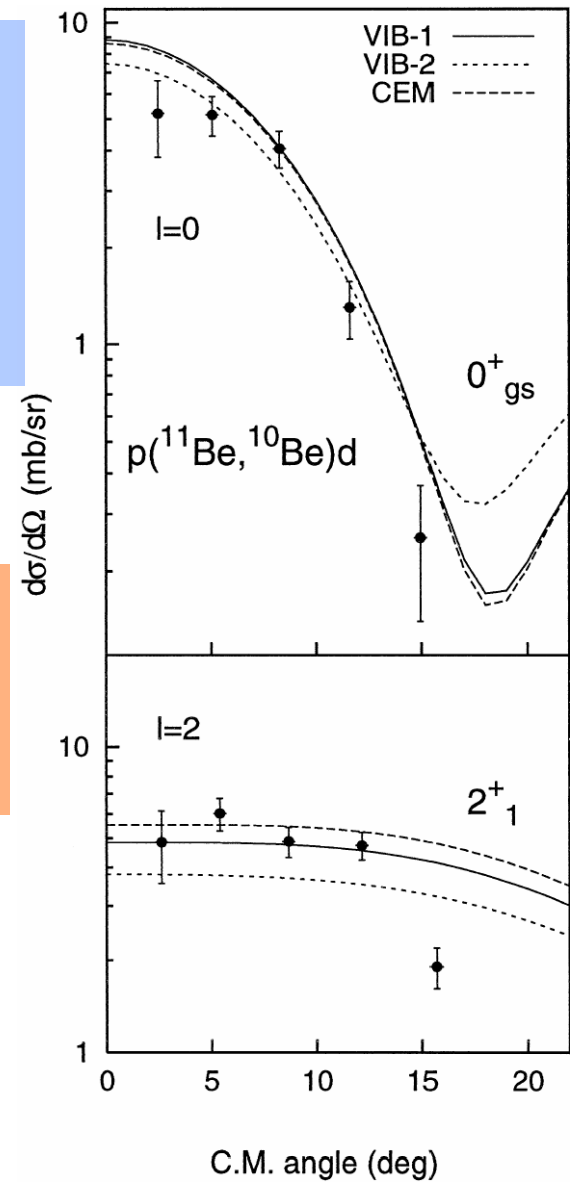
# Comparison to transfer reactions



Transfer reaction in inverse kinematics:  
 GANIL, 35 MeV/u  ${}^{11}\text{Be}$   
 S. Fortier et al.,  
 PLB 461 (1999) 22

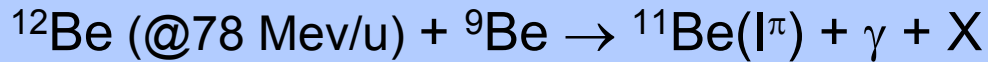
deduced spectroscopic factors in agreement with knockout reaction

$E_x$ (MeV)	$J^\pi$	SE-1 $S_{\text{exp}}$	VIB-1 $S_{\text{exp}}$	VIB-1 $S_{\text{th}}$	SE-2 $S_{\text{exp}}$	VIB-2 $S_{\text{exp}}$	VIB-2 $S_{\text{th}}$
0	$0^+$	0.66	0.67	0.84	0.79	0.79	0.84
3.368	$2^+$	0.28	0.17	0.16	0.38	0.22	0.16

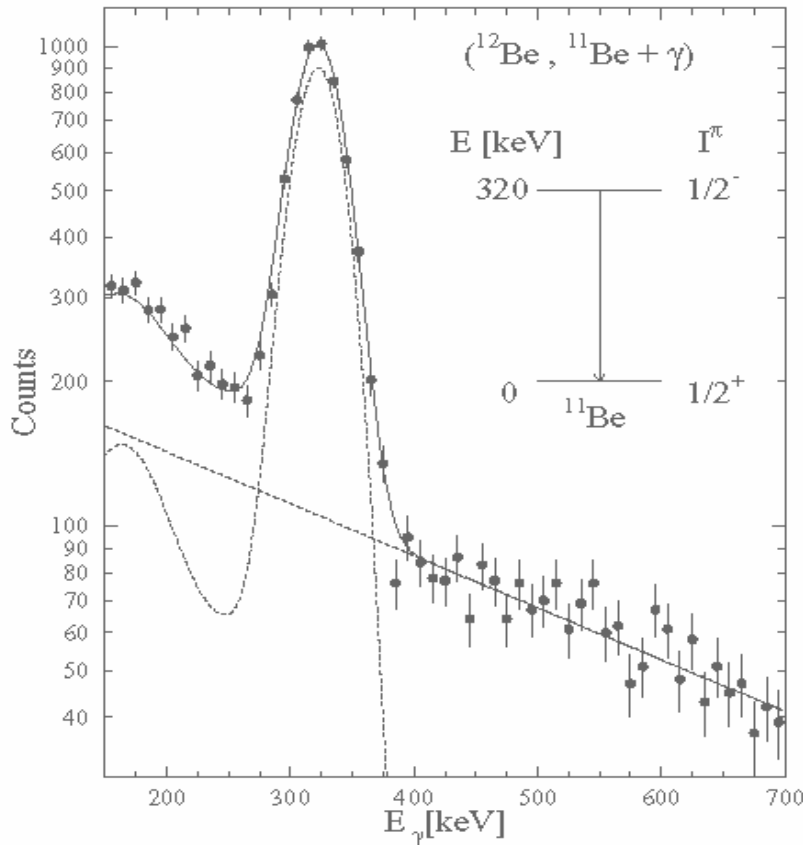


# $^{12}\text{Be}$ : Breakdown of the N=8 Shell Closure

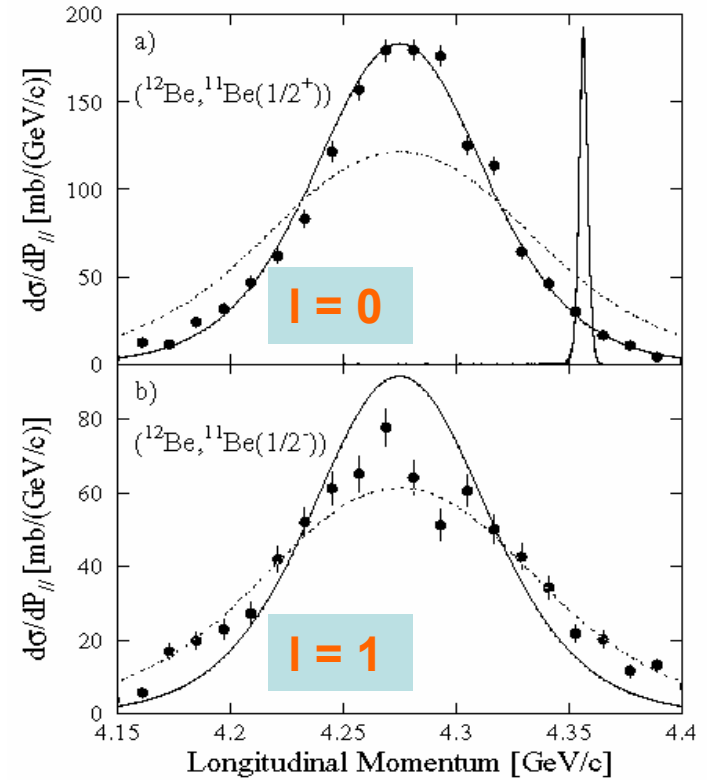
One-neutron removal reaction:



## $\gamma$ -ray coincidences



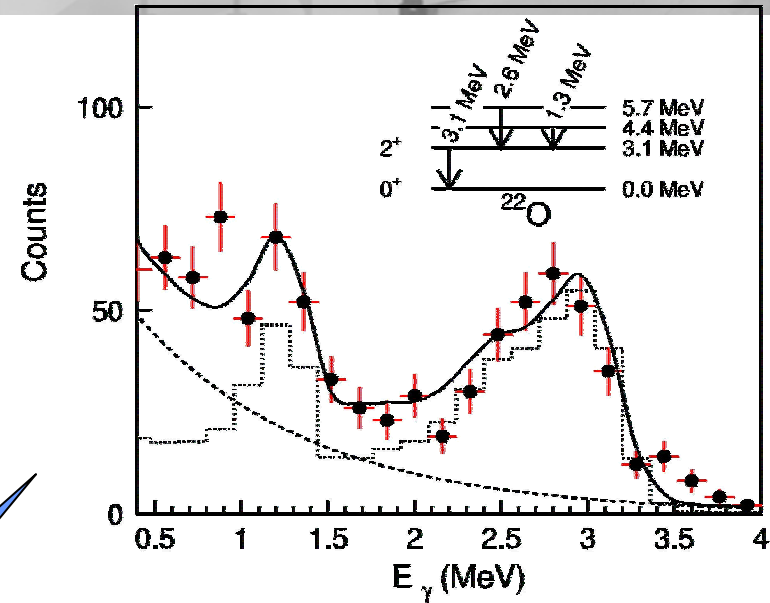
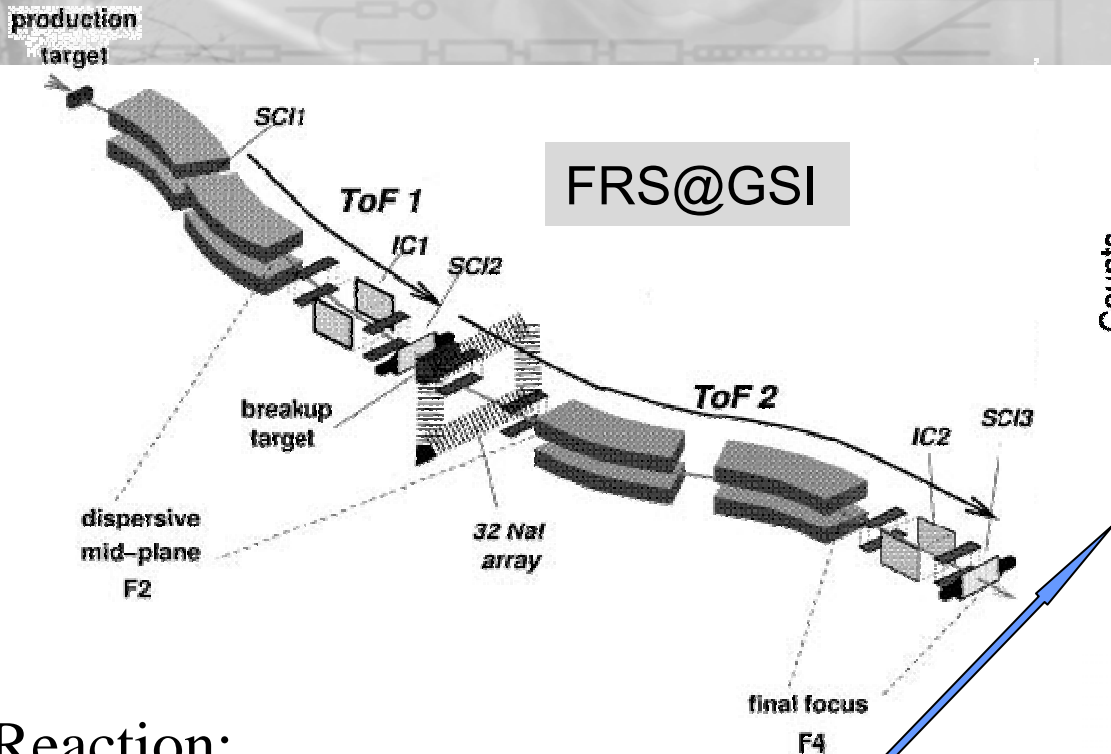
## Momentum distributions



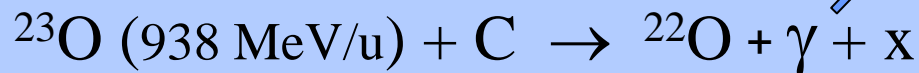
$\Rightarrow$  Mixed configurations

$$(\nu s_{1/2})^2 / (\nu p_{1/2})^2 \approx 1$$

# $^{23}\text{O}$ : the heaviest halo nucleus?



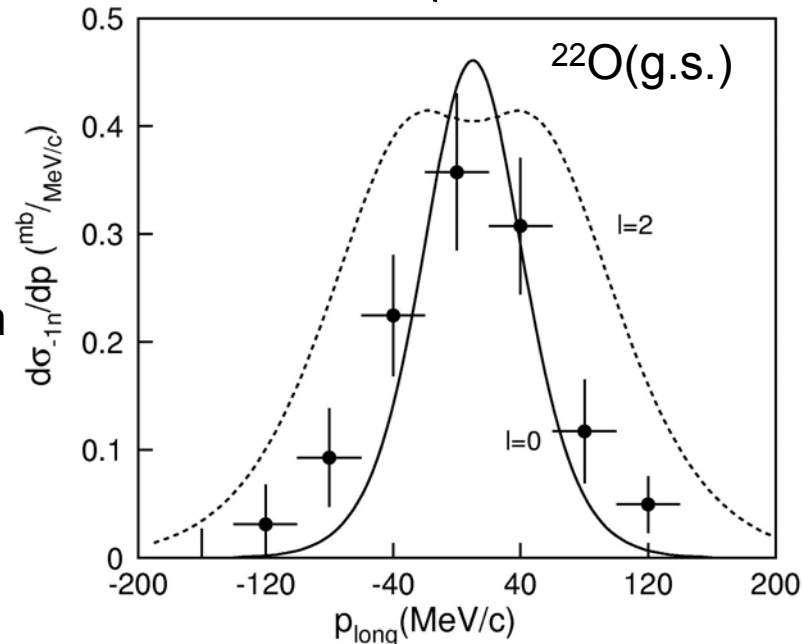
Reaction:



$$\Rightarrow I^\pi = 1/2^+$$

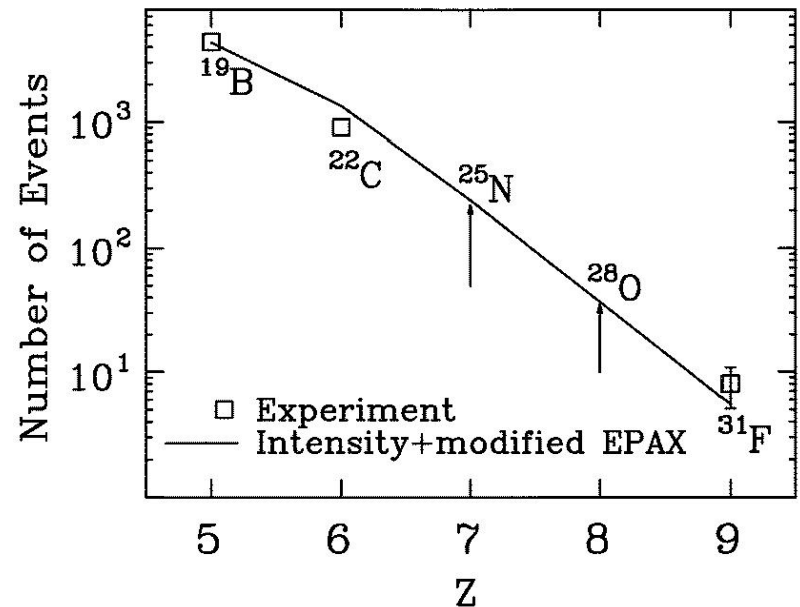
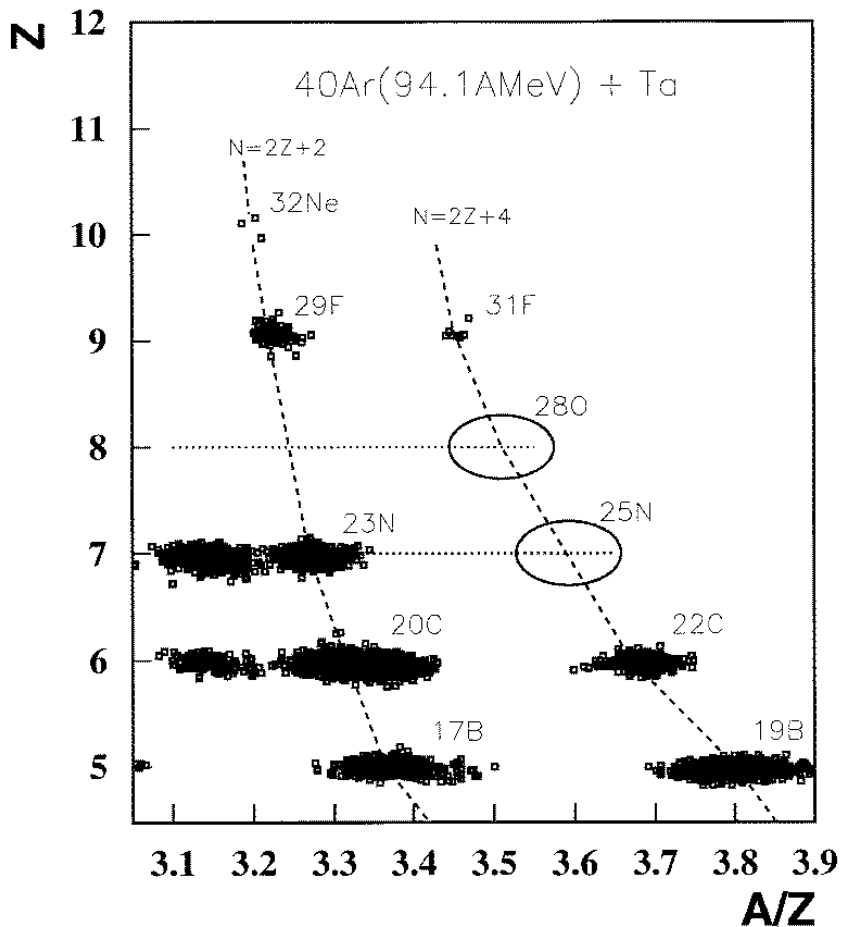
$$\Rightarrow S (v_s \otimes ^{22}\text{O}(0^+)) \approx 0.9(2)$$

Momentum distribution



# The N=20 (closed shell?) nucleus $^{28}\text{O}$ is unbound !

Experiment at RIKEN:

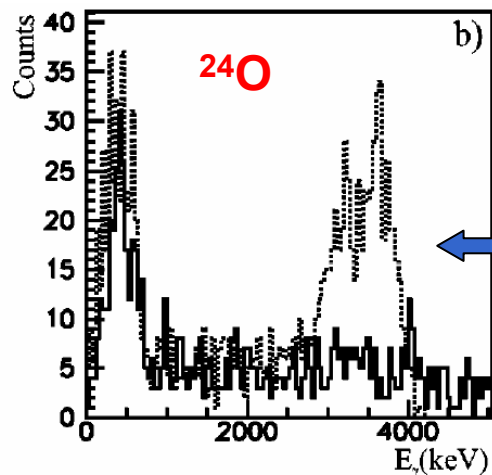
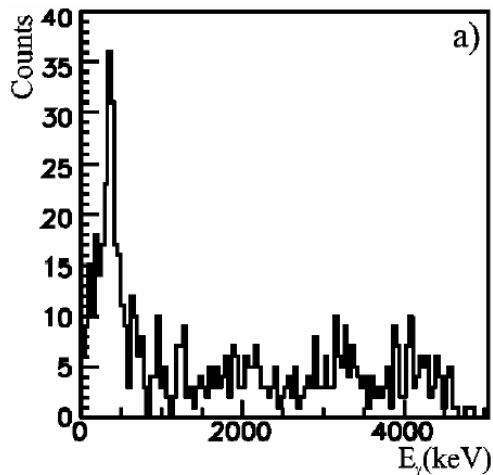
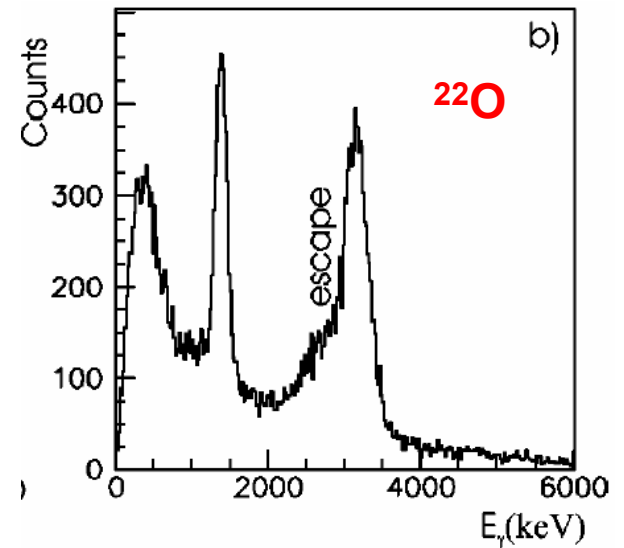
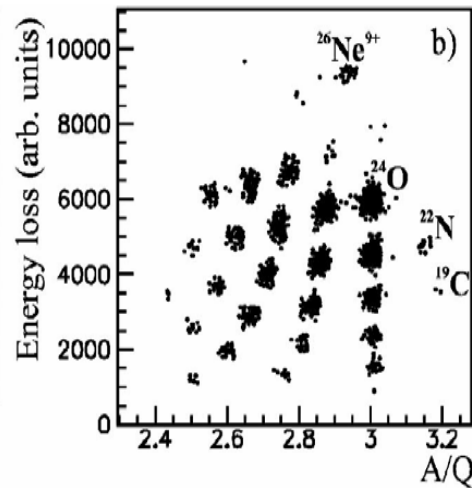
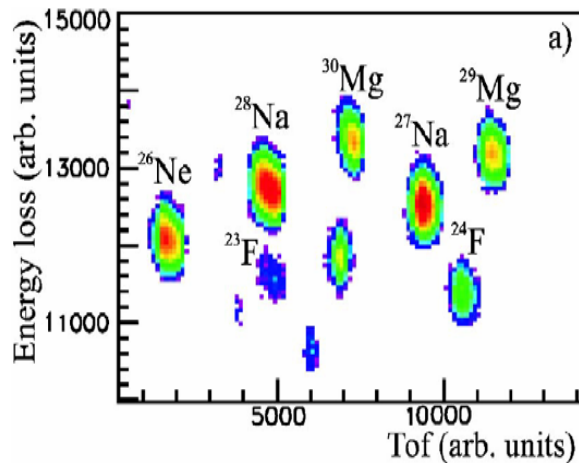


Location of the Neutron drip line  
only known up to  $Z = 8$ :

$$\text{for } Z = 8 \rightarrow N_{\text{max}} = 16$$

$$\text{for } Z = 9 \rightarrow N_{\text{max}} \geq 22$$

# Secondary fragmentation plus $\gamma$ spectroscopy



no  $2^+$  state observed  
 $\rightarrow$  energy above threshold

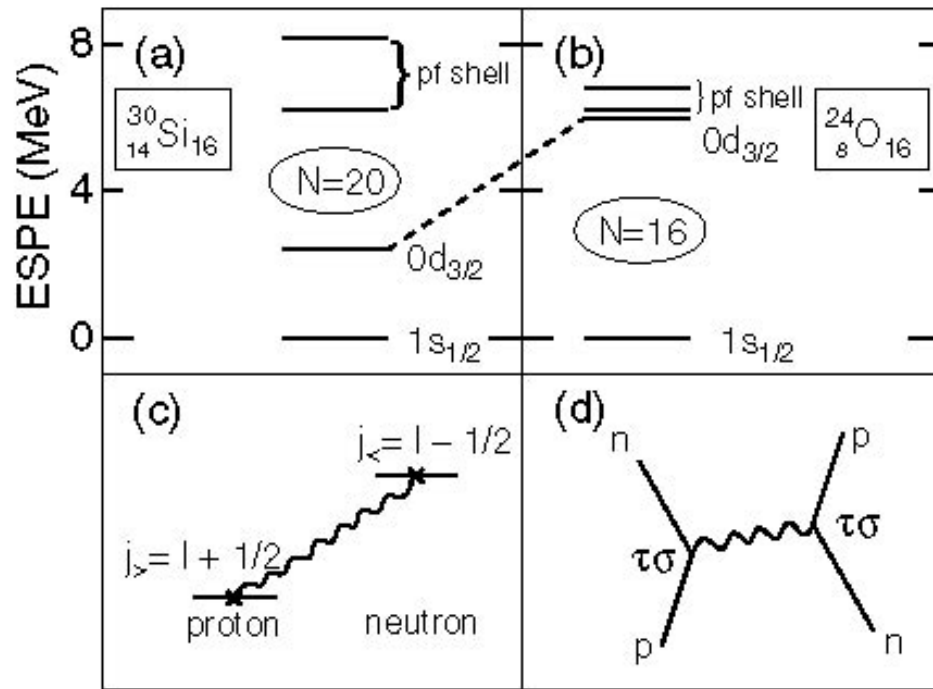


# New magic number N=16

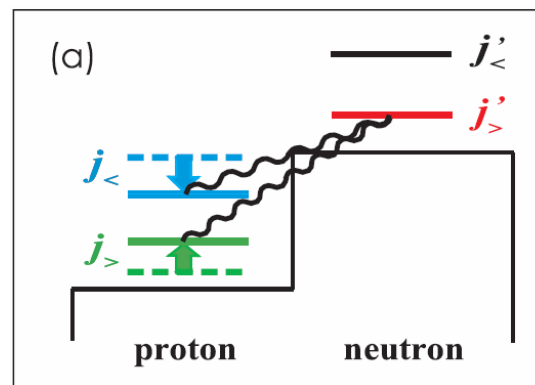
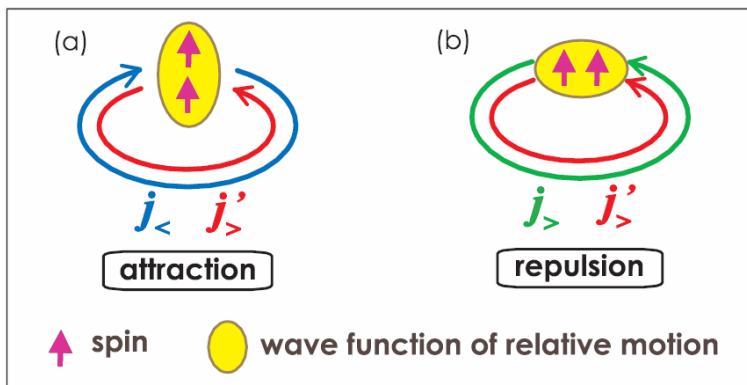
N=20 shell gap vanishes

New shell closure at N=16


All experiments consistently suggest a vanishing of the N=20 shell gap ( $^{28}\text{O}$  unbound) and the appearance of a shell closure for N=16 (large spectroscopic factor, high-lying  $2^+$  state) for the neutron-rich oxygen isotopes



Z=14  $\rightarrow$  Z=8  
 Removing  $0d_{5/2}$  protons  
 $\rightarrow$  less binding for  $0d_{3/2}$  neutrons



T. Otsuka et al.,  
 PRL87(2001)082502  
 PRL95(2005)232502



✓ Introduction: Physics, Experiments, Production

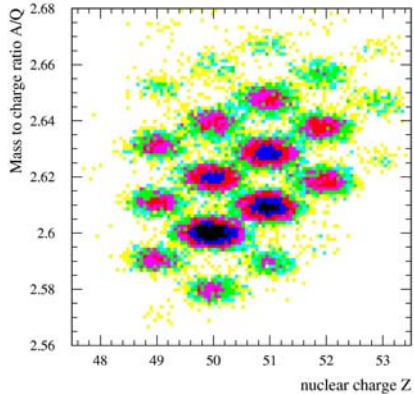
☞ **At and beyond the drip line: knockout reactions**

## **2) Knockout to unbound states**

- Dipole excitations of neutron-rich nuclei
  - Coulomb breakup of halo nuclei
  - Giant and Pygmy collective excitations
- Future developments: Experimental Program at FAIR

# Experimental Scheme: The LAND reaction setup @GSI

Mixed beam



Charged fragments

tracking  $\rightarrow B\rho \sim A/Q\beta\gamma$

ToF,  $\Delta E$

LAND

Neutrons

ToF, x, y, z

$\sim 12$  m

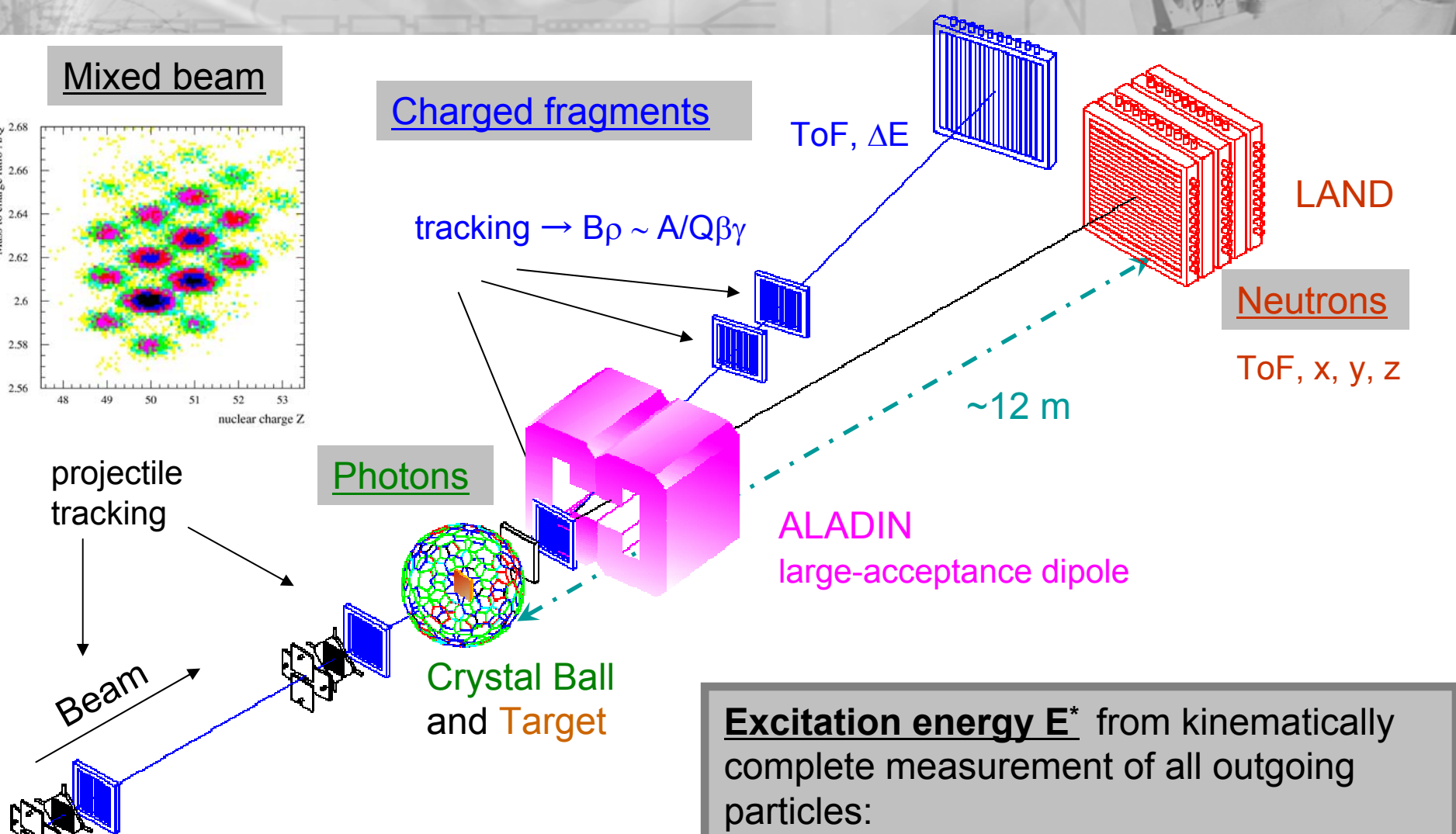
Photons

ALADIN  
large-acceptance dipole

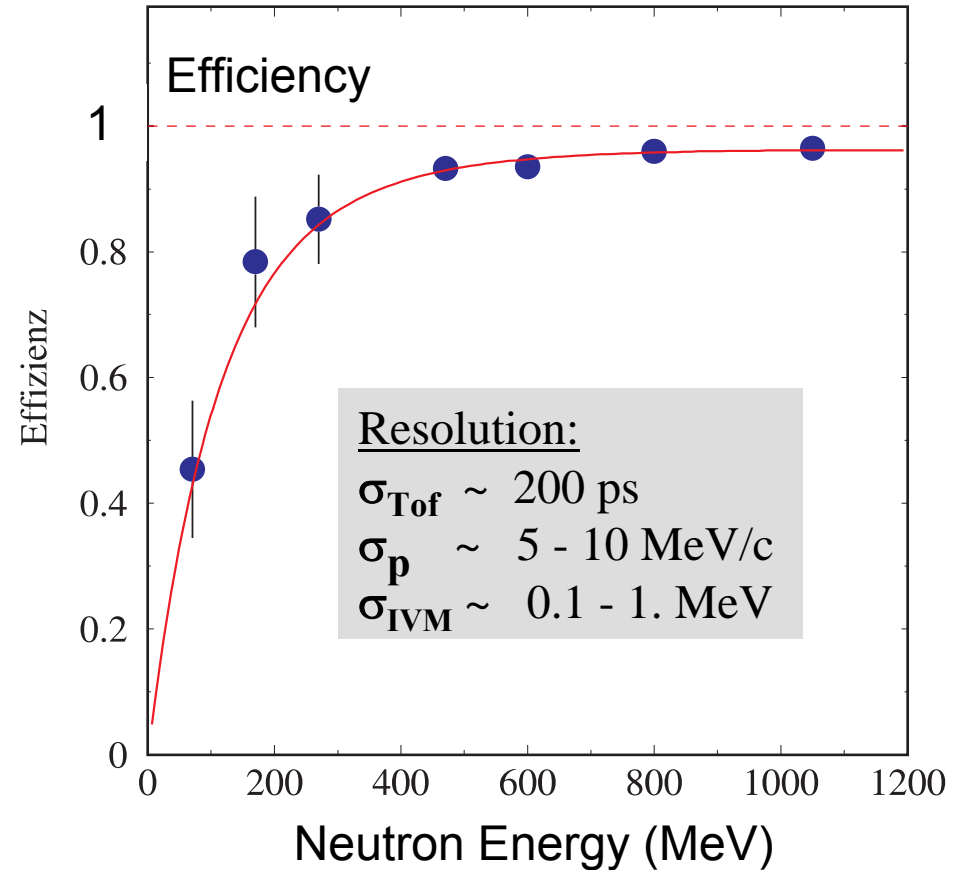
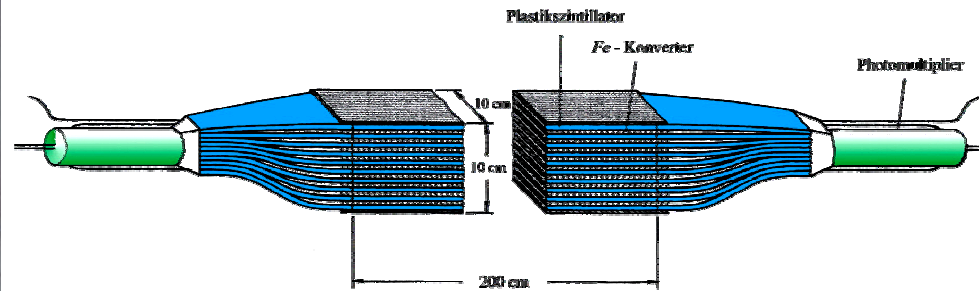
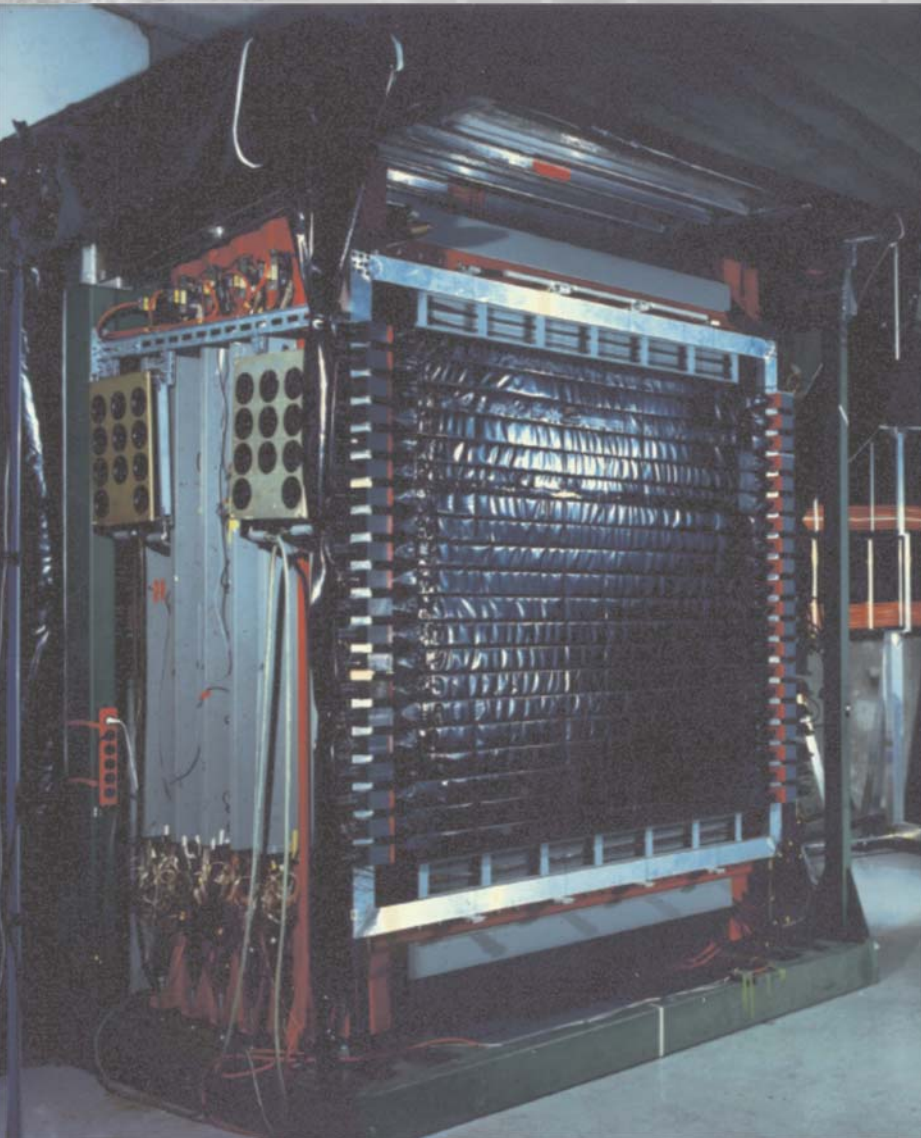
Crystal Ball  
and Target

**Excitation energy  $E^*$**  from kinematically complete measurement of all outgoing particles:

$$E^* = \left( \sqrt{\sum_i m_i^2 + \sum_{i \neq j} m_i m_j \gamma_i \gamma_j (1 - \beta_i \beta_j \cos \theta_{ij})} - m_{proj} \right) c^2 + E_\gamma$$



# The Large Area Neutron Detector LAND



# Scattering of Light Neutron-Rich Nuclei Investigated at LAND@GSI

## Knockout

single-particle structure

unbound states

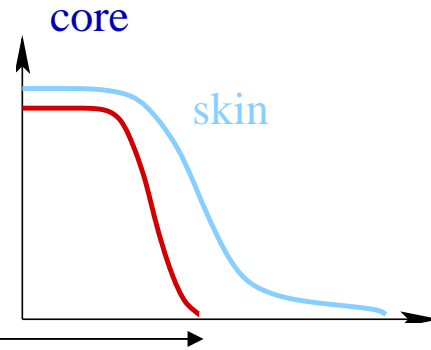
## Electromagnetic excitation

dipole response

single-particle structure

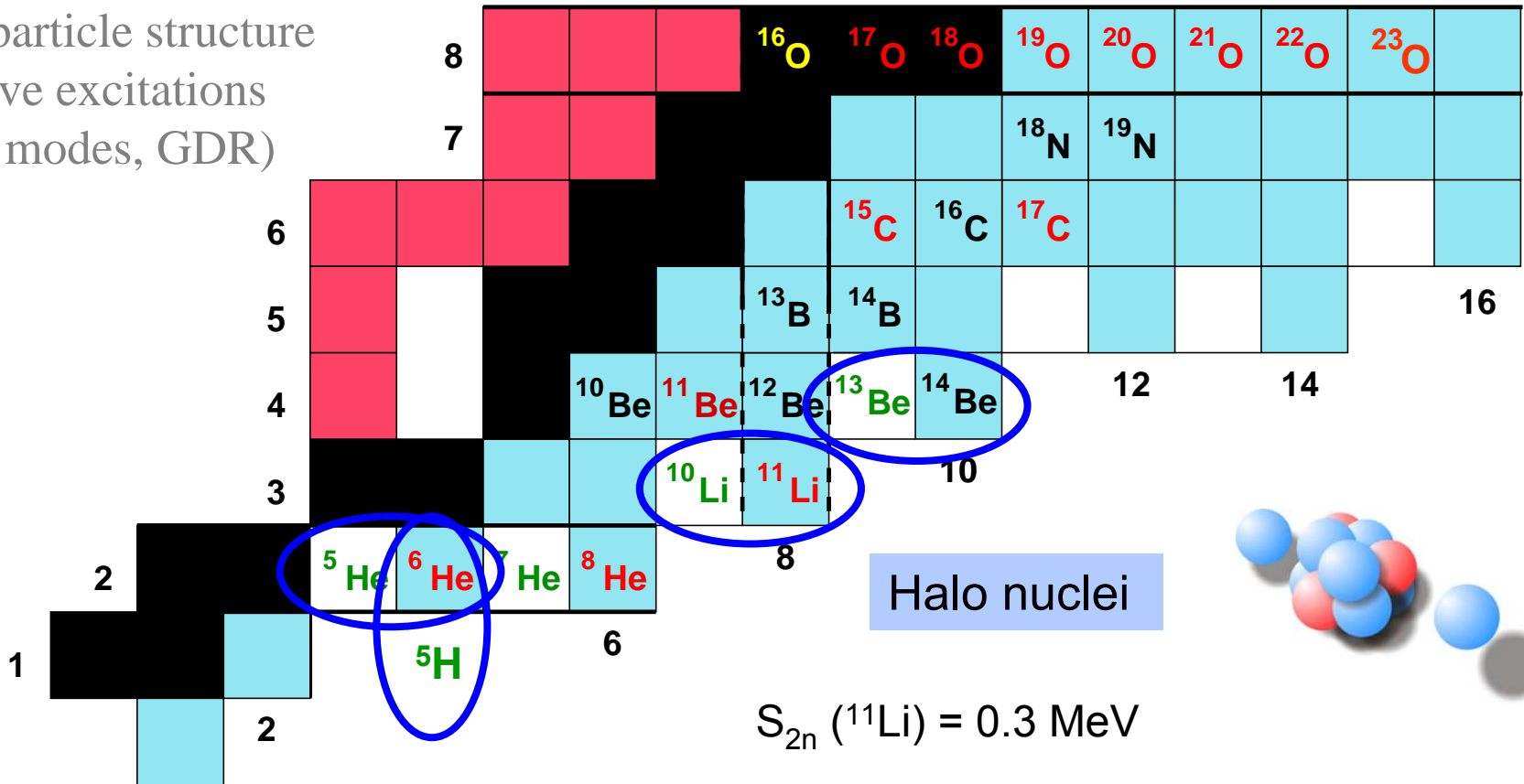
collective excitations  
(soft modes, GDR)

Neutron skin



$S_n \sim 16$  MeV

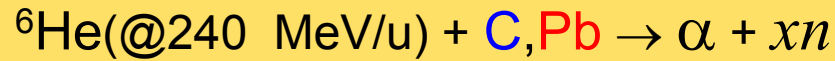
$S_n \sim 4-7$  MeV



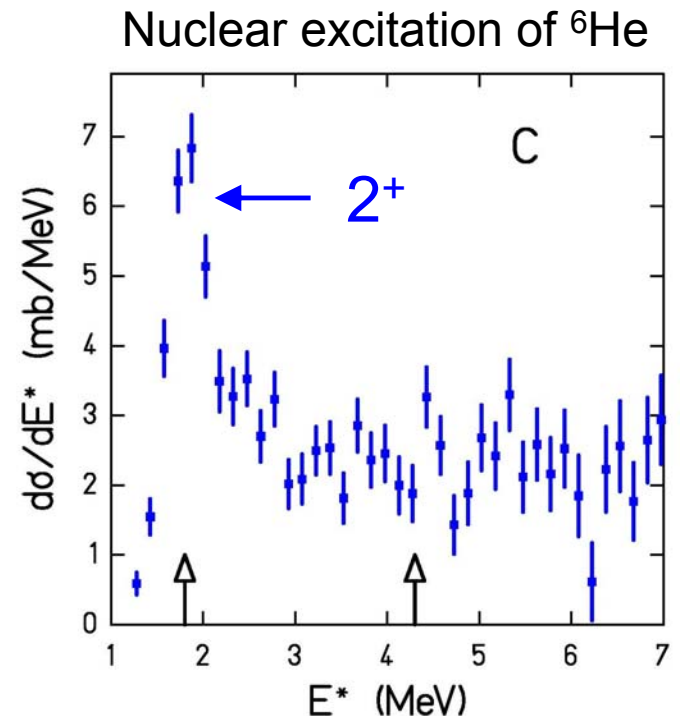
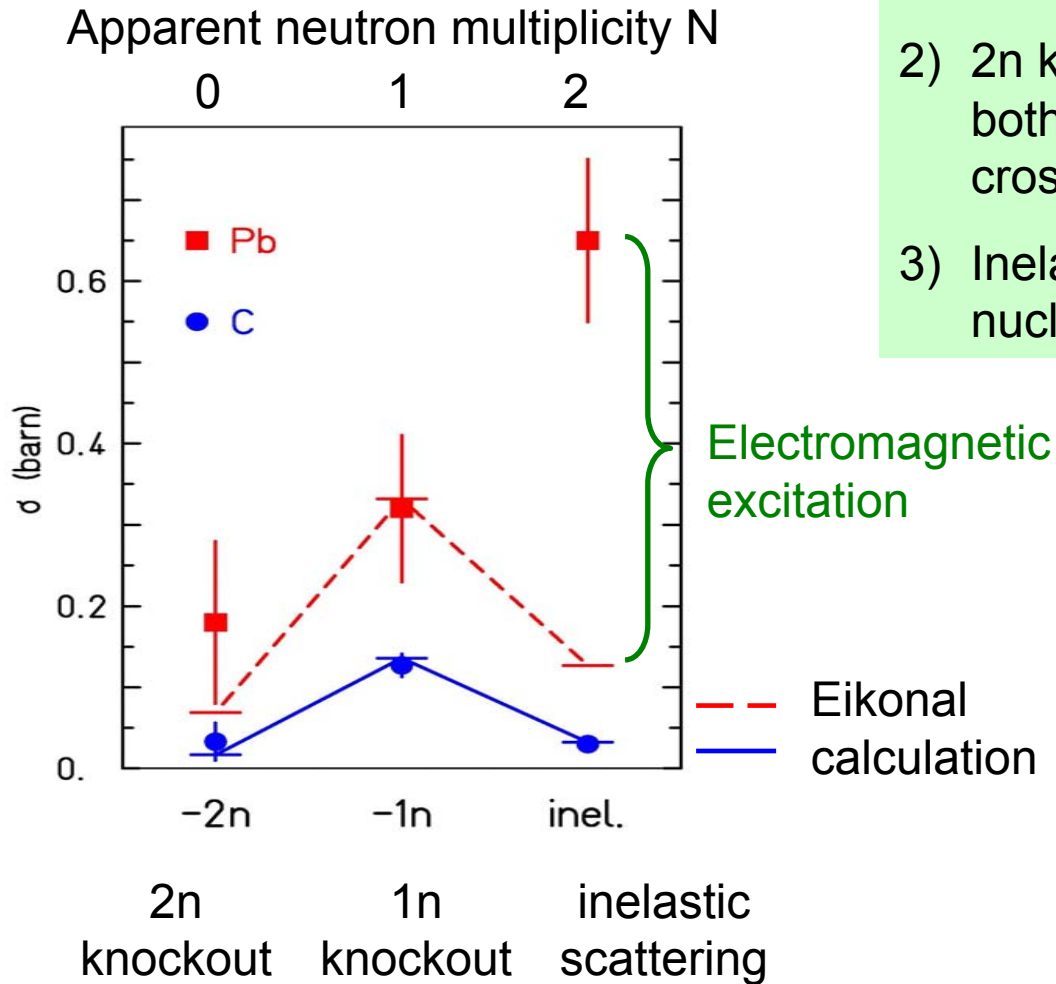
$S_{2n} (^{11}\text{Li}) = 0.3$  MeV



# Reaction mechanisms for two-neutron Halo nuclei



- 1) 1n knockout:  
one n scattered to large angles ( $\rightarrow N=1$ )
- 2) 2n knockout:  
both neutrons react with target ( $\rightarrow N=0$ )  
cross section sensitive to correlations
- 3) Inelastic scattering ( $\rightarrow N=2$ )  
nuclear/electromagnetic excitation

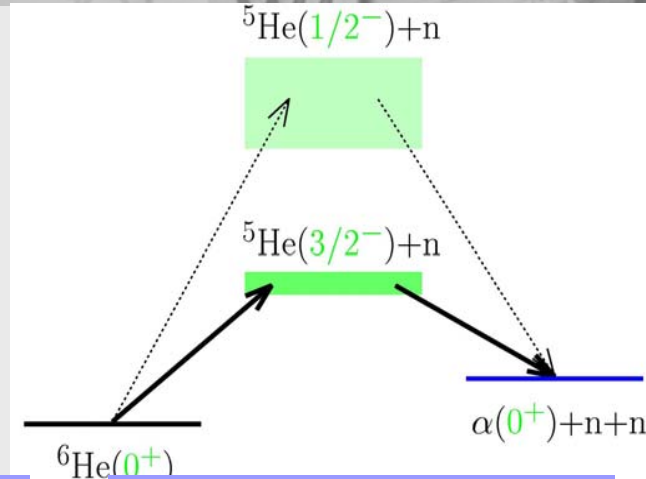
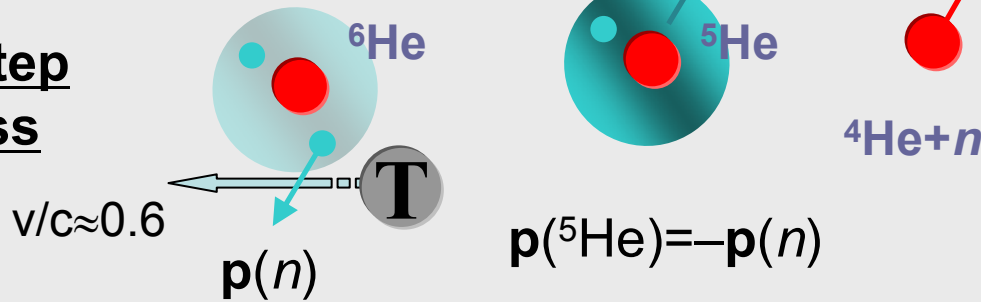




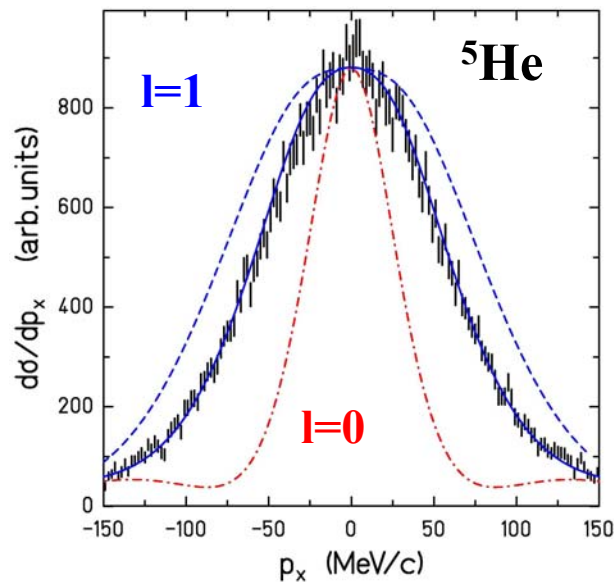
# Knockout to Continuum States: The ${}^6\text{He}$ test case

One-neutron knockout on  ${}^6\text{He}$   
(240 MeV/u):

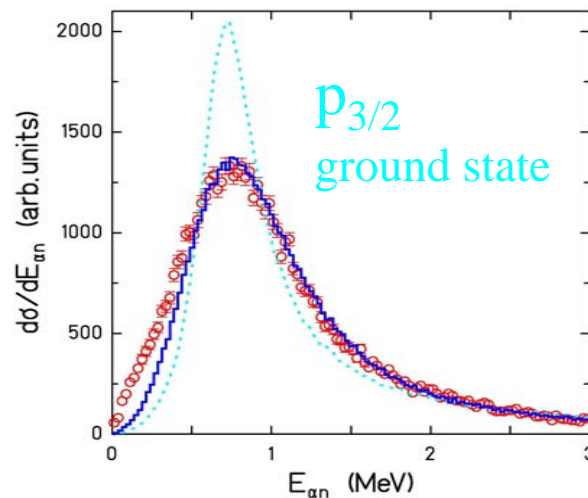
**Two-step process**



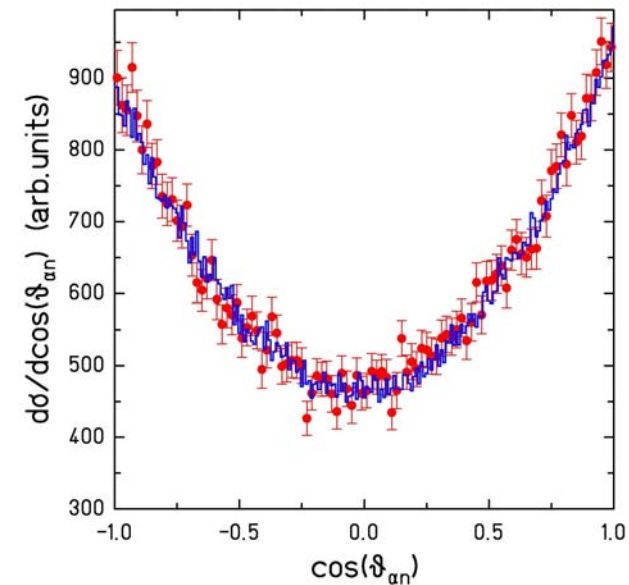
Momentum distribution



Relative energy  ${}^4\text{He} \leftrightarrow n$



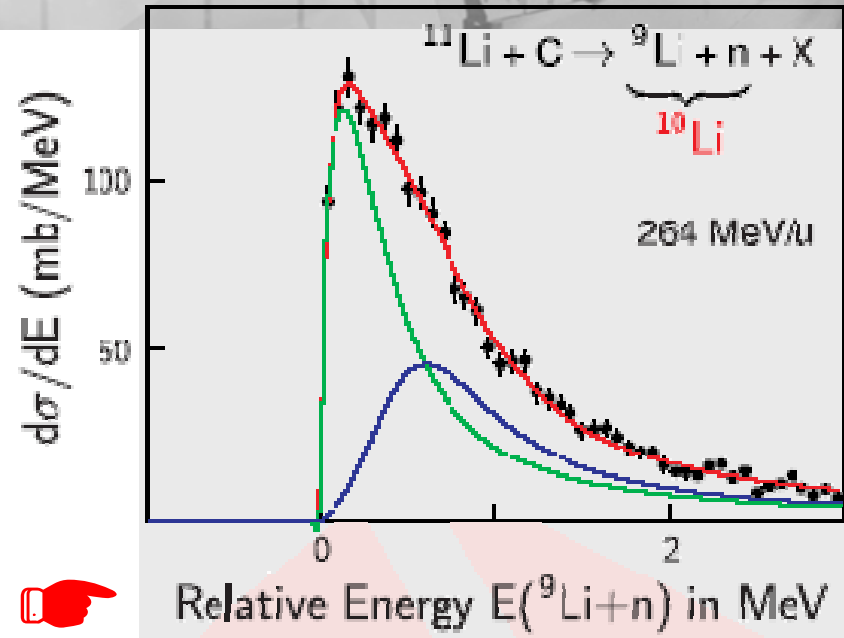
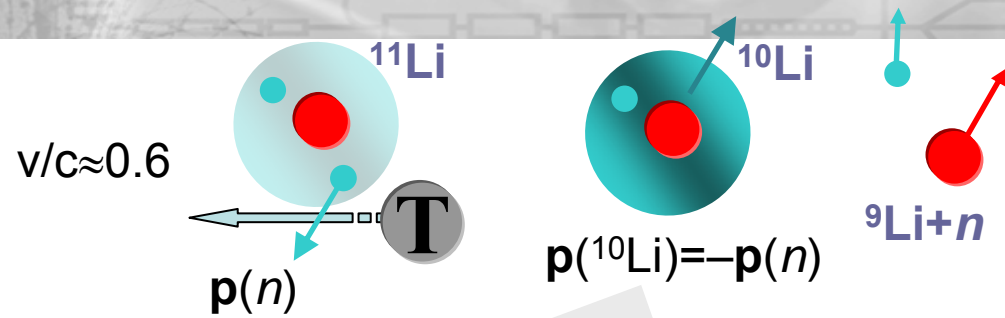
Angular correlation



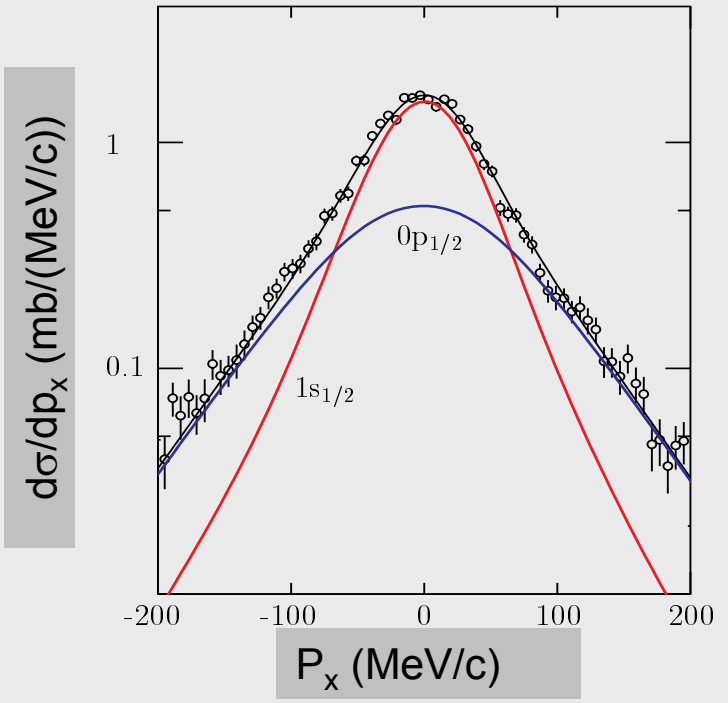
Data: LAND-FRS@GSI, D. Aleksandrov et al., NPA 633 (1998), L. Chulkov et al., PRL 79 (1999) 201

⇒ Structure of  $2n$ -halo nuclei, spectroscopy of unbound states

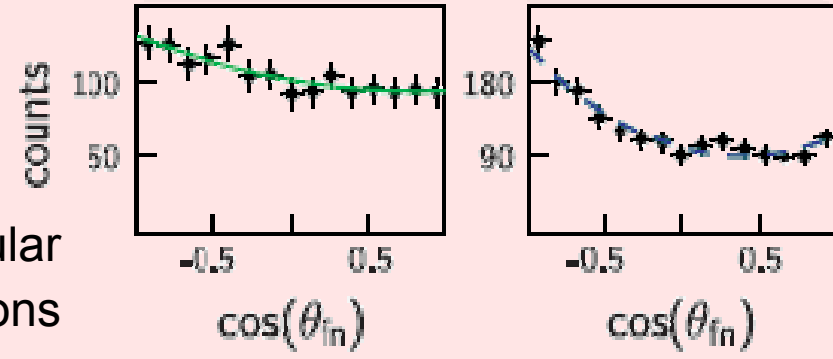
# The halo of $^{11}\text{Li}$ : $s$ and $p$ waves



Momentum distribution  $^{10}\text{Li}$



Angular correlations

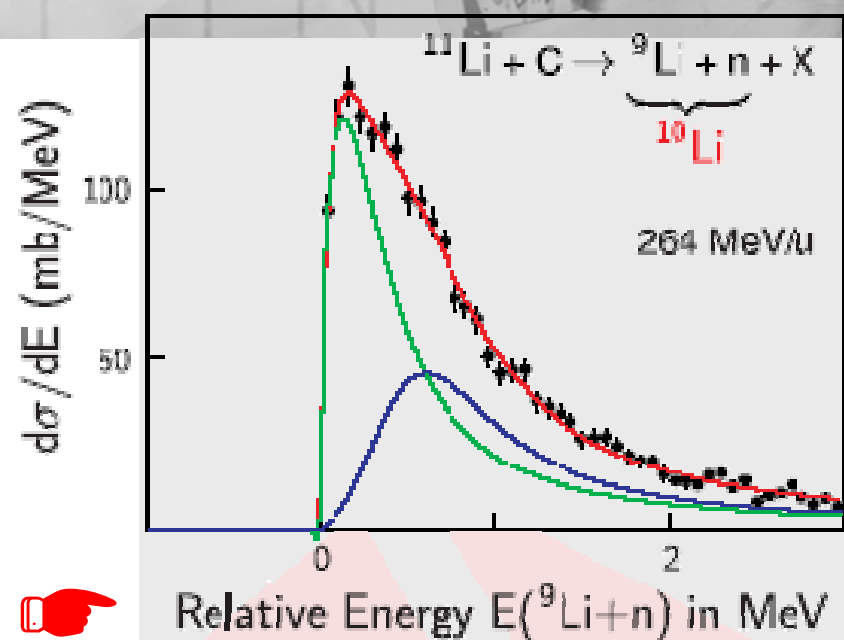
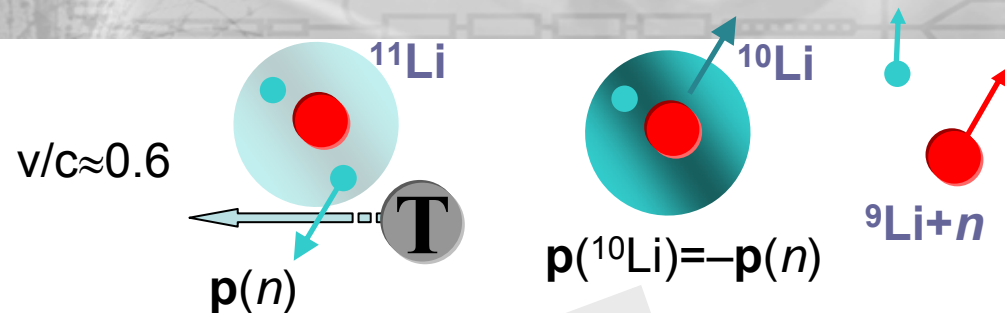


⇒ Strong  $s$ -wave admixture

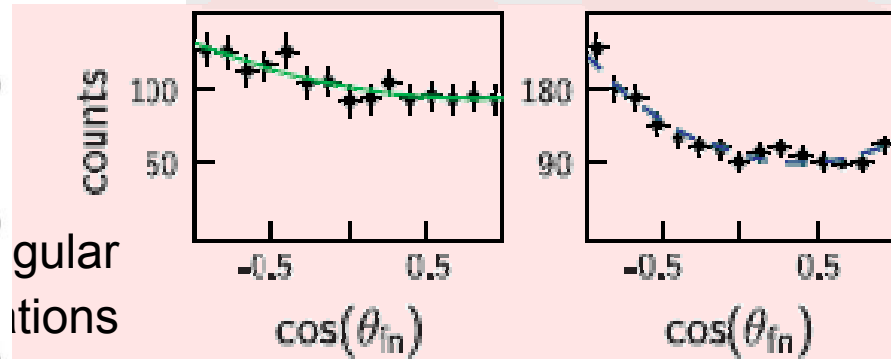
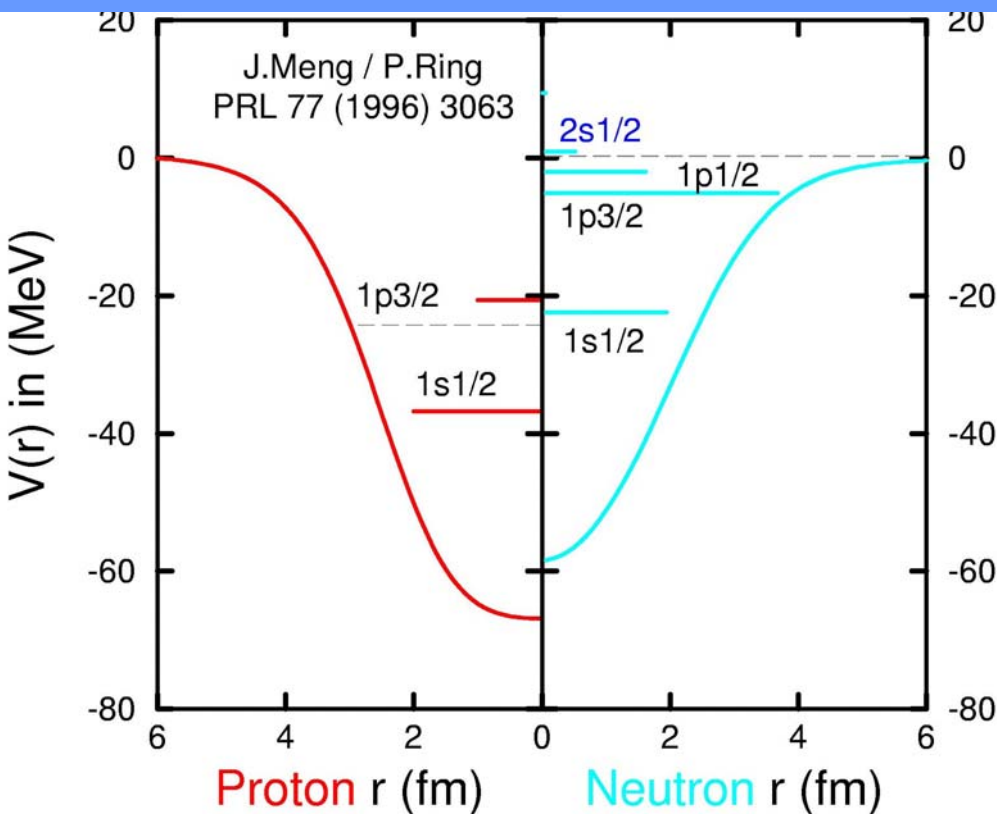
$$(s_{1/2})^2 / (p_{1/2})^2 \approx 1$$

Data: LAND-FRS@GSI, H. Simon et al., Phys. Rev. Lett. 83 (99) 496

# The halo of $^{11}\text{Li}$ : $s$ and $p$ waves



## Theory: relativistic mean field



**Strong  $s$ -wave admixture**

$$(s_{1/2})^2 / (p_{1/2})^2 \approx 1$$

**Superheavy Hydrogen  ${}^5\text{H}$**

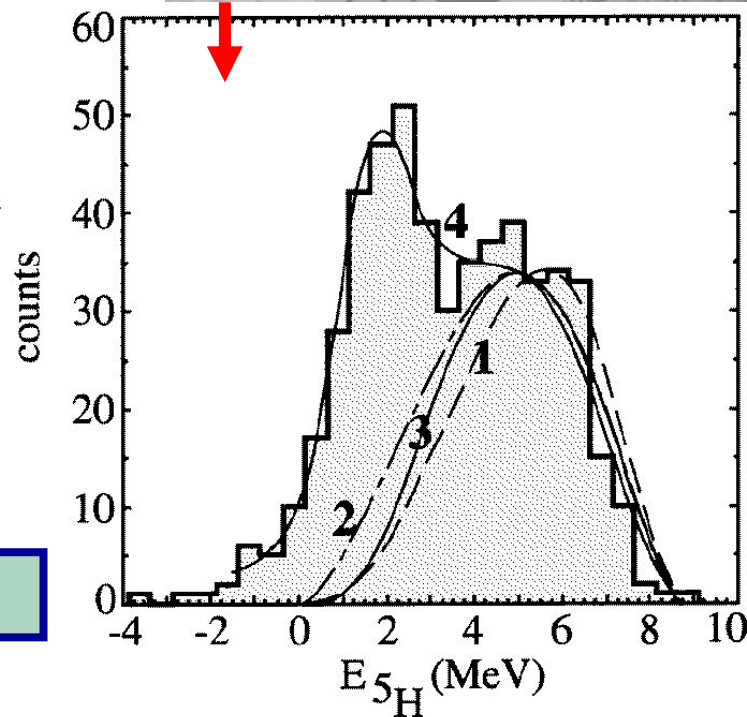
A. A. Korshennikov,\* M. S. Golovkov,\*<sup>†</sup> and I. Tanihata  
 RIKEN, Hirosawa 2-1, Wako, Saitama 351-0198, Japan

A. M. Rodin, A. S. Fomichev, S. I. Sidorchuk, S. V. Stepantsov, M. L. Chelnokov, V. A. Gorshki  
 D. D. Bogdanov, R. Wolski,<sup>‡</sup> G. M. Ter-Akopian, and Yu. Ts. Oganessian  
 JINR, 141980 Dubna, Moscow region, Russia

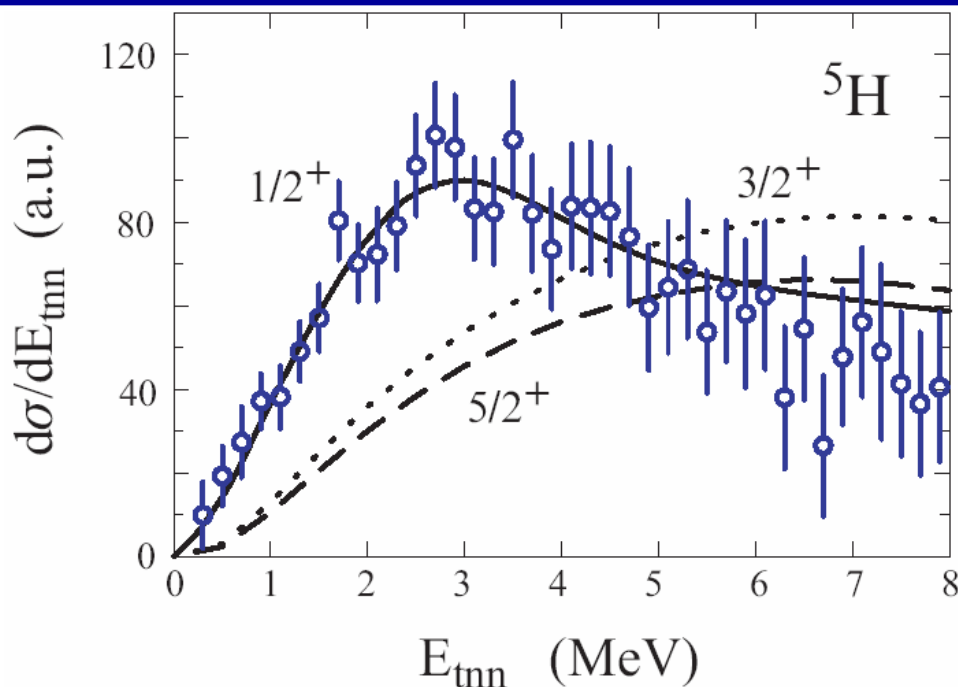
W. Mittig, P. Roussel-Chomaz, and H. Savajols  
 GANIL BP 5027, F-14076 CAEN cedex 5, France

E. A. Kuzmin, E. Yu. Nikolskii,<sup>§</sup> and A. A. Ogloblin  
 Kurchatov Institute, Kurchatov square 1, 123182 Moscow, Russia  
 (Received 27 March 2001; published 13 August 2001)

at GSI :  ${}^6\text{He} \rightarrow t + n + n$  (proton knockout)



notice: different reactions may populate different states !!

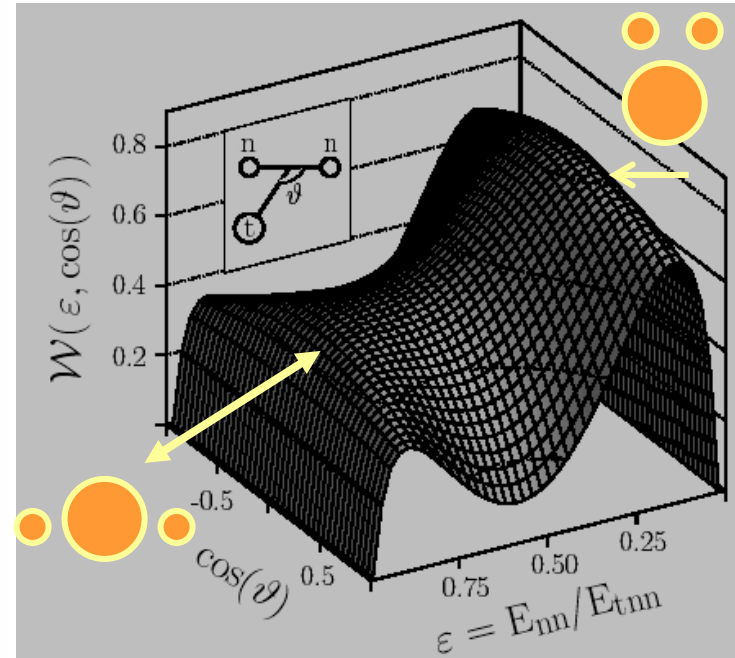
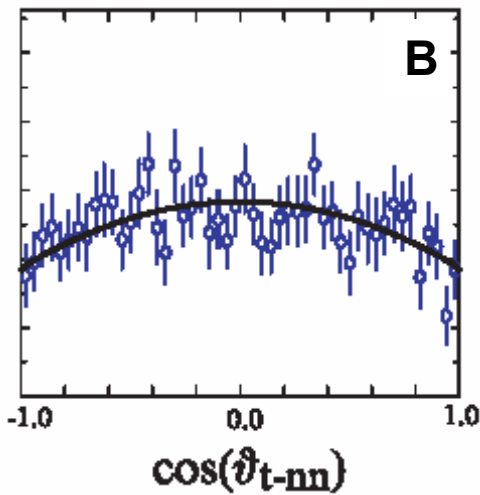
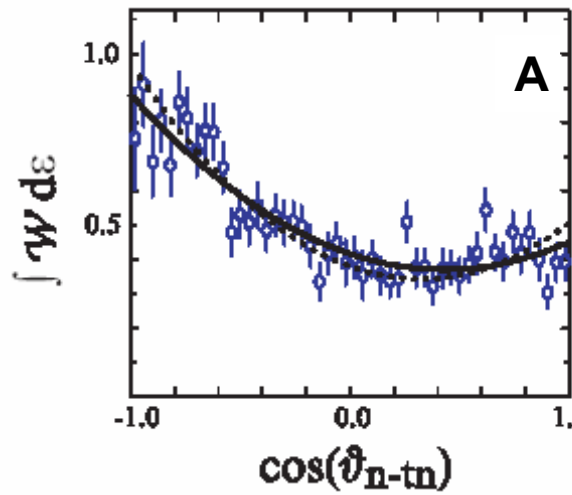
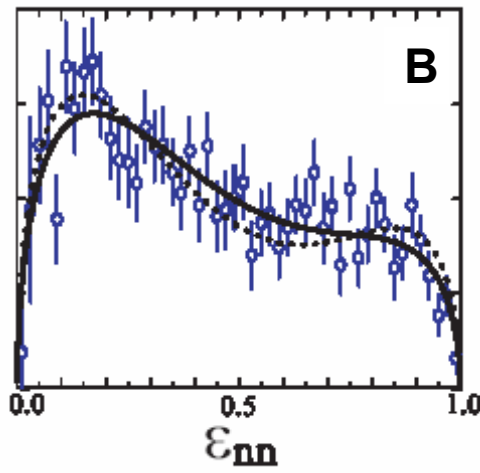
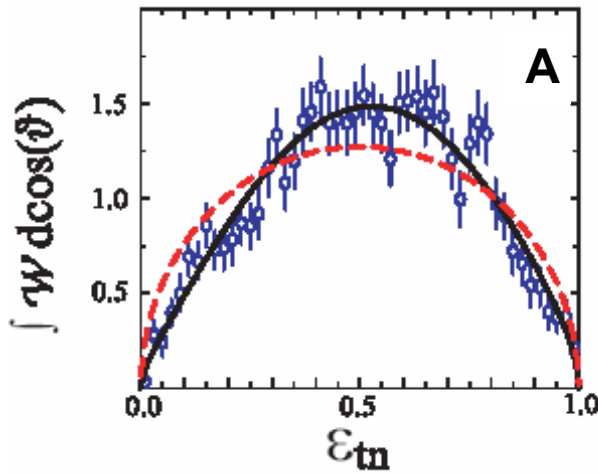
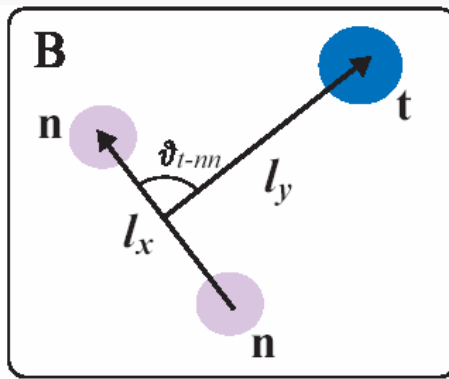
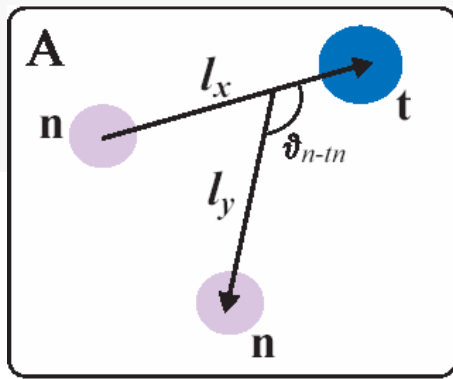


Data consistent with 3-body calculation of Shulgina et al (PRC62, 2000, 014312) with  $I\pi=1/2^+$   ${}^5\text{H}$  ground state

M. Meister et al. , Phys. Rev. Lett. 91 (2003) 162504

Nucl. Phys. A 723 (2003) 13

**3-body coordinate frames**  
*analysis by means of*  
*Hyperspherical Harmonics*  
*expansion (truncated)*




# Conclusion Knockout / Halo Nuclei

- Momentum distributions after one-nucleon removal are directly linked to the wavefunction of the removed nucleon (at the surface)
- Cross sections are large, in particular for Halo nuclei
- Knockout reactions have been established as a spectroscopic tool
  - coincident  $\gamma$ -ray spectroscopy defines core state
  - or likewise invariant-mass spectroscopy in case of unbound residual states
  - momentum distributions define  $l$ -value of knocked-out nucleon
  - cross sections yield spectroscopic factors
  - angular correlations  $\rightarrow$  quantum numbers
    - $\rightarrow$  disentangle overlapping states in the continuum
  - spectroscopy of unbound states (even beyond the drip line)

 Comparison of knockout reactions to Coulomb breakup: next lecture

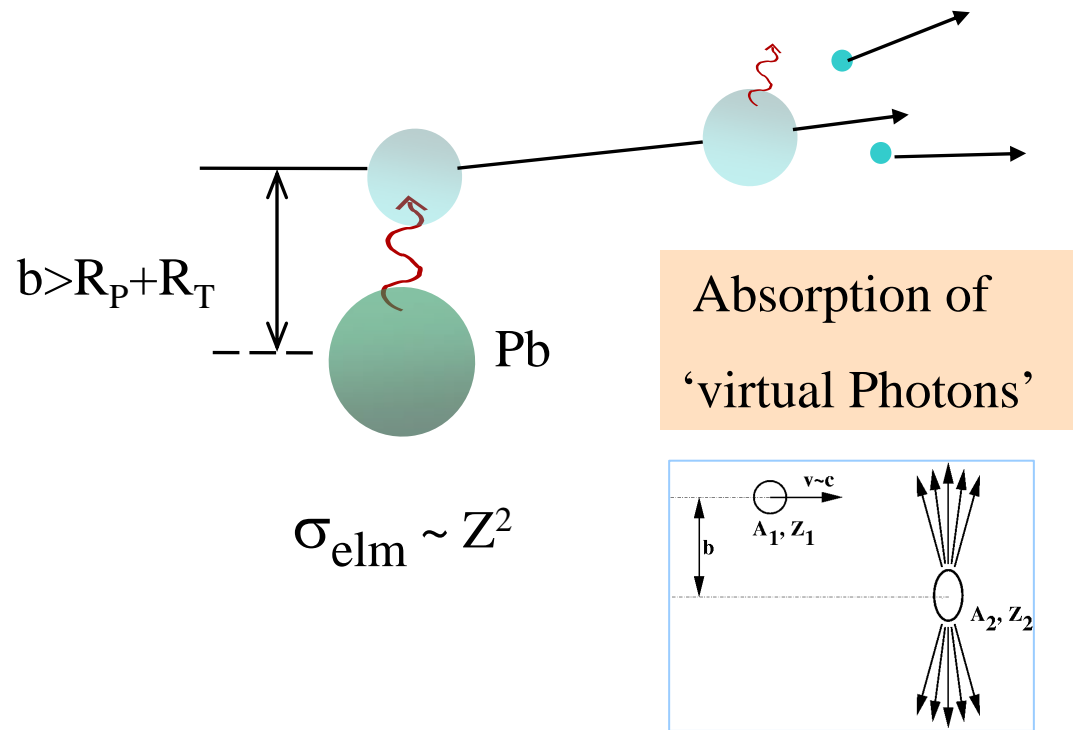


- 
- ✓ Introduction: Physics, Experiments, Production
  - ✓ At and beyond the drip line: knockout reactions

## **Dipole excitations of neutron-rich nuclei**

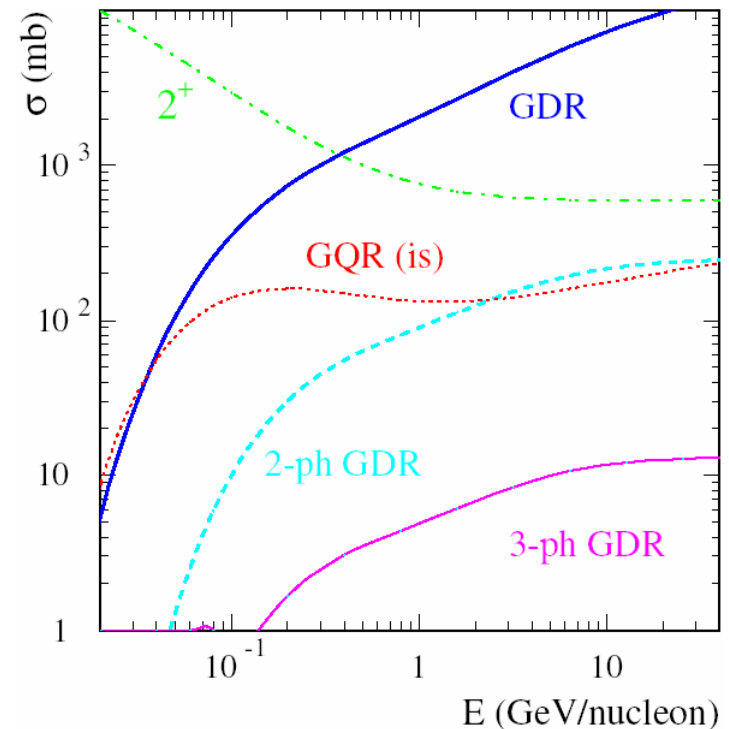
- Coulomb breakup of halo nuclei
  - Giant and Pygmy collective excitations
- Future Developments

# Experimental Approach: Electromagnetic excitation at high energies



Semi-classical theory:

$$d\sigma_{\text{elm}} / dE = N_{\gamma}(E) \sigma_{\gamma}(E)$$

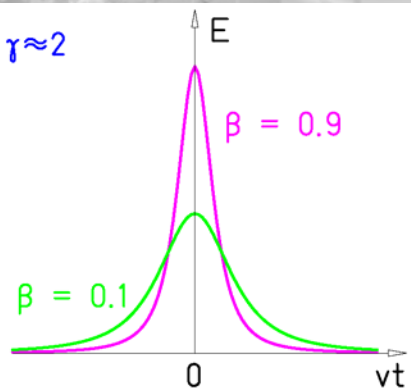


High velocities  $v/c \approx 0.6-0.9$   
 $\Rightarrow$  High-frequency Fourier components

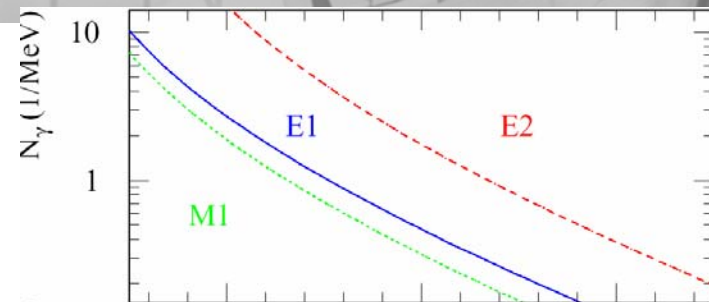
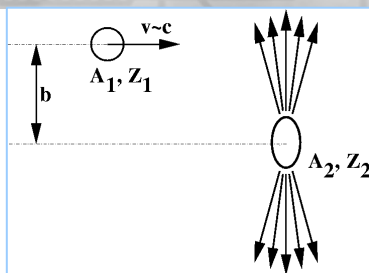
$$E_{\gamma, \text{max}} \approx 25 \text{ MeV (@ 1 GeV/u)}$$

Determination of 'photon energy' (excitation energy) via a kinematically complete measurement of the momenta of all outgoing particles (invariant mass)

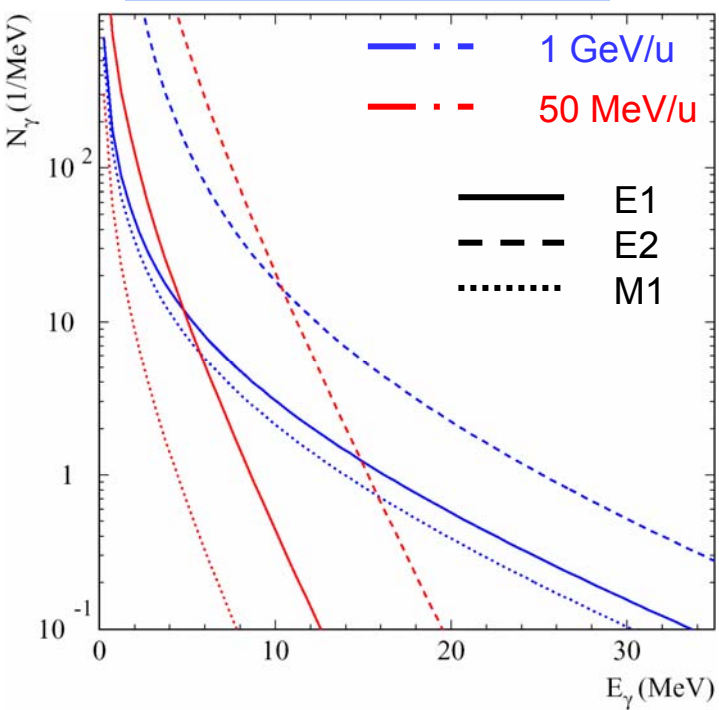
# Heavy-ion induced electromagnetic excitation at high beam energies



Two effects:  
velocity plus  
Lorentz  
contraction



virtual photon spectrum

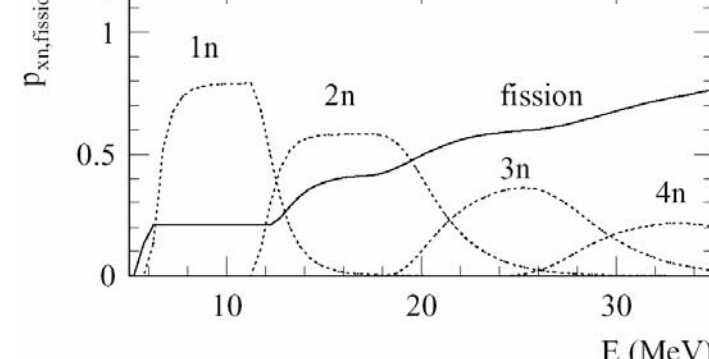
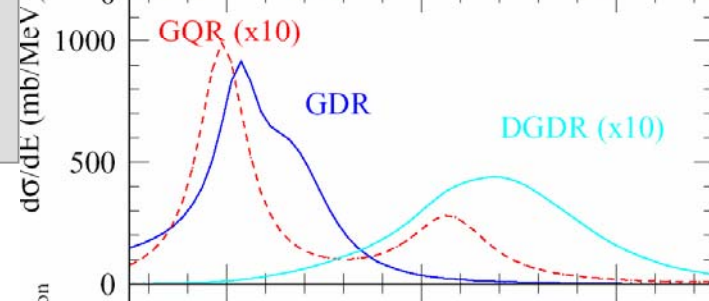
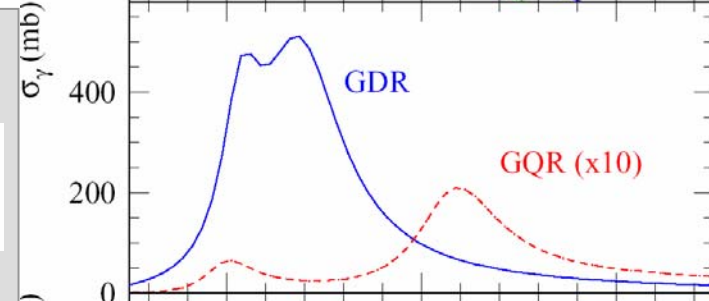


adiabatic cut-off:

$$E_{\max} = \frac{\hbar}{\tau} = \frac{\hbar c \gamma \beta}{b}$$

$E_{\max} = 25 \text{ MeV}$   
for 1 GeV/u

approaches  
plane wave  
for  $\gamma \gg 1$   
all  $N_{\pi l}$  equal  
(as for real  
photon beams)

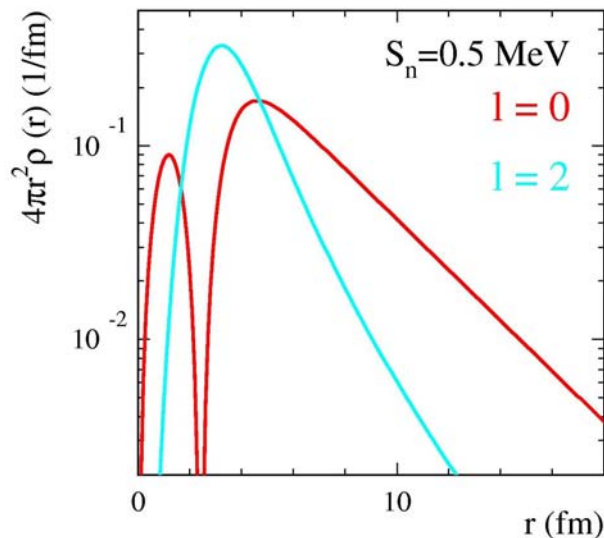


# Low-Lying E1 Strength as Spectroscopic Tool

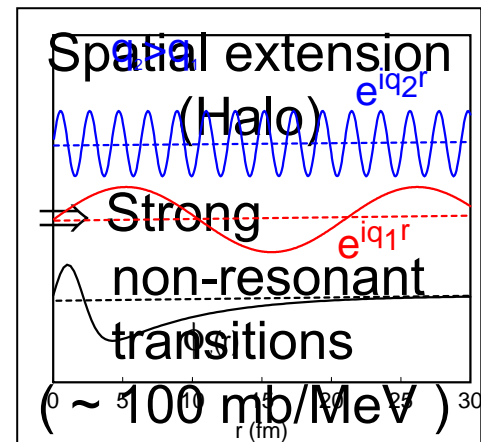
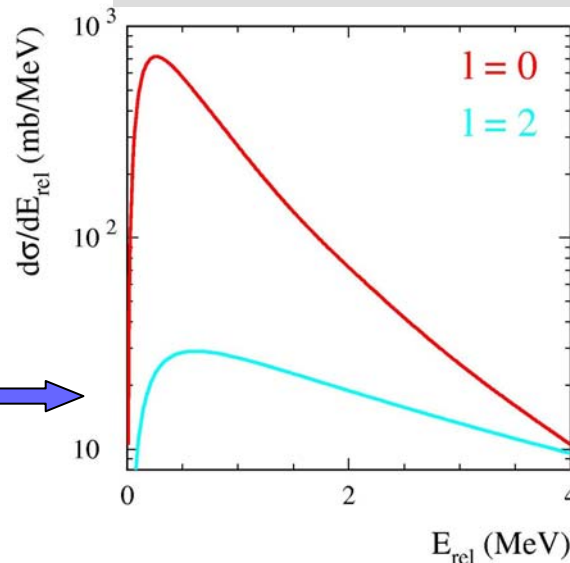
Wave function: e.g.  $|^{11}\text{Be}\rangle = \alpha |^{10}\text{Be}(0^+) \otimes 2s_{1/2}\rangle + \beta |^{10}\text{Be}(2^+) \otimes 1d_{5/2}\rangle + \dots$

$$d\sigma(I_c^\pi)/dE_{\text{rel}} = \frac{16\pi^3}{9\hbar c} N_{E1}(E^*) S(I_c^\pi, nlj) \sum_m \left| \langle \mathbf{q} | \frac{Ze}{A} \mathbf{r} Y_m^1 | \Phi_{nlj} \rangle \right|^2$$

Density distribution



Differential cross section



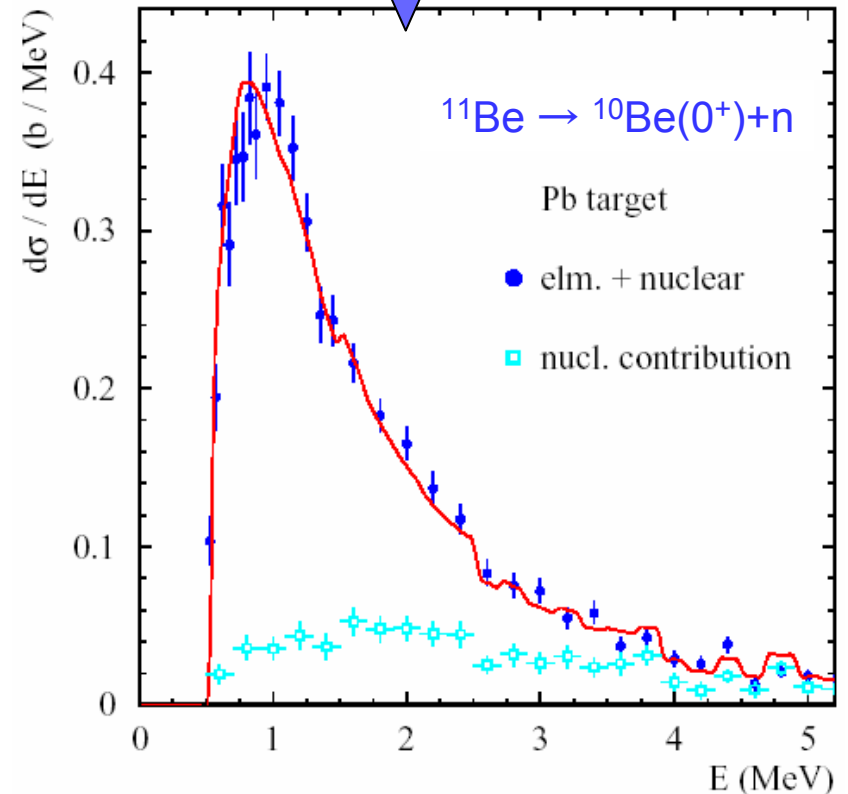
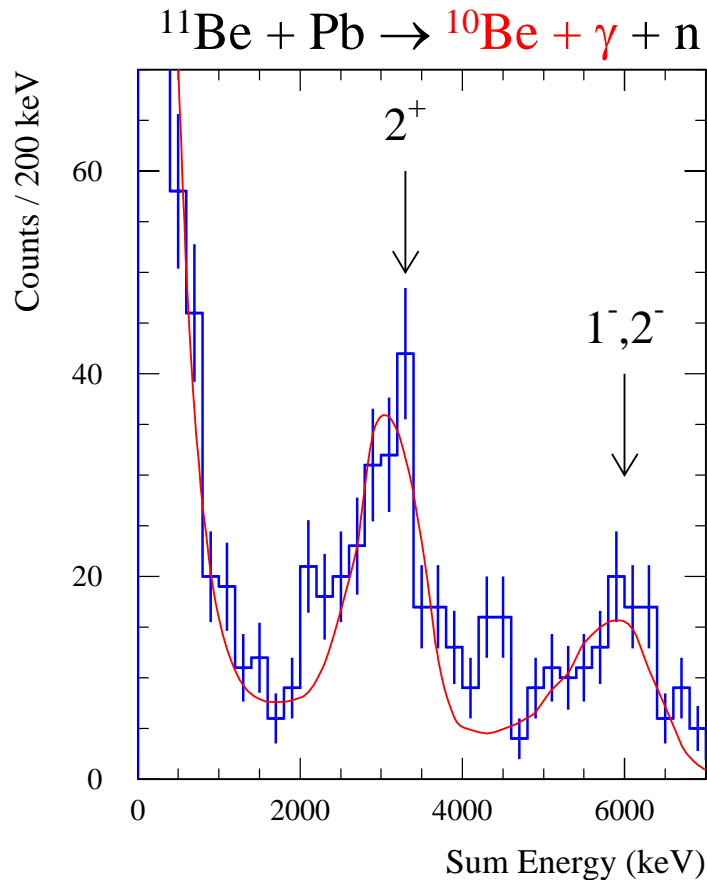
Shape of differential cross section  $\Rightarrow$  angular momentum  $l$

$\gamma$ -ray coincidence  $\Rightarrow$  identification of core state

Cross section  $\Rightarrow$  spectroscopic factor

# Coulomb Breakup of $^{11}\text{Be}$ : The Classical One-Neutron Halo

$$|^{11}\text{Be}\rangle = \sqrt{S(2^+)} |^{10}\text{Be}(2^+) \otimes 1d_{5/2}\rangle + \underbrace{\sqrt{S(0^+)} |^{10}\text{Be}(0^+) \otimes 2s_{1/2}\rangle}_{\text{Coulomb breakup}} + \dots$$



# Coulomb Breakup of $^{11}\text{Be}$ : The Classical One-Neutron Halo

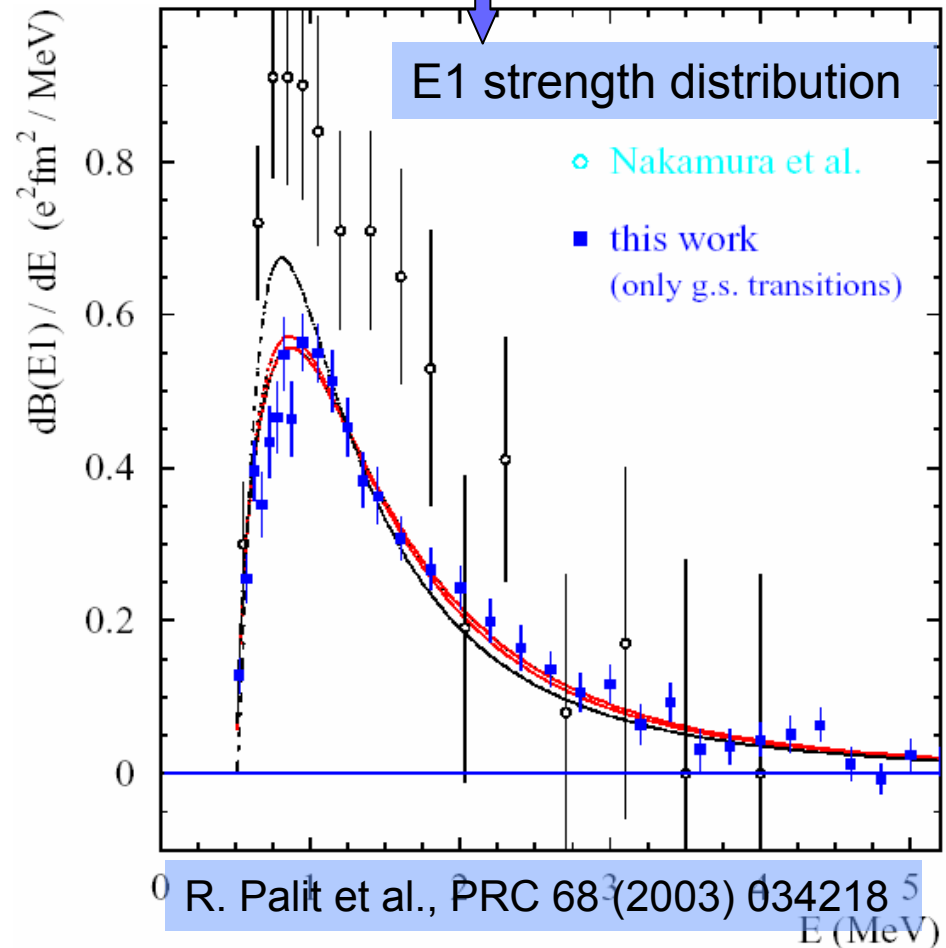
$$|^{11}\text{Be}\rangle = \sqrt{S(2^+)} |^{10}\text{Be}(2^+) \otimes 1d_{5/2}\rangle + \underbrace{\sqrt{S(0^+)} |^{10}\text{Be}(0^+) \otimes 2s_{1/2}\rangle}_{\text{E1 strength distribution}} + \dots$$

## Spectroscopic factor

Analysis in the effective range approach:

$$S(0^+) = 0.70(5)$$

S. Typel, G. Baur, PRL **93** (2004) 142502





# Coulomb Dissociation of $^{19}\text{C}$ and its Halo Structure

T. Nakamura,<sup>1,\*</sup> N. Fukuda,<sup>1</sup> T. Kobayashi,<sup>2</sup> N. Aoi,<sup>1</sup> H. Iwasaki,<sup>1</sup> T. Kubo,<sup>3</sup> A. Mengoni,<sup>3,†</sup> M. Notani,<sup>3</sup> H. Otsu,<sup>2</sup> H. Sakurai,<sup>3</sup> S. Shimoura,<sup>4</sup> T. Teranishi,<sup>3</sup> Y. X. Watanabe,<sup>1</sup> K. Yoneda,<sup>1</sup> and M. Ishihara<sup>1,3</sup>

<sup>1</sup>Department of Physics, University of Tokyo, 7-3-1 Hongo, Bunkyo, Tokyo 113-0033, Japan

<sup>2</sup>Department of Physics, Tohoku University, 2-1 Aoba, Aramaki, Aoba, Sendai 980-8578, Japan

<sup>3</sup>The Institute of Physical and Chemical Research (RIKEN), 2-1 Hirosawa, Wako, Saitama 351-0198, Japan

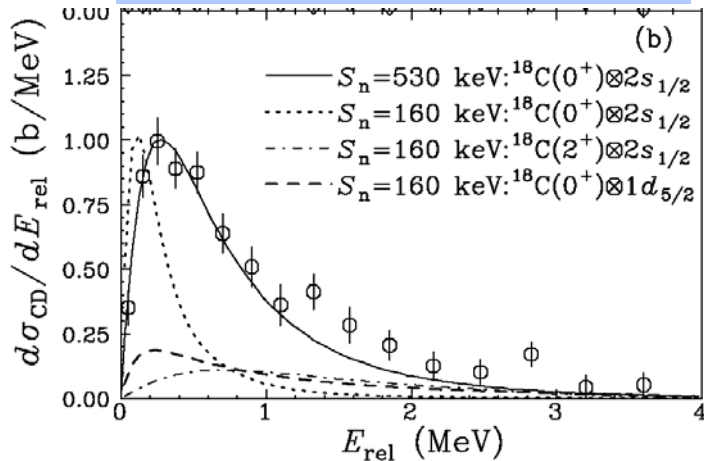
<sup>4</sup>Department of Physics, Rikkyo University, 3-34-1 Nishi-Ikebukuro, Toshima, Tokyo 171-8501, Japan

(Received 25 February 1999)

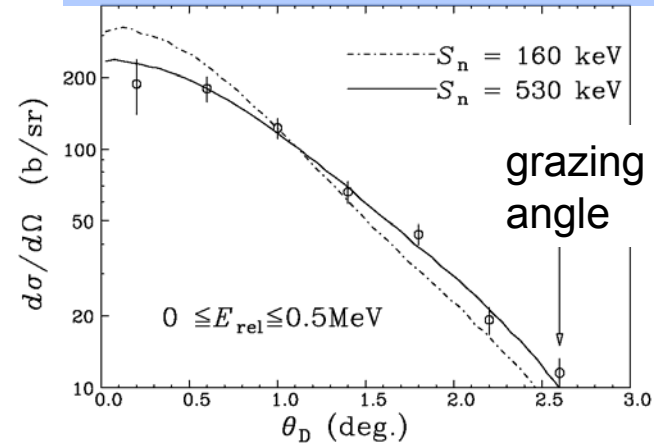


PRL 83  
(1999)  
1112

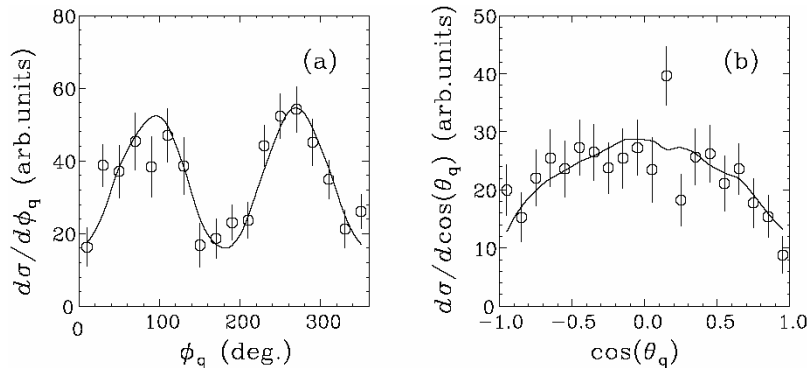
## Relative-energy distribution



## Differential cross section as a function of the scattering angle



## Angular distributions

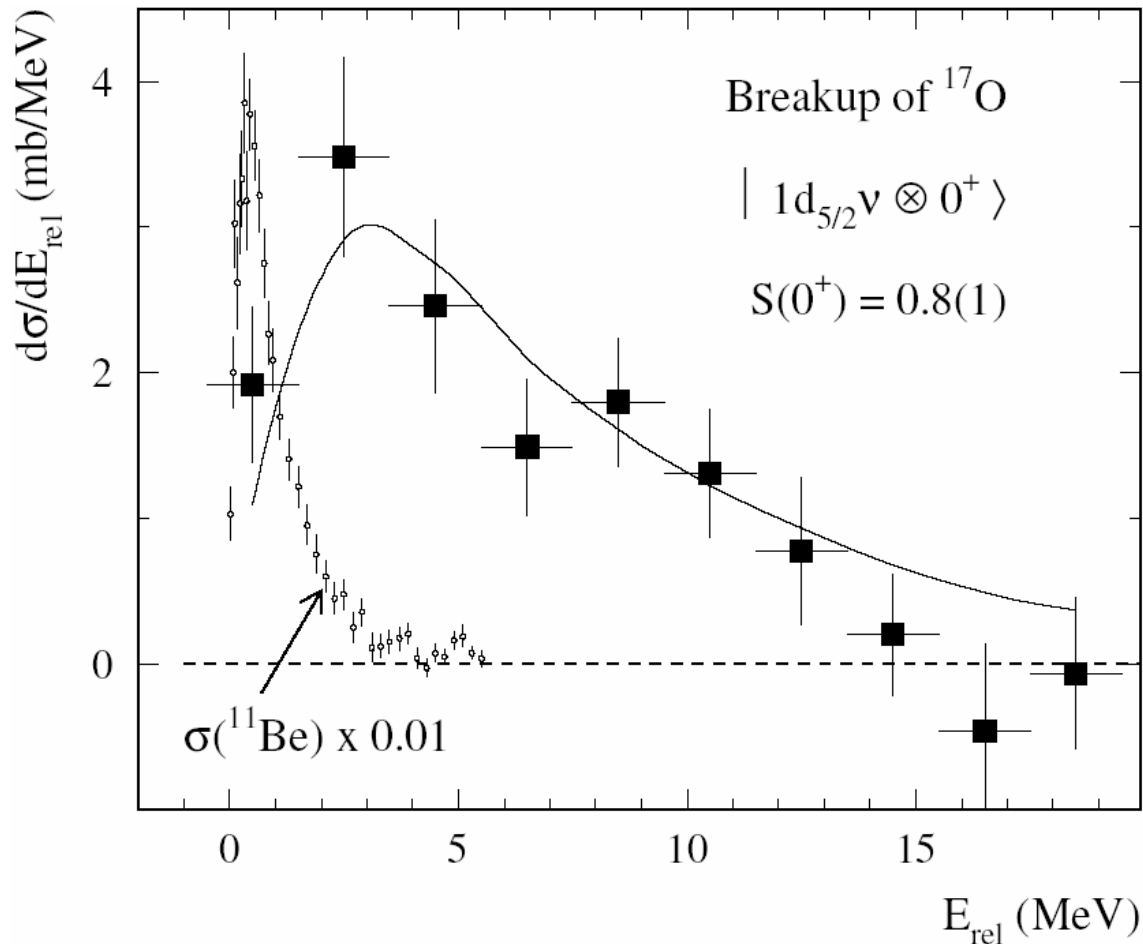


## Results from the measurement with an intensity of 300 ions/sec only:

- dominantly dipole excitations
- ground state spin  $I^\pi=1/2^+$
- $^{18}\text{C}(0^+) \otimes 1s_{1/2}$ :  $S = 0.67$
- separation energy  $S_n=530(130)$  keV

# Sensitivity of Coulomb breakup

Comparison of the one-neutron halo  $^{11}\text{Be}$  with the well bound  $^{17}\text{O}$  d neutron



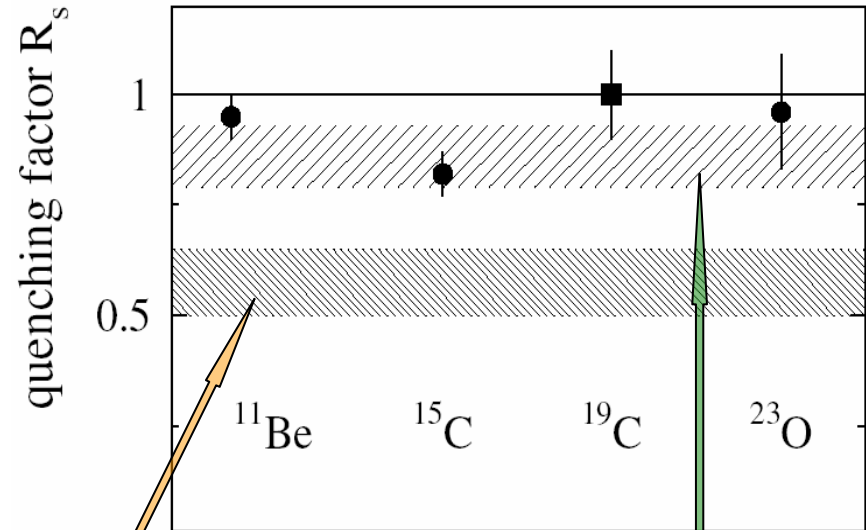
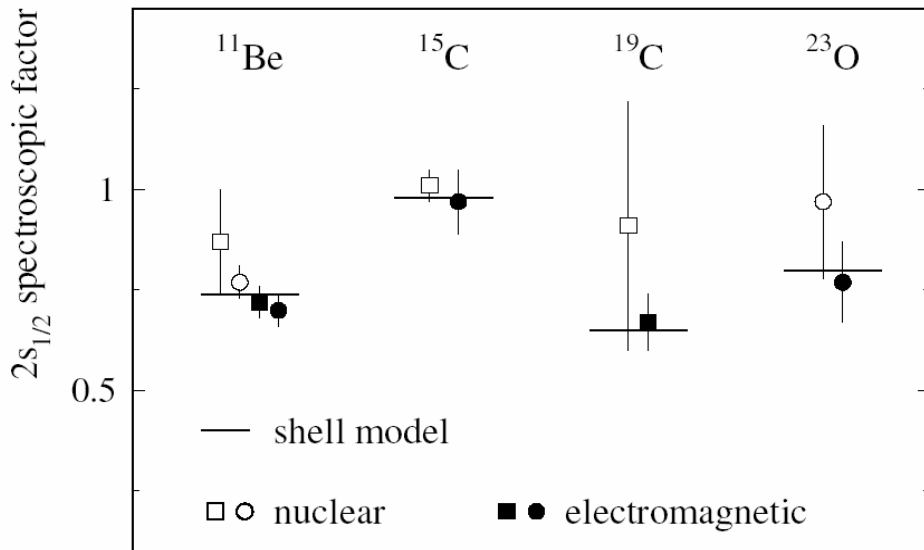
Coulomb breakup is very sensitive to extended neutron-density distributions (halo)

→ applicability as a spectroscopic tool mainly for weakly bound nuclei (large cross sections)

# Absolute single-particle occupancies

Spectroscopic factors for  $2s_{1/2}$  halo states derived from nuclear and Coulomb breakup in comparison to the shell model

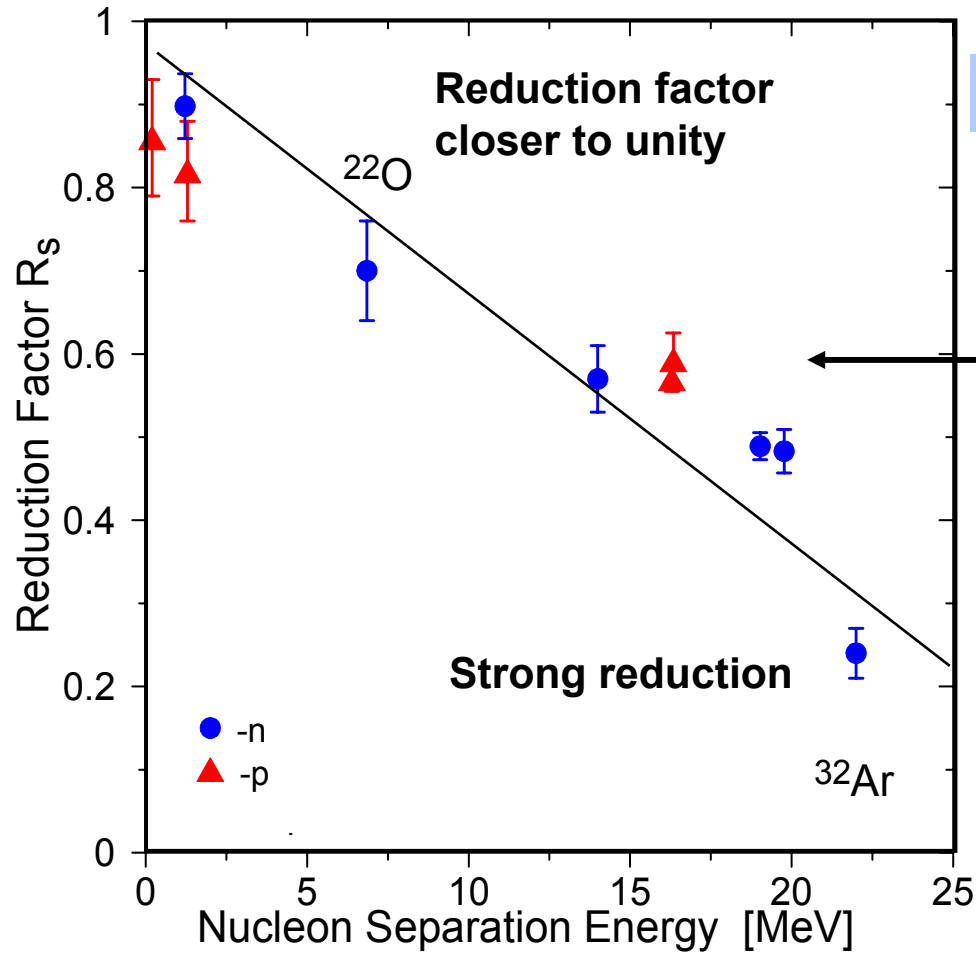
Ratio of experimental occupancies to shell-model values



Typical reduction observed for stable nuclei (deduced from electron-induced knockout reactions)  
effect of short-range correlations

Halo states  
(almost free nucleons)

# Isospin dependence of nucleon-nucleon correlations



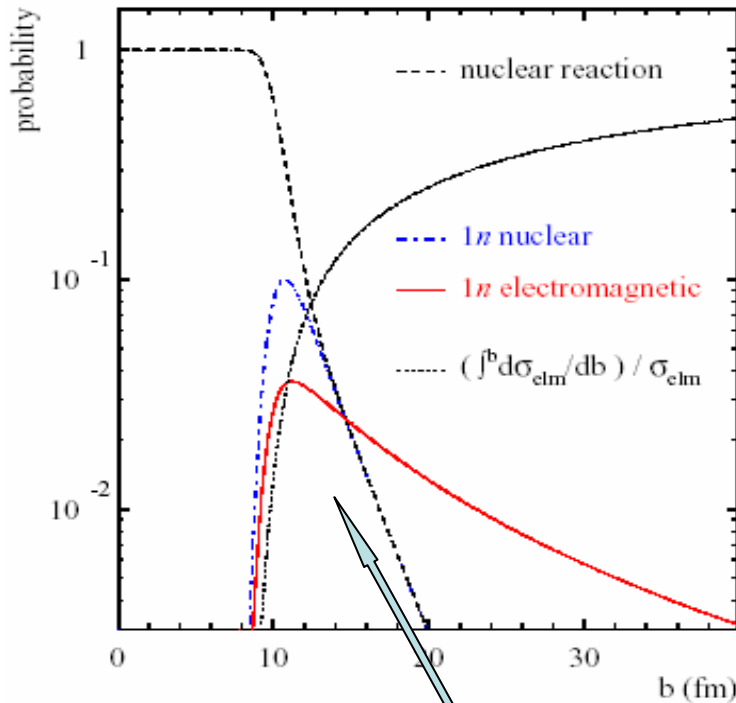
One-nucleon removal reactions

Known reduction in agreement with (e,e'p)

A. Gade et al.,  
PRL 93 (2004) 042501

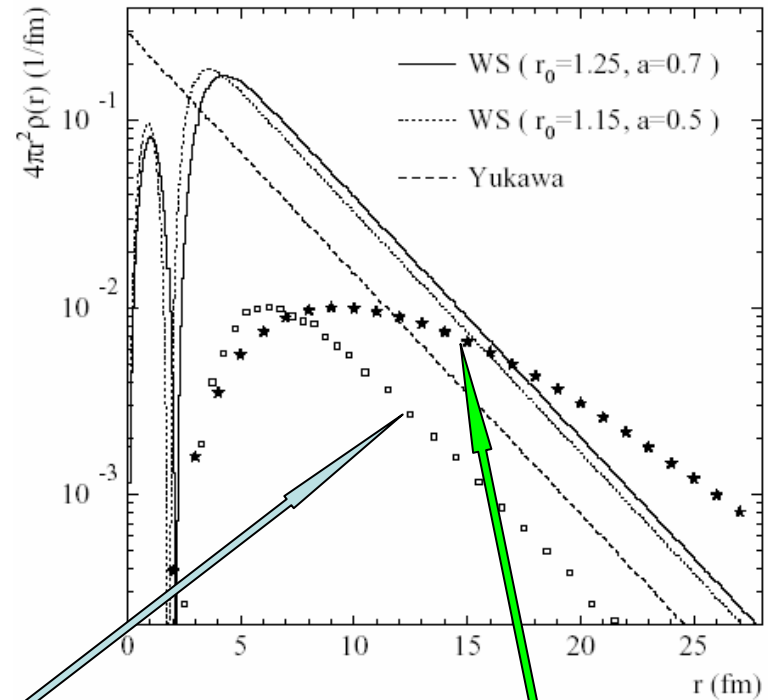
# Sensitivity of Coulomb and nuclear breakup

## Reaction probabilities



Nuclear breakup

## Halo-Neutron Densities



Coulomb breakup

Overlap with continuum wave function

Sensitivity to the tail of the wave function only

Alternative approach: quasi-free scattering: (p,2p), (p,pn) etc. at LAND and R3B

or (e,e'p) at the e-A collider at FAIR

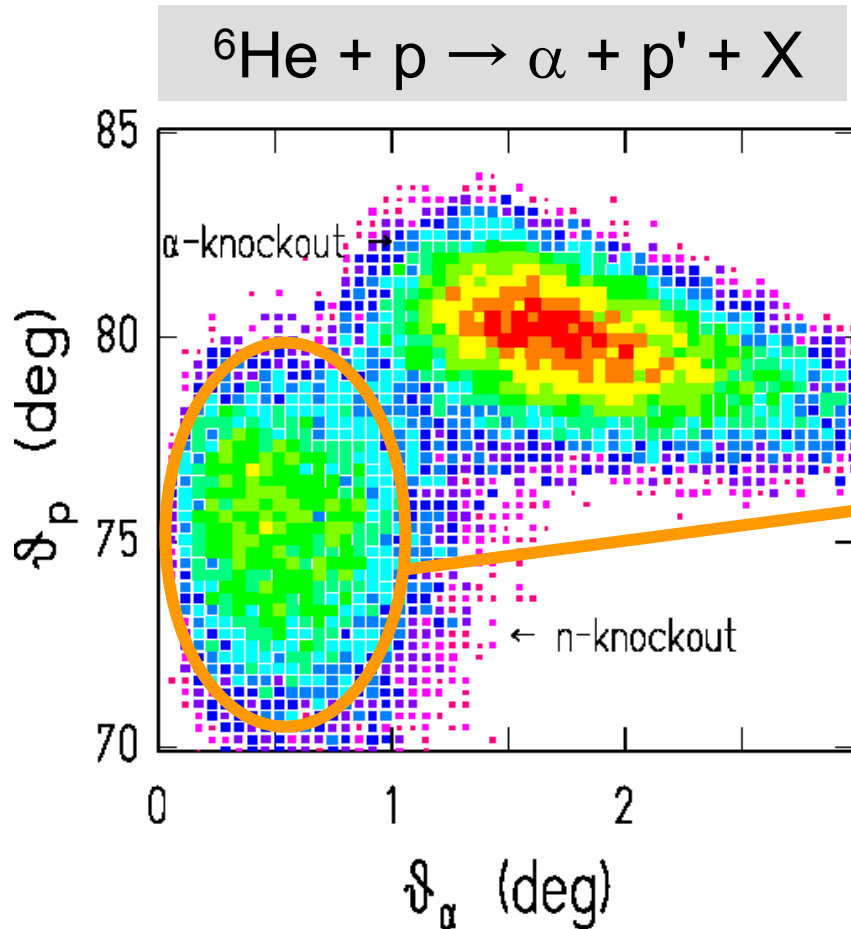
## Future: Quasi-free scattering in inverse kinematics

- kinematical complete measurement of  
(p,pn), (p,2p), (p,pd), (p, $\alpha$ ), .... reactions
- redundant experimental information:  
kinematical reconstruction from proton momenta  
plus gamma rays, recoil momentum, invariant mass
- sensitivity not limited to surface
  - spectral functions
  - knockout from deeply bound states
- cluster knockout reactions

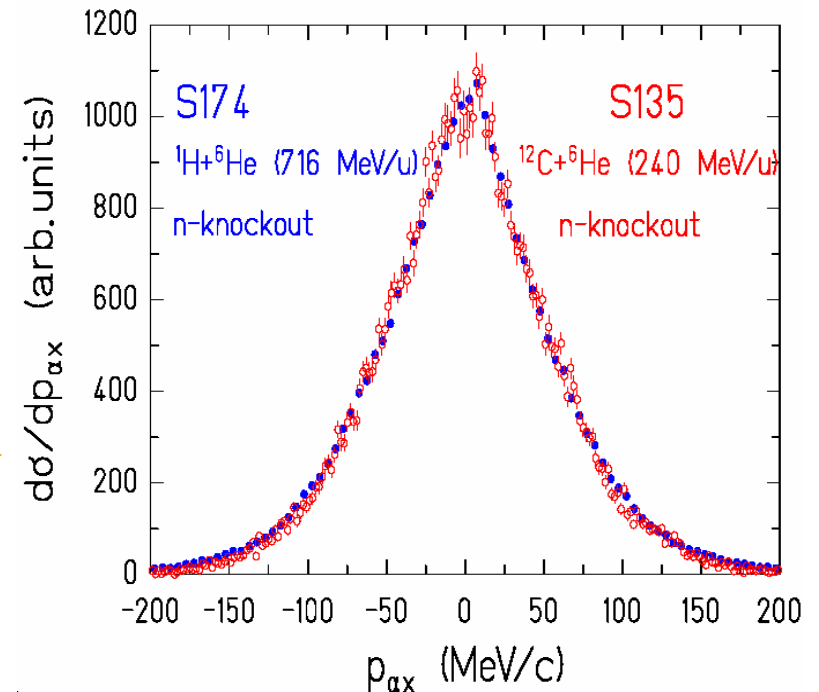


# Quasi-free cluster knockout

Experiment S174: Proton elastic scattering (P. Egelhof et al.)



## Momentum distribution

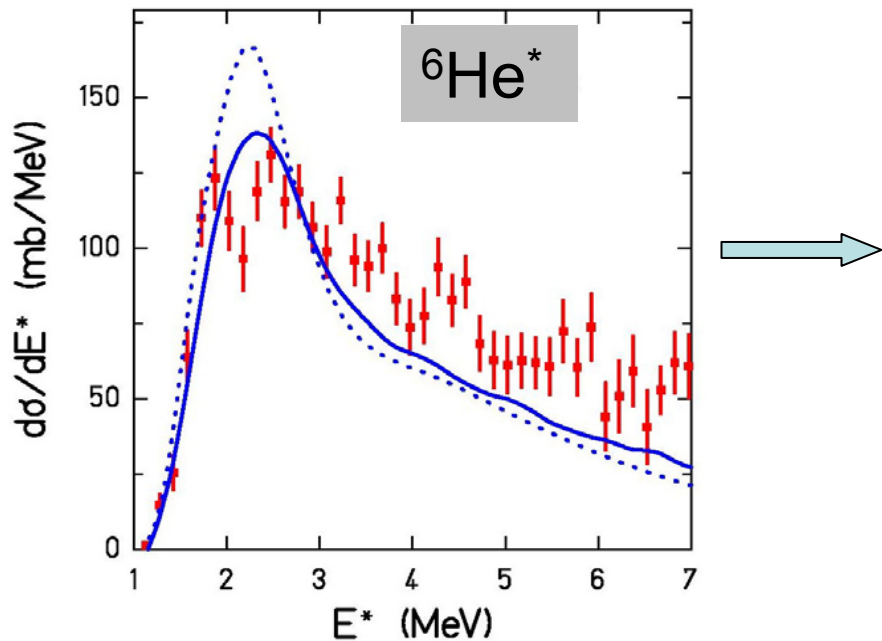
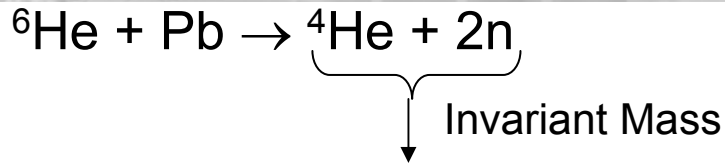


Spectroscopic factors:

neutron: 1.7(2)

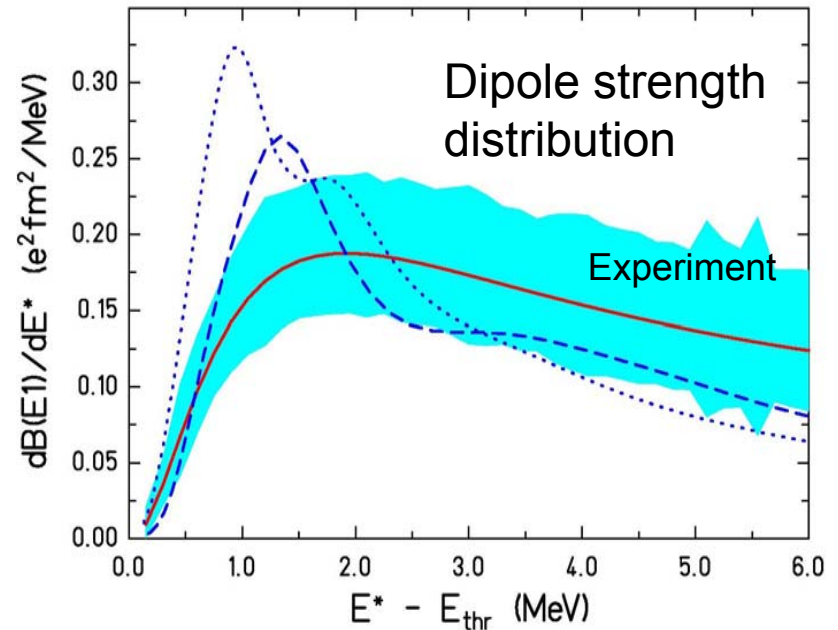
alpha: 0.8(1)

# Electromagnetic excitation of ${}^6\text{He}$



Semiclassical calculation

$$d\sigma/dE^* \sim N_\gamma(E^*) dB(E1)/dE^*$$



Non-energy-weighted dipole sum rule:

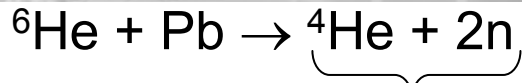
$$S_{\text{NEW}} = 3/4 \pi Z^2 e^2 (N_h/A_c)^2 \langle R_{\text{cm-h}}^2 \rangle$$

**Spatial correlation from dipole strength:**

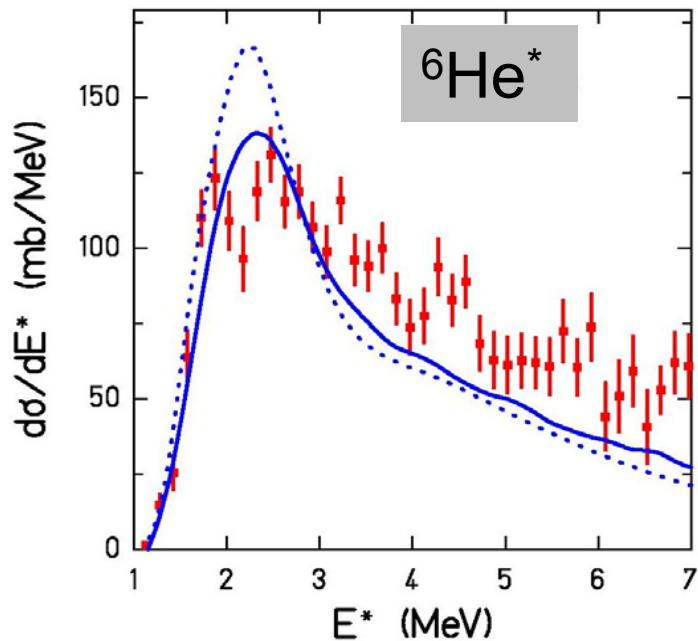
$$\langle R_{\alpha-2n}^2 \rangle^{1/2} = 3.36 \pm 0.39 \text{ fm}$$

$$\langle R_{\text{cm}-2n}^2 \rangle^{1/2} = 2.24 \pm 0.26 \text{ fm}$$

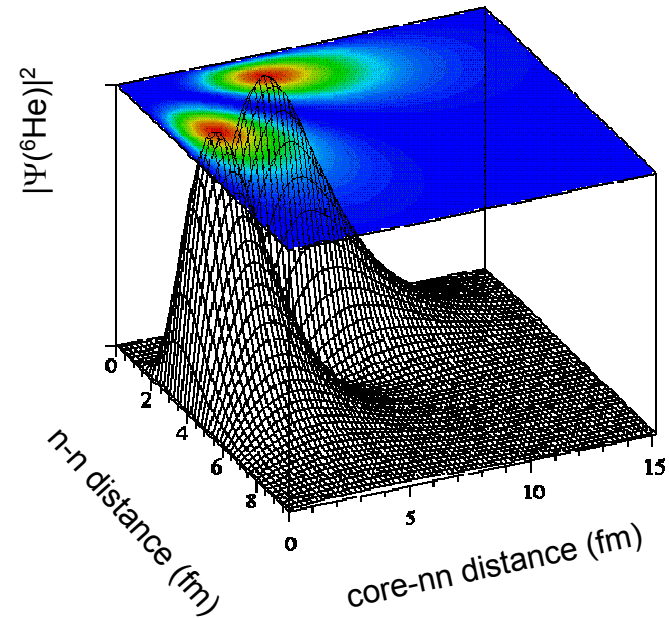
# Electromagnetic excitation of ${}^6\text{He}$



Invariant Mass



3-body calculation (Danilin et al)



Non-energy-weighted dipole sum rule:

$$S_{\text{NEW}} = 3/4 \pi Z^2 e^2 (N_h/A_c)^2 \langle R_{\text{cm-h}}^2 \rangle$$

**Spatial correlation from dipole strength:**

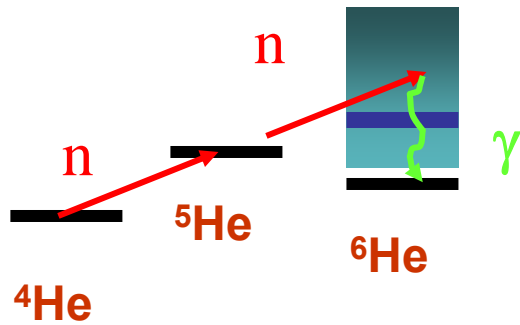
$$\langle R_{\alpha-2n}^2 \rangle^{1/2} = 3.36 \pm 0.39 \text{ fm}$$

$$\langle R_{\text{cm}-2n}^2 \rangle^{1/2} = 2.24 \pm 0.26 \text{ fm}$$

# Astrophysics: Bridging the mass A=5 and A=8 gaps

R-process nucleosynthesis ( type-II supernova ; neutron-star merging ) :  ${}^4\text{He}(2n,\gamma)$   
 ${}^6\text{He}$  and  ${}^6\text{He}(2n,\gamma){}^8\text{He}$  in the preceding  $\alpha$  process may be relevant in  
 bridging the A = 5 and A = 8 mass instability gaps

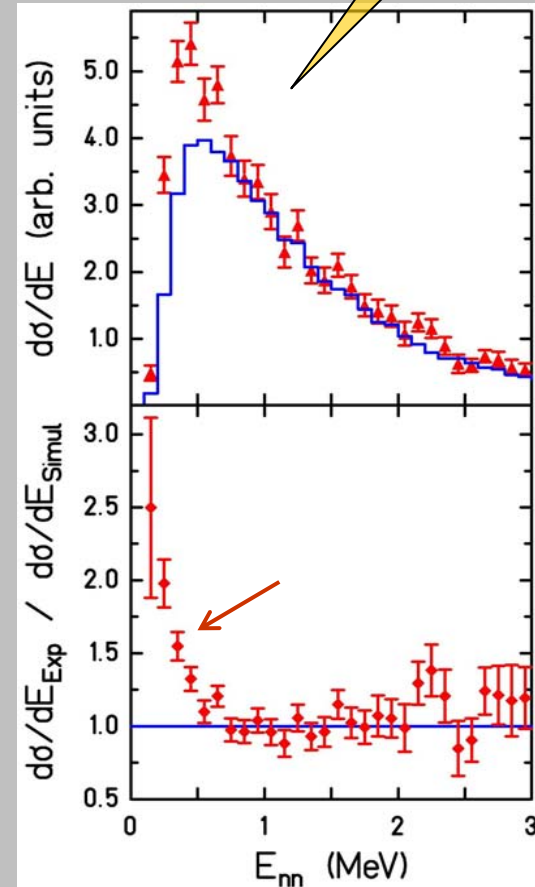
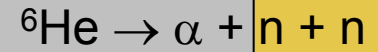
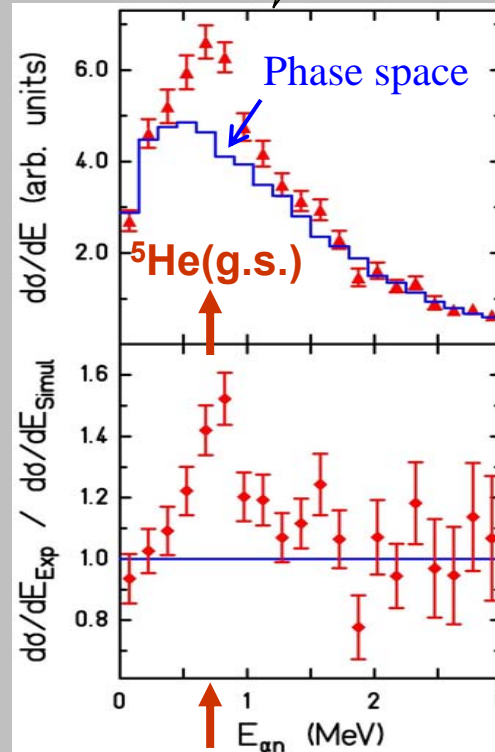
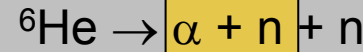
Dominant:  
 non-resonant radiative capture



Here:



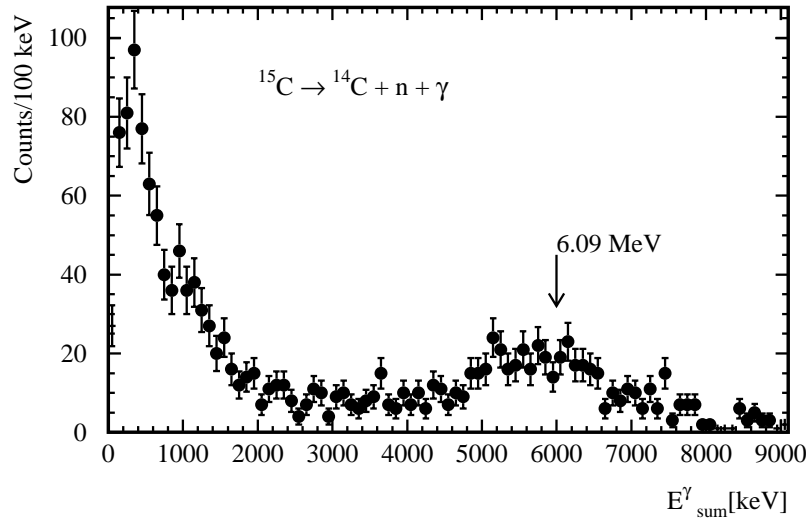
Result:  $\sigma_{\gamma} \sim 1.6 \text{ mb MeV}$



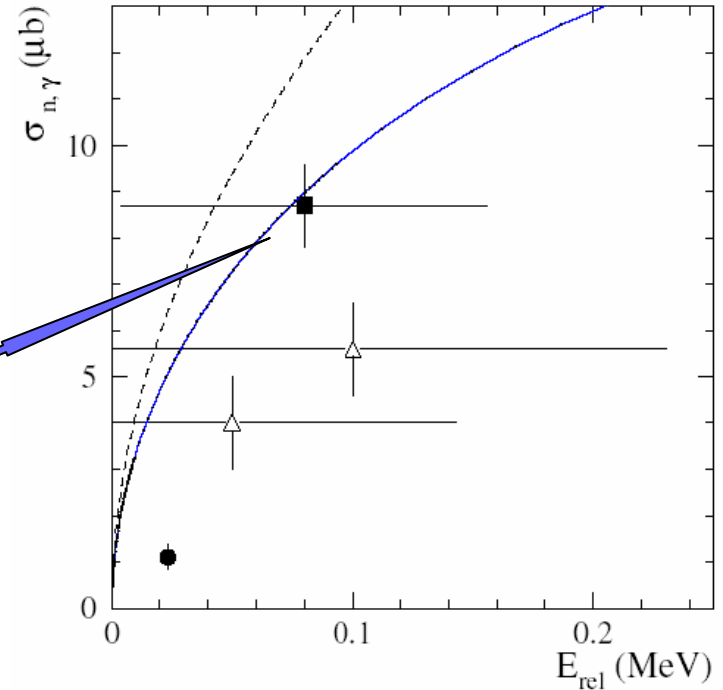
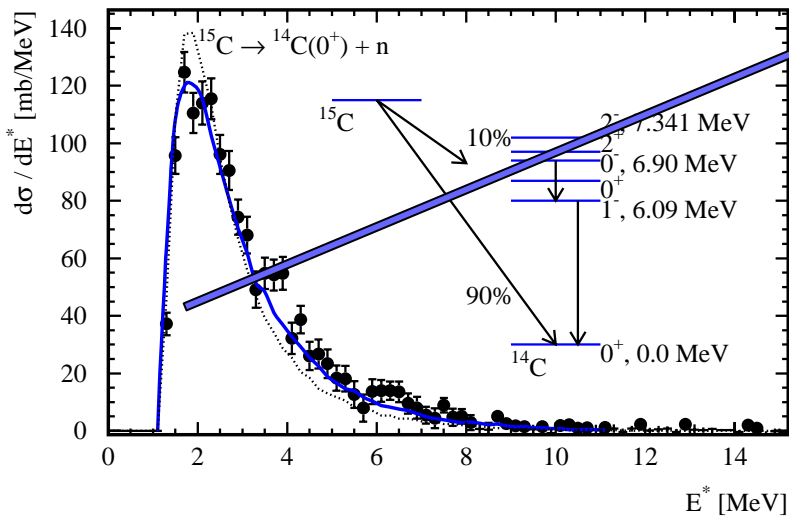
# Coulomb breakup and Astrophysics

Example: The  $^{14}\text{C}(n,\gamma)$  radiative capture reaction is important in the neutron-induced CNO cycles in the stellar evolution

## Measurement of the inverse reaction using Coulomb breakup:



$$\sigma_{n,\gamma}(E_{\text{rel}}) = \frac{(2j_a + 1)}{(2j_b + 1)(2j_n + 1)} \frac{1}{\mu c^2} \frac{E_{\gamma}^2}{E_{\text{rel}}} \sigma_{\gamma,n}$$



➡ Problem: energy-resolution at present not sufficient to measure at very small relative energies

- ✓ Introduction: Physics, Experiments, Production
- ✓ At and beyond the drip line: knockout reactions

## **Dipole excitations of neutron-rich nuclei**

- ✓ Coulomb breakup of halo nuclei

## **Giant and Pygmy collective excitations**

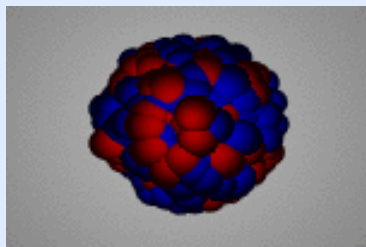
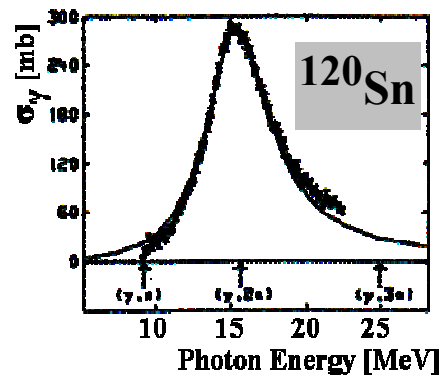
- Future Developments



# The dipole response of neutron-rich nuclei

## Stable nuclei:

100% of the E1 strength absorbed into the **Giant Dipole Resonance (GDR)**



## Neutron-Proton asymmetric nuclei: low-lying dipole strength

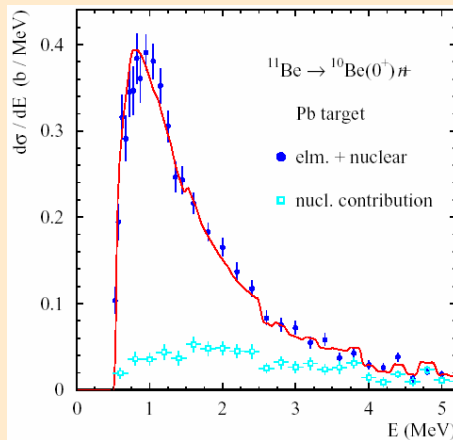
! threshold strength

! strong fragmentation

? new collective soft dipole mode (Pygmy resonance)

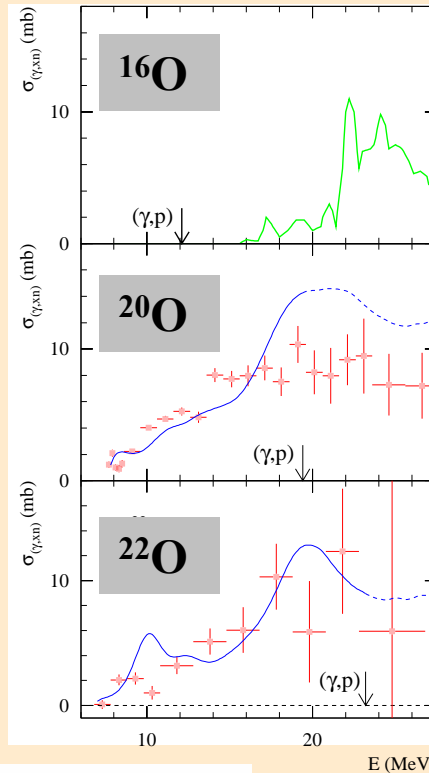
non-resonant transitions

The one-neutron Halo **<sup>11</sup>Be**

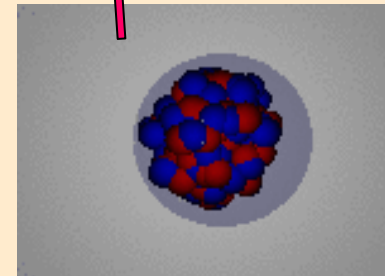
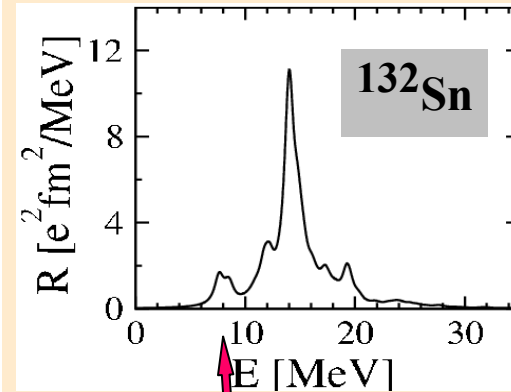


spectroscopic tool:

$$\frac{d\sigma}{dE^*}(I_c^\pi) = \left(\frac{16\pi^3}{9\hbar c}\right) N_{E1}(E^*) \sum_{nlj} C^2 S(I_c^\pi, nlj) \times \sum_m |\langle \mathbf{q} | (Ze/A) r Y_m^1 | \phi_{nlj}(r) \rangle|^2.$$

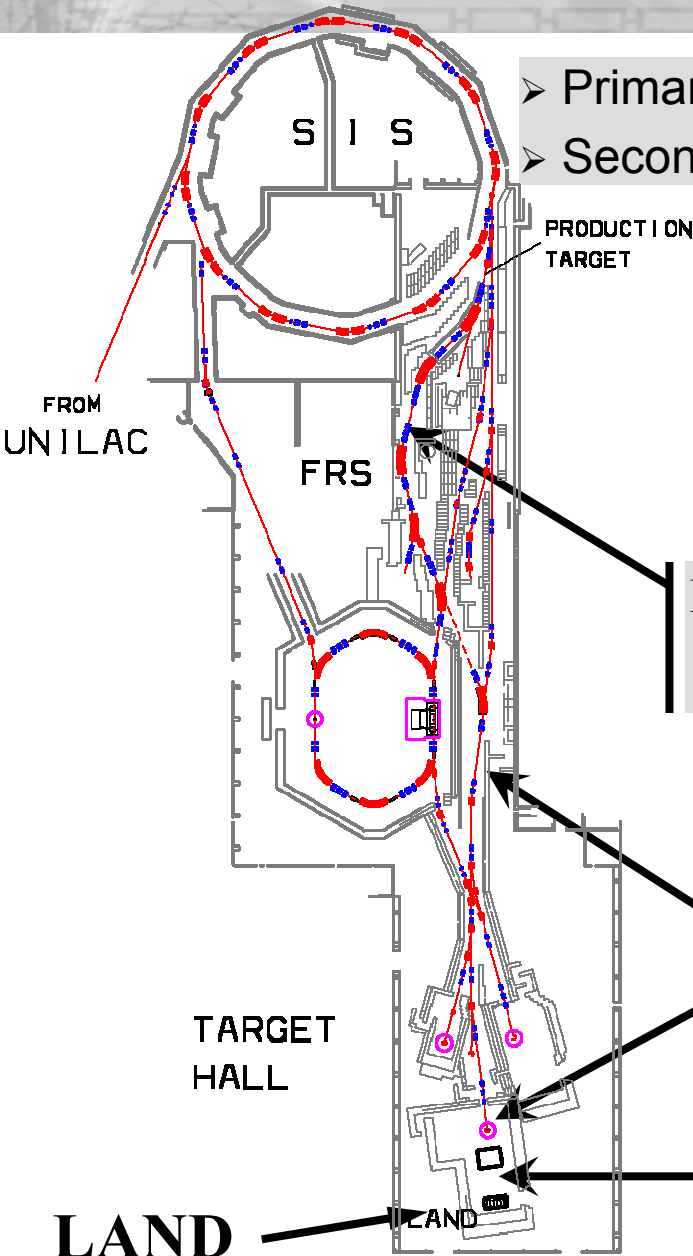


Prediction: RMF (N. Paar et al.)



# Experimental Approach: Production of (fission-)fragment beams

- Primary:  $3 \cdot 10^8$   $^{238}\text{U}$ /spill @550MeV/u
- Secondary (mixed): 50 ions  $^{132}\text{Sn}$ /spill ( $\sim 10$ /sec @500 MeV/u)

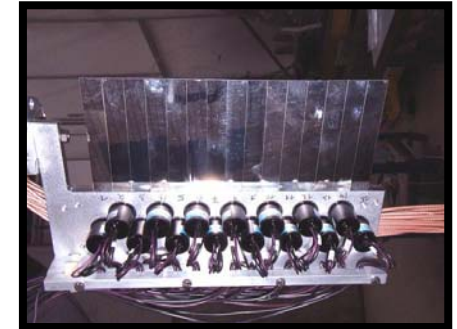


$$\frac{A}{Z} = \frac{e}{m_u c} \frac{B\rho}{\beta\gamma}$$

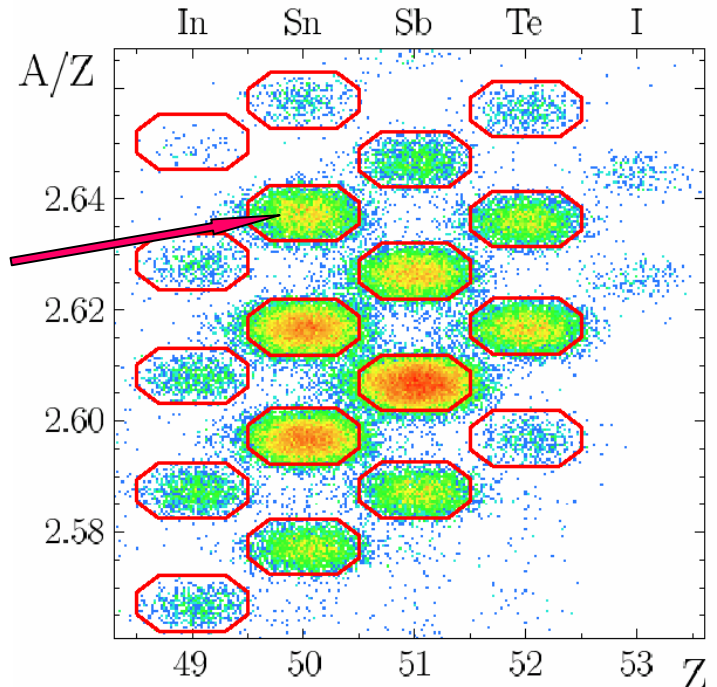
$B\rho$  – from position at middle focal plane of the FRS

$\beta$  – from TOF

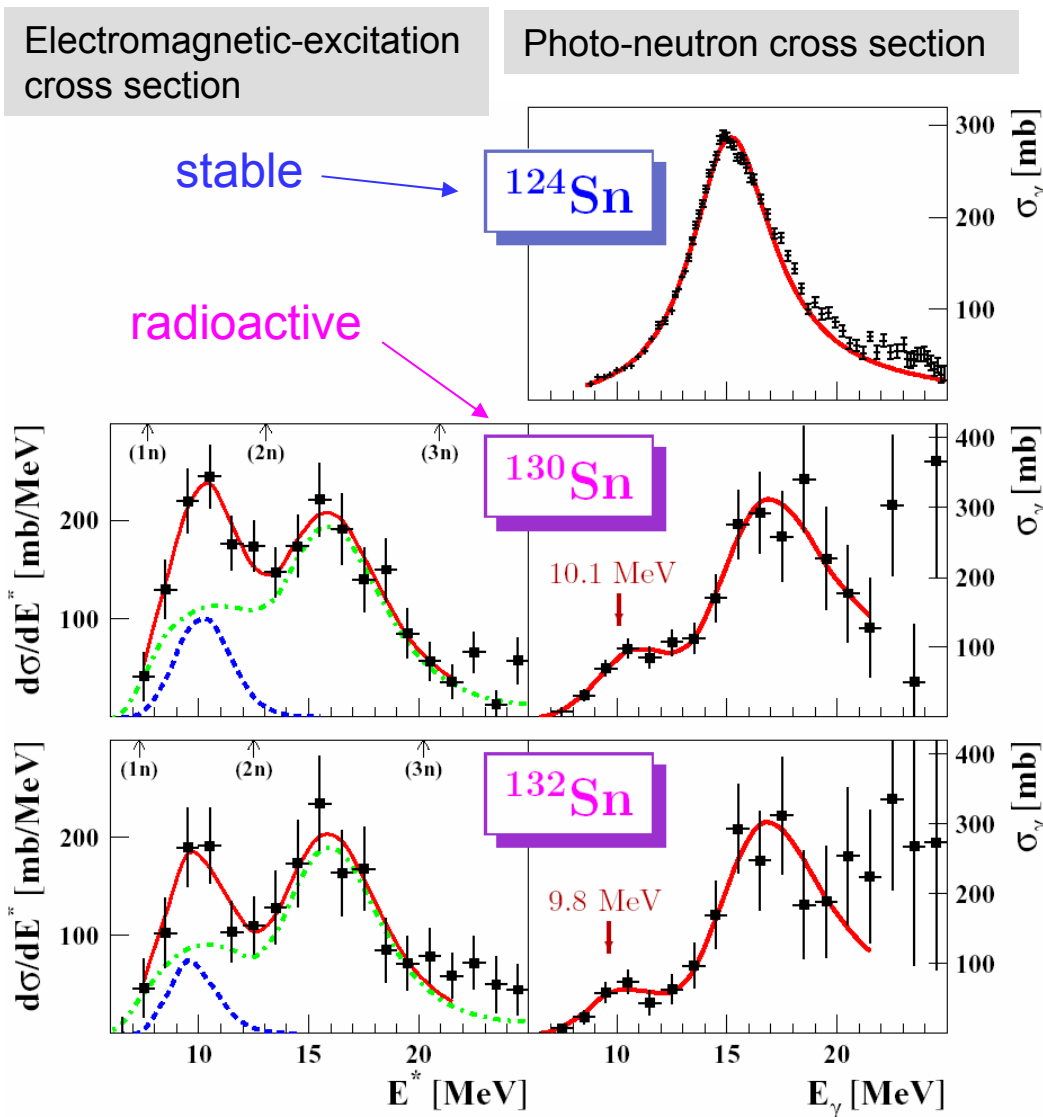
$Z$  – from  $\Delta E$



$^{132}\text{Sn}$



# Dipole-strength distributions in neutron-rich Sn isotopes



A	PDR		GDR		
	$E_{\text{centr}}$ [MeV]	sum rule fraction [%]	$E_{\text{centr}}$ [MeV]	$\Gamma$ [MeV]	sum rule fraction [%]
$^{124}\text{Sn}$	-	-	15.3	4.8	116
$^{130}\text{Sn}$	10.1 (0.7)	7.0 (3.0)	15.9 (0.5)	4.8 (1.8)	145 (19)
$^{132}\text{Sn}$	9.8 (0.7)	4.0 (3.1)	16.1 (0.8)	4.7 (2.2)	125 (32)

## PDR

- located at 10 MeV
- exhausts a few % TRK sum rule
- in agreement with theory

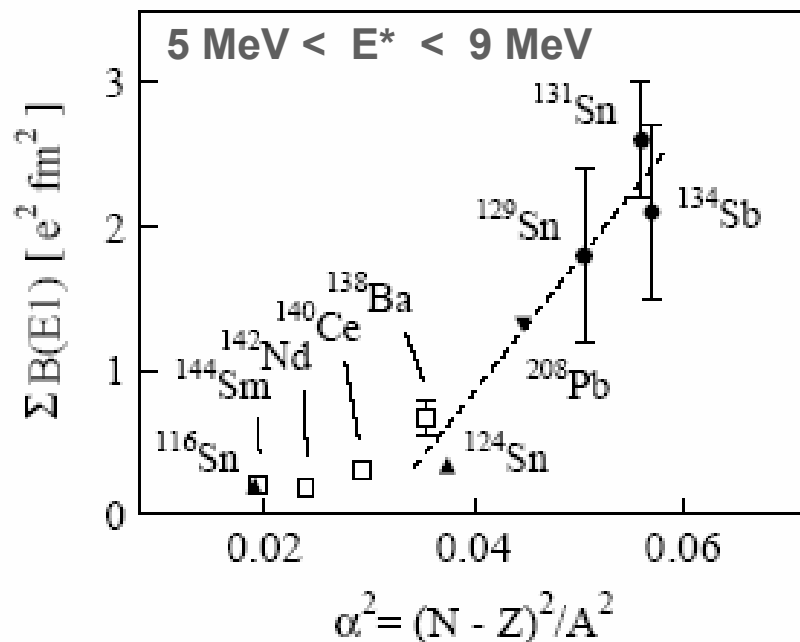
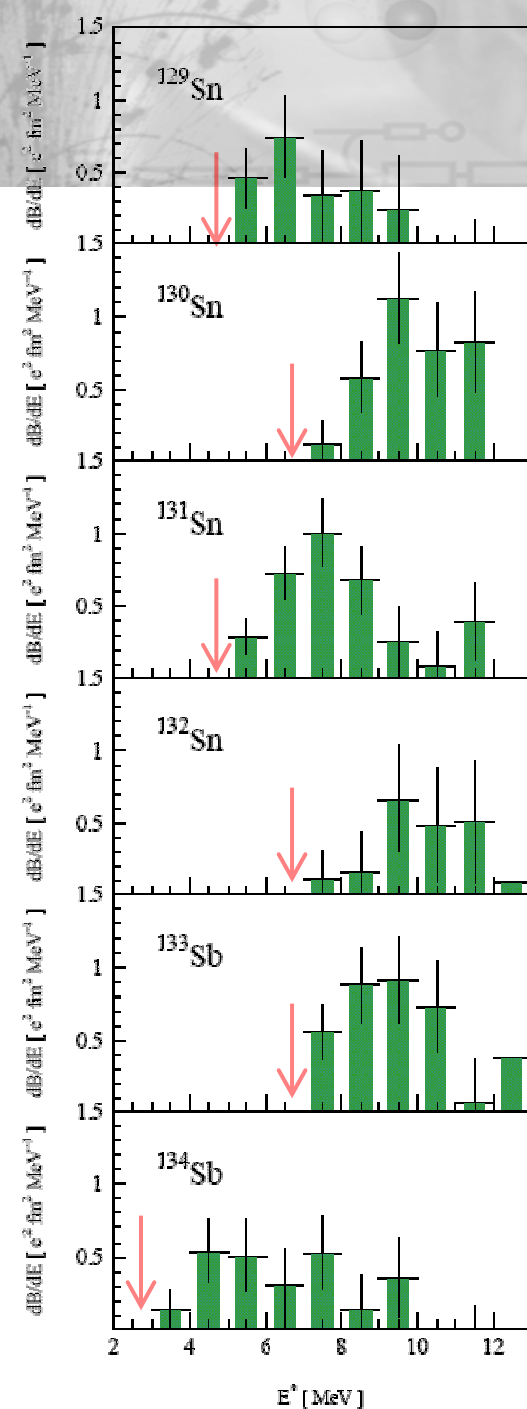
## GDR

- no deviation from systematics

# Low-lying strength in $^{132}\text{Sn}$ mass neighborhood

odd nuclei allow extending  $(\gamma, n)$  measurements to lower excitation energies

→ comparison to  $(\gamma, \gamma')$  data for stable isotopes



*Stable nuclei, Photoabsorption, from:*

*A. Zilges et al., Phys.Lett. B 542,43 (2003)*

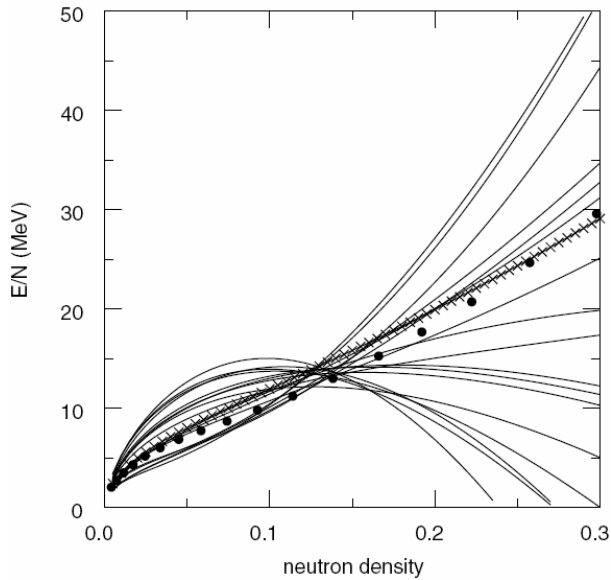
*S. Volz et al., Nucl.Phys. A 779, 1 (2006)*

*N. Ryezayeva et al., Phys.Rev.Lett. 89 (2002)*

*K. Govaert et al., Phys. Rev. C 57,2229 (1998)*

A. Klimkiewicz et al,  
submitted to PRL

# Symmetry energy $S_2(\rho)$ and neutron skin in $^{208}\text{Pb}$

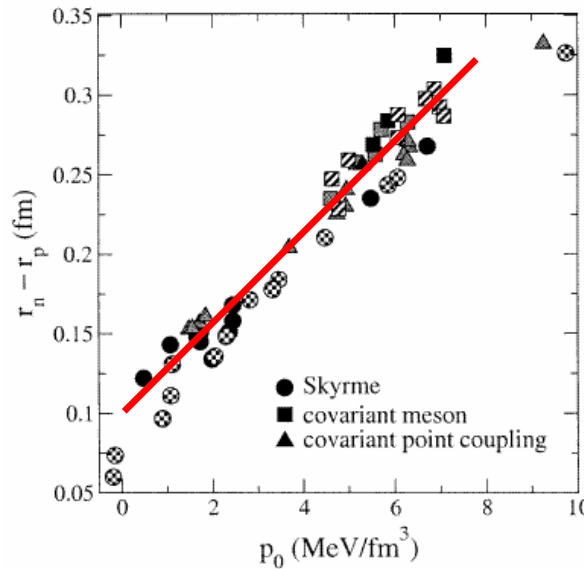
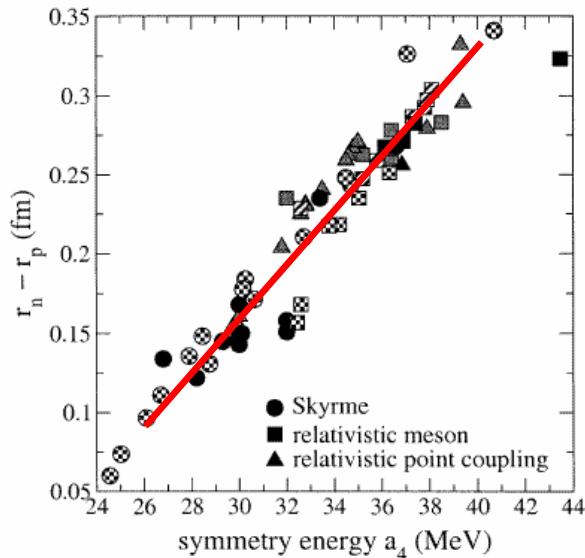


$$E(\rho, \alpha) = E(\rho, 0) + S_2(\rho)\alpha^2 + O(\alpha^4), \quad \alpha = \frac{N-Z}{A}$$

$$S_2(\rho) = \frac{1}{2} \left. \frac{\partial^2 E(\rho, \alpha)}{\partial \alpha^2} \right|_{\alpha=0} =$$

$$= a_4 + \frac{p_0}{\rho_0^2} (\rho - \rho_0) + \frac{\Delta K_0}{18\rho_0^2} (\rho - \rho_0)^2 + \dots$$

Alex Brown,  
PRL 85 (2000) 5296



R.J.Furnstahl  
NPA 706(2002)85-110

- strong linear correlation between neutron skin thickness and parameters  $a_4$ ,  $p_0$

# Symmetry energy and neutron skin form dipole strength

Theory: Precise knowledge of neutron-skin thickness could  
constrain the density dependence of  $S(\rho)$

Work Hypothesis: **Pygmy-Strength (since related to skin)**  
**should do the same job,**  
***but, experimentally, is accessed much easier !***

Inspired by recent article of Piekarewicz (*Phys. Rev. C* 73 , 044325 (2006))

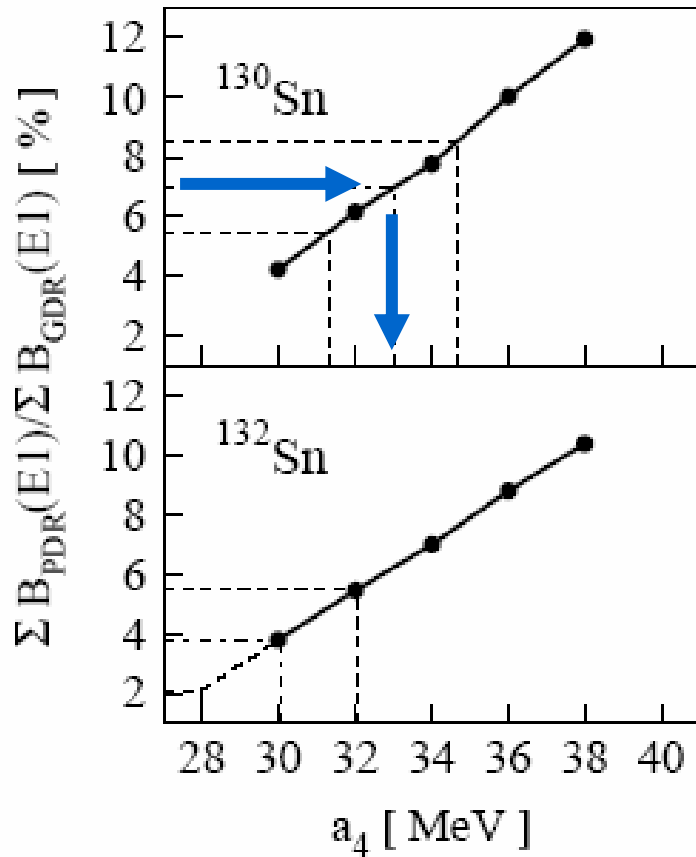
Here:

Quantitative attempt by means of RHB + RQRPA,  
(density-dependent meson-exchange DD-ME )

[Paar](#), Vretenar, Ring et al. (*Phys. Rev. C* 67, 34312 (2003))

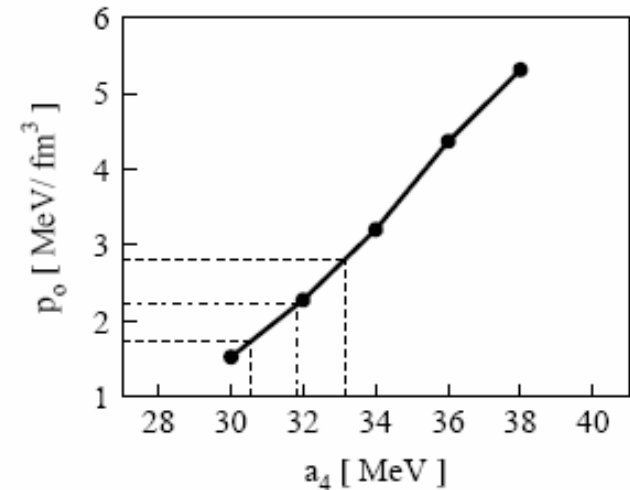


# PDR strength versus $a_4$ , $\rho_0$



Result (averaged  $^{130,132}\text{Sn}$ ):

$$a_4 = 32.0 \pm 1.8 \text{ MeV}$$



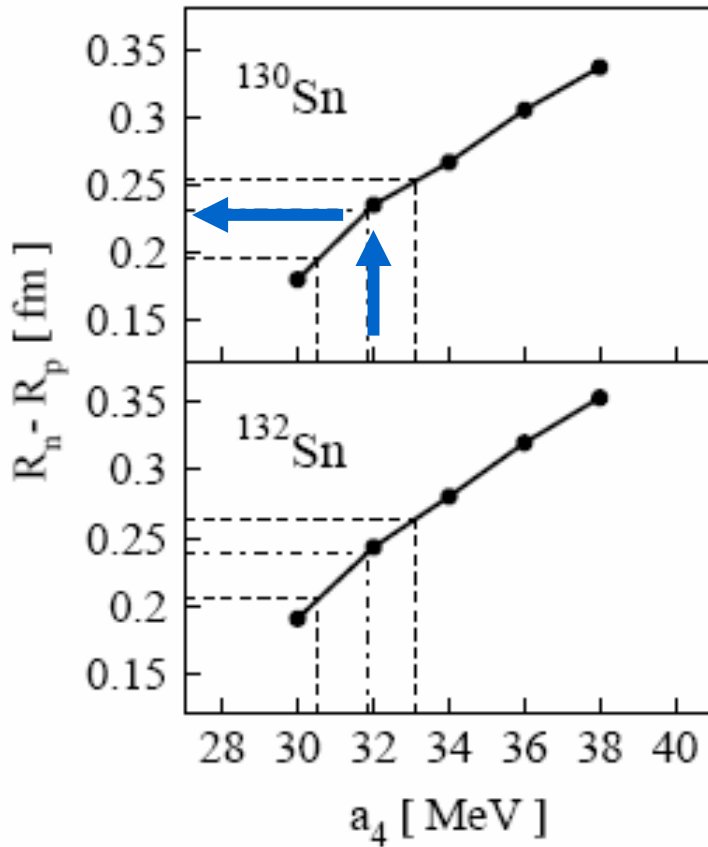
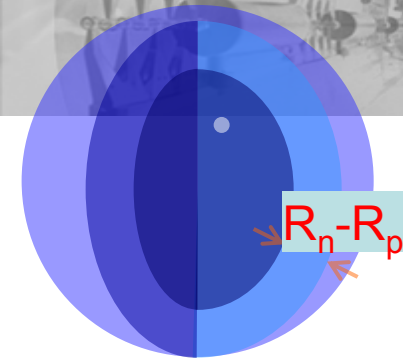
$$\rho_0 = 2.3 \pm 0.8 \text{ MeV/fm}^3$$

RQRPA – DD-ME

*N. Paar et al.*

**S( $\rho$ ) : moderate stiffness**

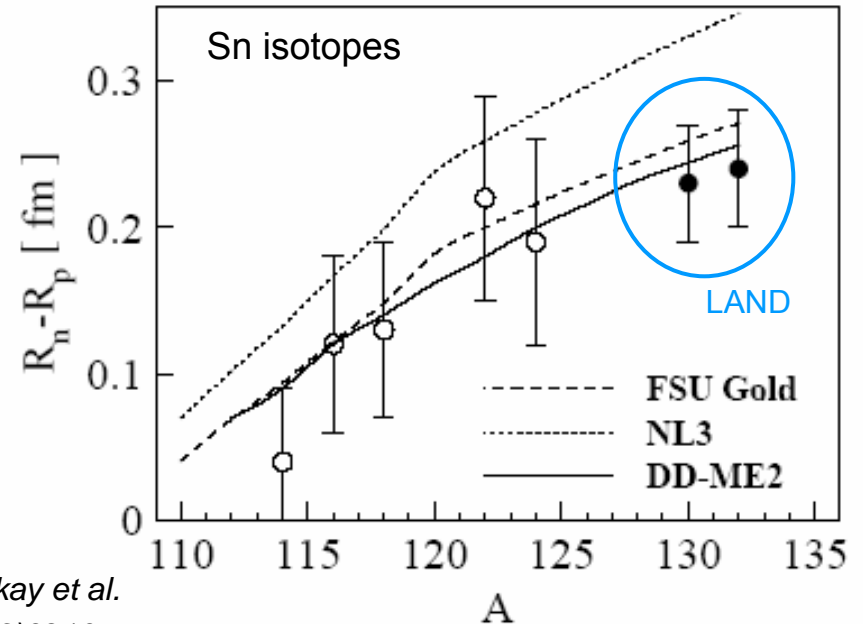
# Neutron skin thickness



$R_n - R_p$ :

$^{130}\text{Sn}$ :  $0.23 \pm 0.04$  fm

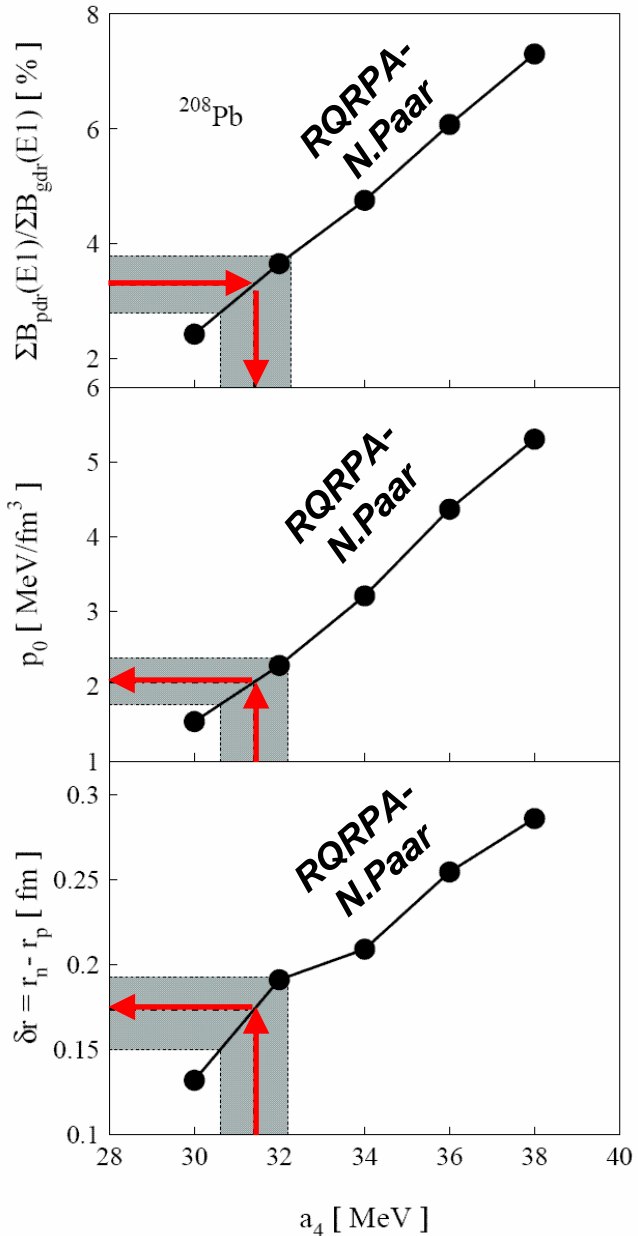
$^{132}\text{Sn}$ :  $0.24 \pm 0.04$  fm



A. Klimkiewicz, N. Paar, et al,  
submitted to PRL

A.Krasznahorkay et al.  
PRL 82(1999)3216

# $^{208}\text{Pb}$ analysis



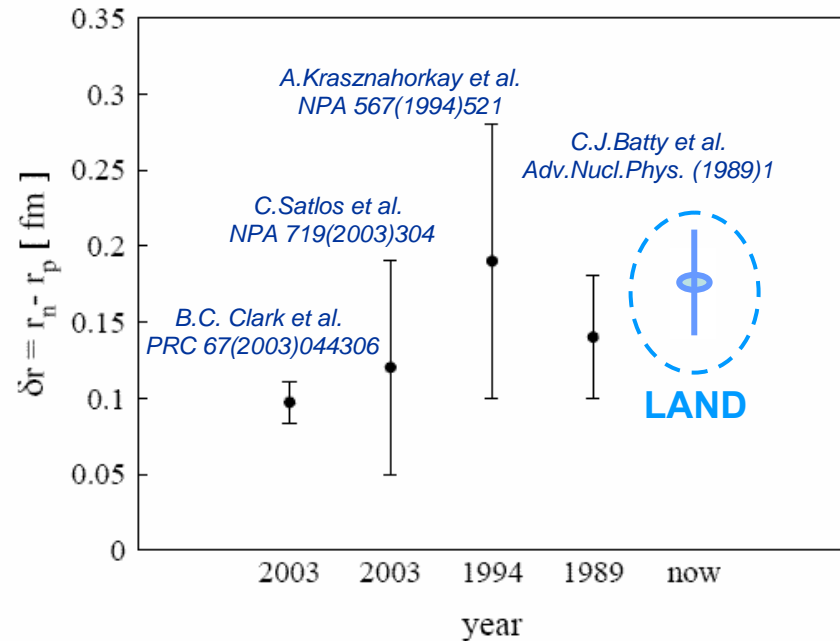
$$\Sigma B_{\text{pdr}}(E1) = 1.98 e^2 \text{ fm}^2$$

from N.Ryezayeva et al., PRL 89(2002)272501

$$\Sigma B_{\text{gdr}}(E1) = 60.8 e^2 \text{ fm}^2$$

from A.Veyssiere et al., NPA 159(1970)561

$$R_n - R_p = 0.18 \pm 0.035 \text{ fm}$$



# Conclusion

- Low-lying dipole strength observed in light and medium-mass neutron-rich nuclei
- Threshold strength (halo nuclei) established as spectroscopic tool
- Peak-like structure below the GDR in  $^{130,132}\text{Sn}$  at about 10 MeV excitation energy exhausting about 5% of the energy-weighted sum rule
- Parameters of GDR in agreement with systematic trends derived from stable nuclei
- Symmetry energy and neutron-skin thickness from dipole strength: a first attempt

## Outlook:

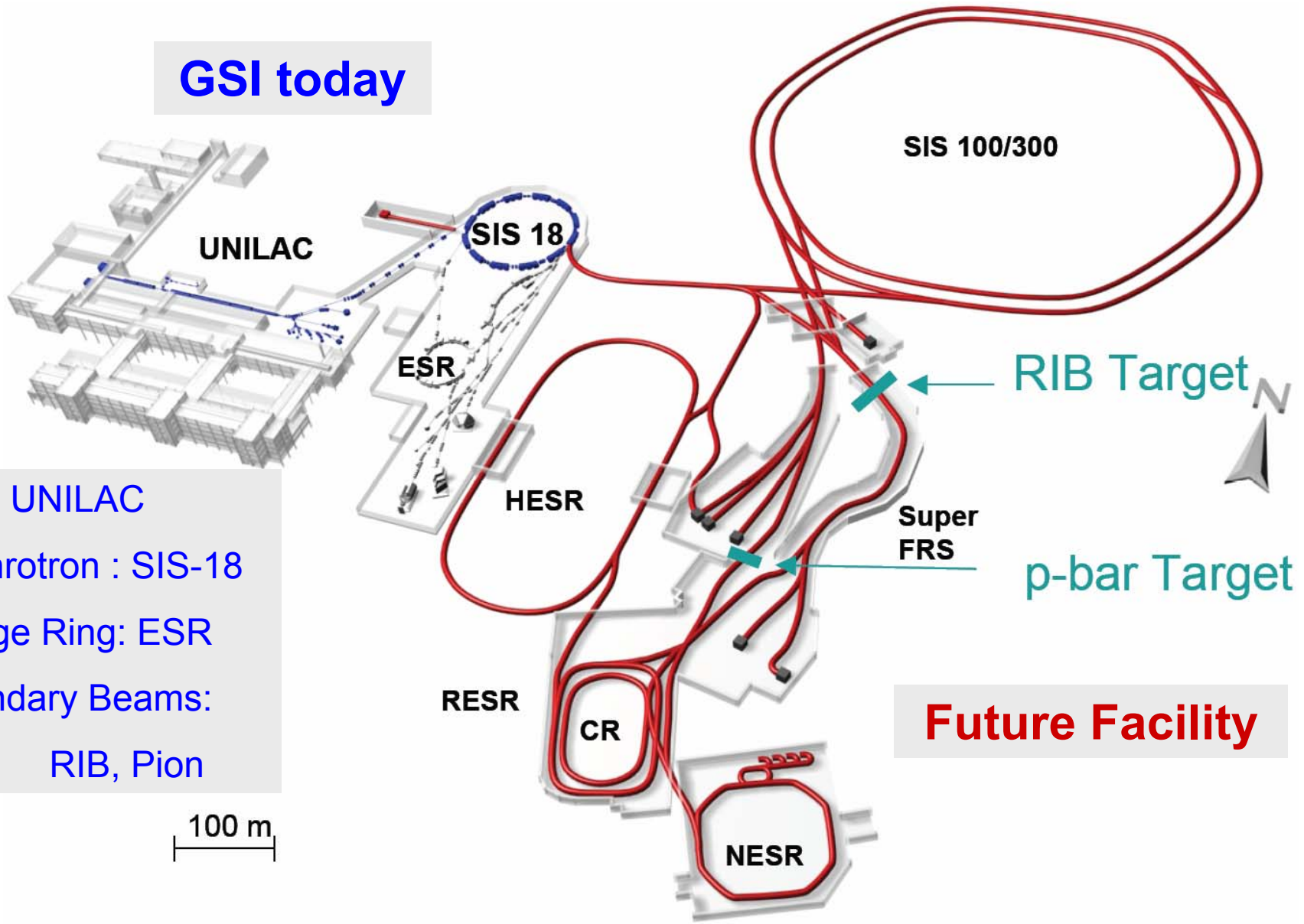
- *Systematic measurements* of dipole strength in neutron-proton asymmetric nuclei
- Theory+experiment: Relation of low-lying dipole strength to *symmetry energy and neutron skin*
- *Decay characteristics* (e.g.,  $\gamma$  decay branch)  
 $(\gamma, \gamma')$  in  $^{68}\text{Ni}$  (RISING),  $(\gamma, n)$  with LAND setup
- *Monopole and quadrupole strength:*  
internal gas target in a storage ring (GSI, FAIR), electron-heavy-ion collider (FAIR)

- ✓ Introduction: Physics, Experiments, Production
- ✓ At and beyond the drip line: knockout reactions
- ✓ Dipole excitations of neutron-rich nuclei
  - Coulomb breakup of halo nuclei
  - Giant and Pygmy collective excitations

 **Future Developments: Experimental Program at FAIR**

# FAIR – Facility for Antiproton and Ion Research

## GSI today



Linac: UNILAC

Synchrotron : SIS-18

Storage Ring: ESR

Secondary Beams:

RIB, Pion

100 m

SIS 100/300

SIS 18

UNILAC

ESR

HESR

RIB Target

Super FRS

p-bar Target

RESR

CR

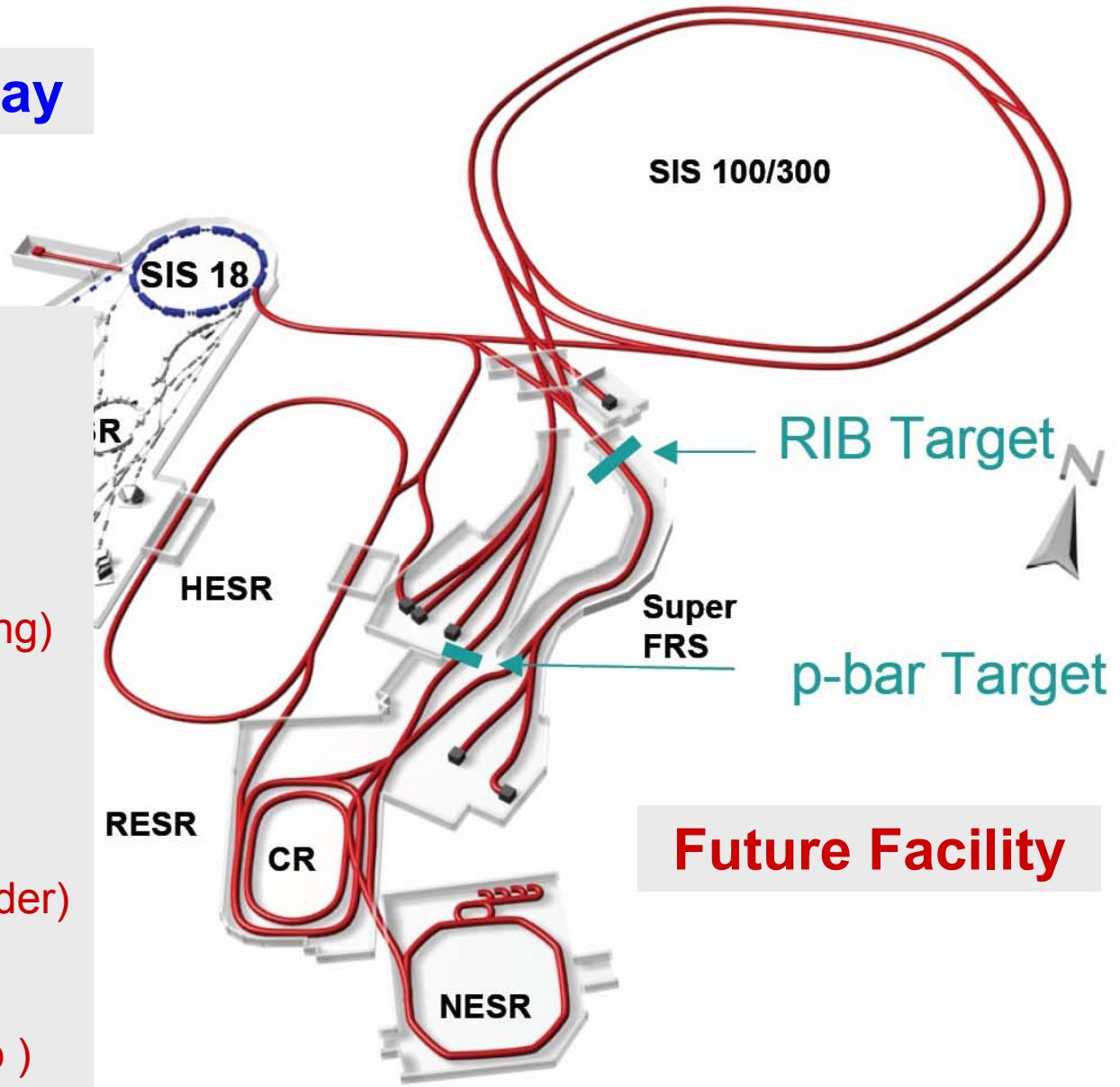
NESR

Future Facility



# FAIR – Facility for Antiproton and Ion Research

## GSI today



## FAIR

### Additional Linacs

Proton, Electron

### Additional Rings

(Synchrotron, Storage/Cooling)

SIS-100, SIS -300

HESR (  $\bar{p}$  )

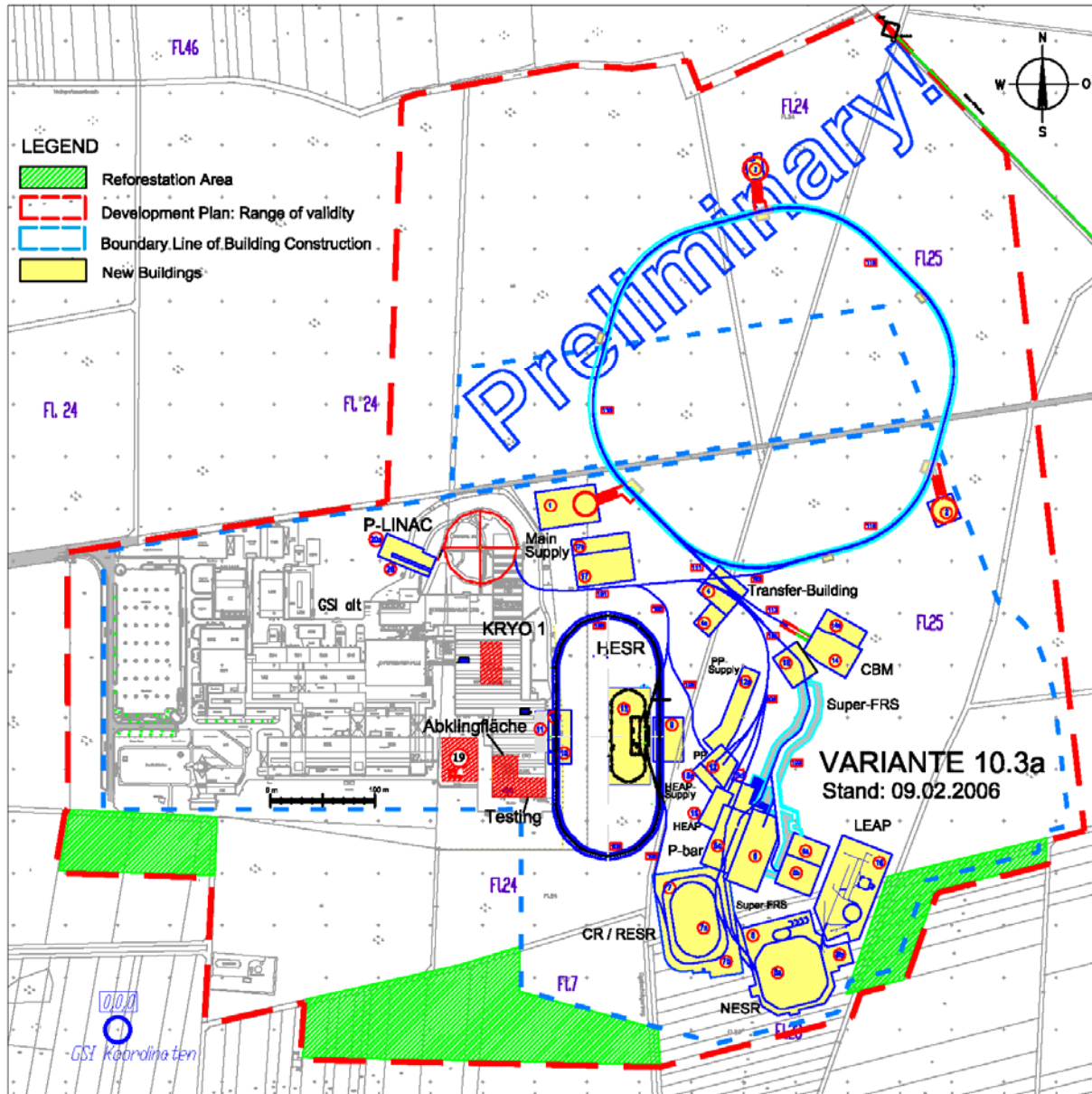
CR, RESR, NESR

$e^-$  (  $\bar{p}$  ) - Ring (collider)

Secondary Beams:

RIB, Anti-Proton (  $\bar{p}$  )

## Future Facility



1	Extraction Building
2	Injection Building
3	Emergency Exit
4	Transfer - Building
4a	Transfer - Supply
8	Super - FRS
6a	Super - FRS Supply
6b	Super - FRS LE - Branch
6c	P-bar - Target
6d	P-bar - Target Supply
7	CR / RESR
7a	CR / RESR Supply
7b	CR / RESR High Building
8	NESR
8a	NESR Supply
8b	NESR - Preparation
9	HESR PANDA Detector
10	HESR - Cooler
10a	HESR - Cooler Tower
11	HESR Supply
12	PP
12a	PP/HBT Supply & LASER
13	HESR - COSY
14	NC (CBM)
14a	NC (CBM) Supply
15	HEAP
15a	HEAP Supply
18	LEAP Supply
17	Main Supply Building
17a	Compressor Building
18	Super - FRS Targethalle
19	Office Building
20	P - Linac
20a	P - Linac Supply
101	SIS18 - Transfer
102	Transfer Injection SIS100
103	Super - FRS
104	Transfer SIS100/300 - Exp.
105	Transfer SIS18 - PP
106	Transfer CR/RESR - HESR
107	HESR - Injection
108	HESR
110	SIS100/300 Tunnel
111	Extraktion SIS100/300
112	Transfer CBM-Cave

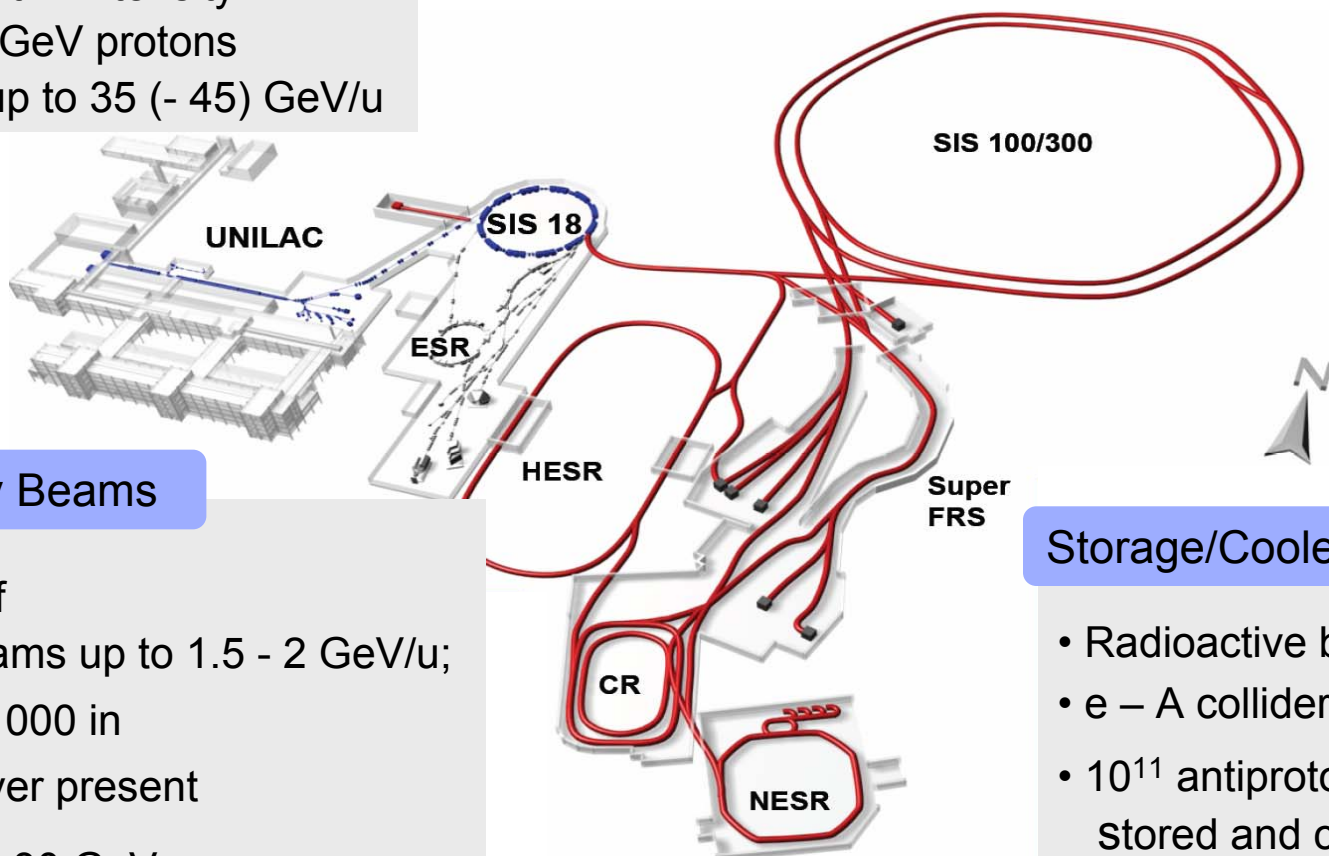
## Primary Beams

- $10^{12}/s$ ; 1.5-2 GeV/u;  $^{238}\text{U}^{28+}$
- Factor 100-1000  
over present in intensity
- $2(4)\times 10^{13}/s$  30 GeV protons
- $10^{10}/s$   $^{238}\text{U}^{73+}$  up to 35 (- 45) GeV/u

**High intensities – High precision**

## Secondary Beams

- Broad range of radioactive beams up to 1.5 - 2 GeV/u; up to factor 10 000 in intensity over present
- Antiprotons 3 - 30 GeV



## Storage/Cooler Rings

- Radioactive beams
- e – A collider
- $10^{11}$  antiprotons stored and cooled at 0.8 - 14.5 GeV



**Nuclear Structure & Astrophysics**  
with **beams of short-lived nuclei**

667 users

**Nuclear Matter Physics** with  
**35-45 GeV/u HI beams**

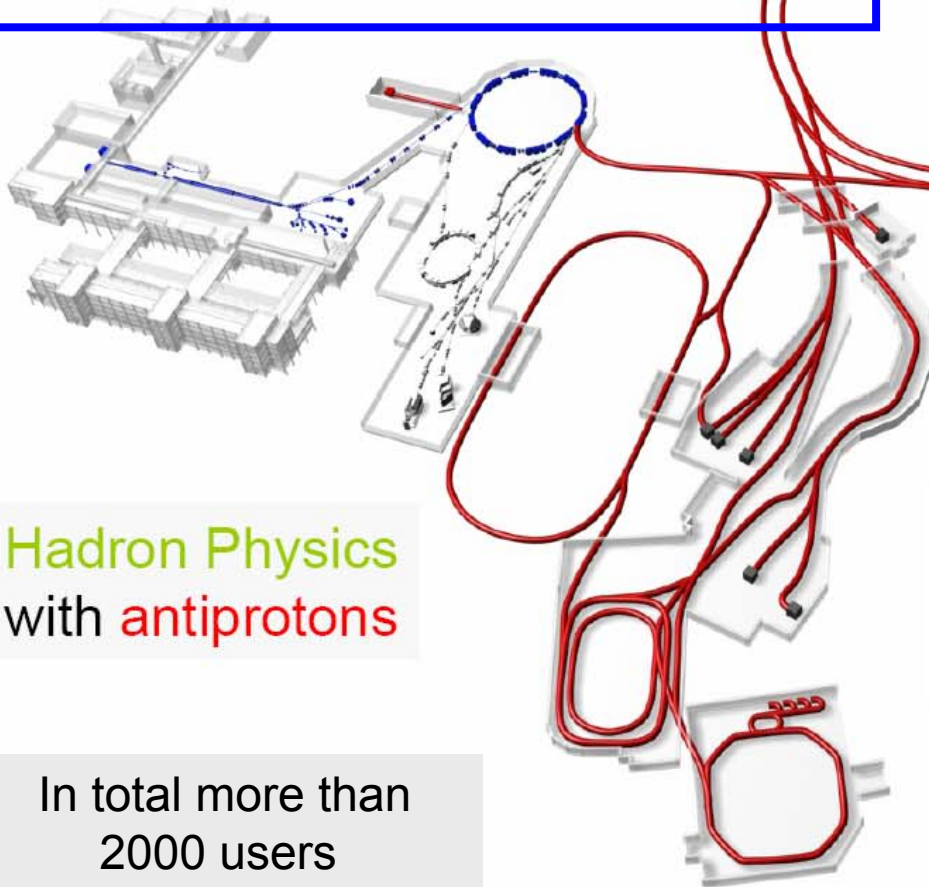
**Plasma Physics** with  
**compressed ion beams**  
& **high-intensity**  
**petawatt-laser**

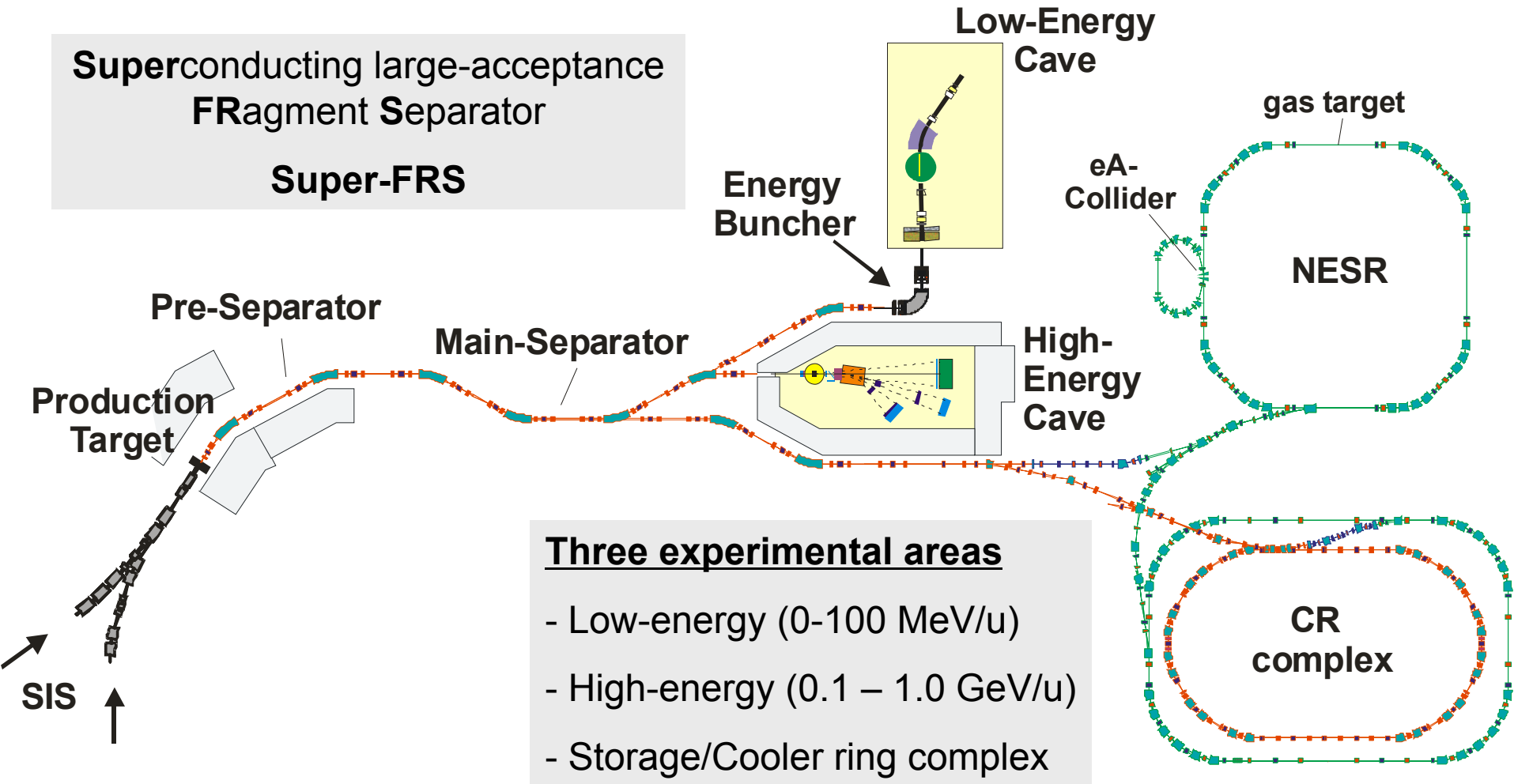
**Hadron Physics**  
with **antiprotons**

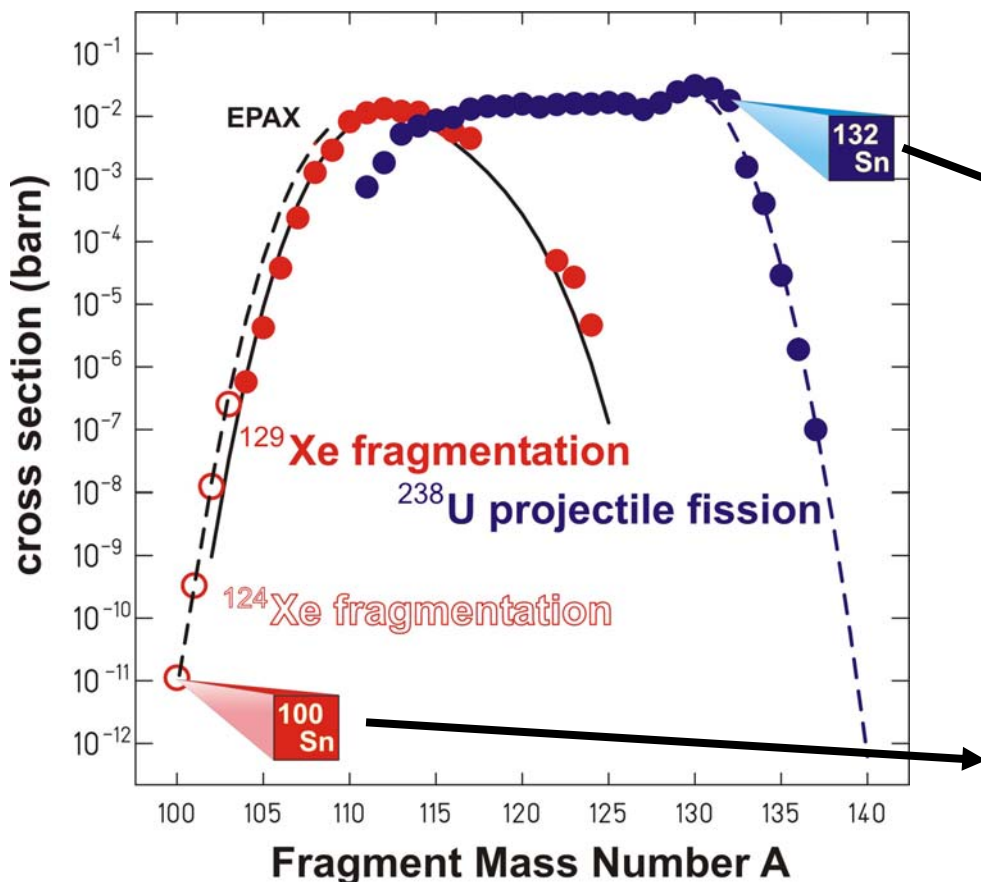
Ultra-high electro-magnetic fields &  
**Quantenelectrodynamics** with  
**highly stripped ions** and **antimatter**

In total more than  
2000 users

**Solid-state** and **biological**  
applications with **ion beams**



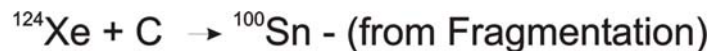
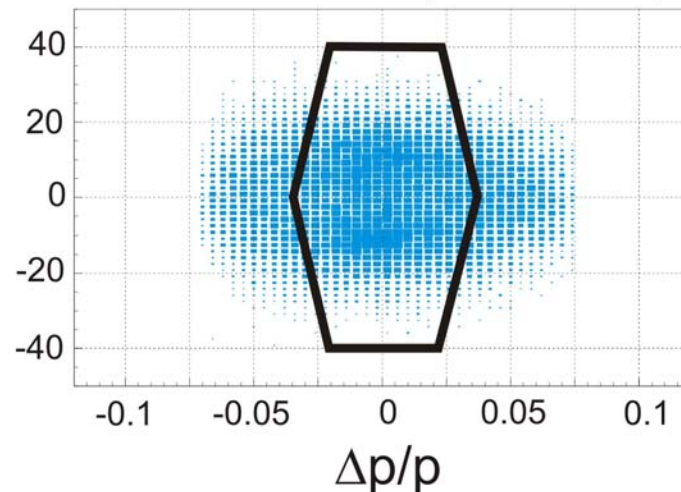




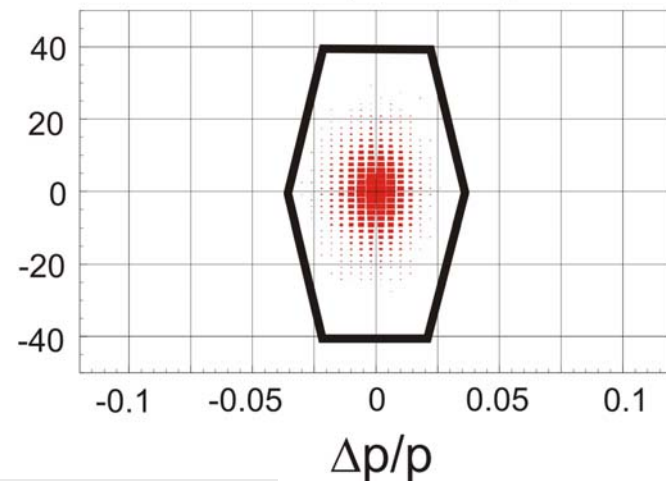
K.Sümmerer



$\alpha$  / mrad



$\alpha$  / mrad

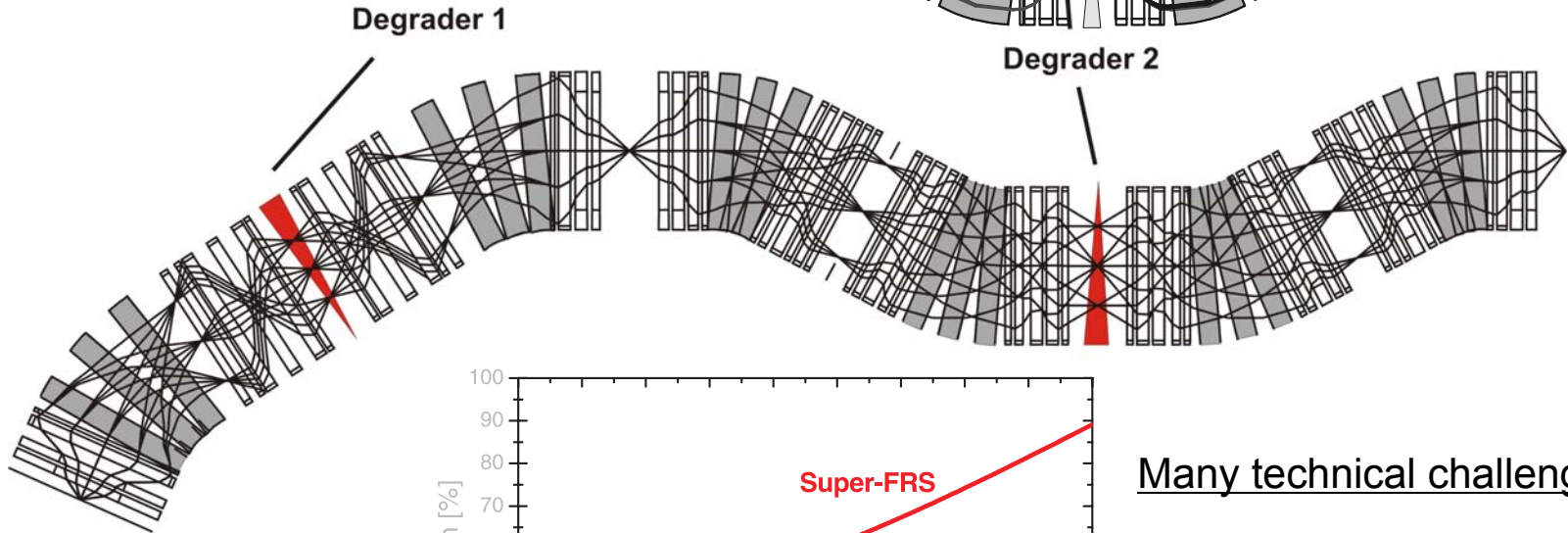
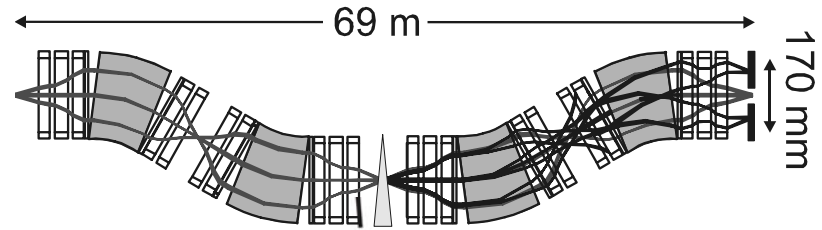


Large acceptance required for separation of fission fragments

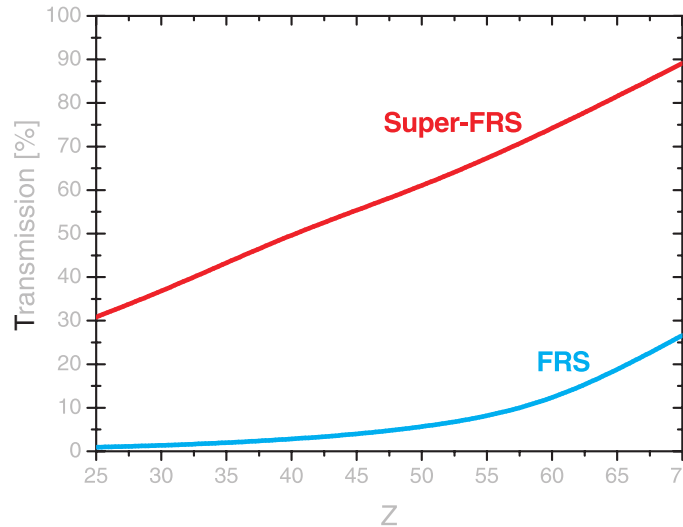
Martin Winkler



Two-step separation  
→ high purity



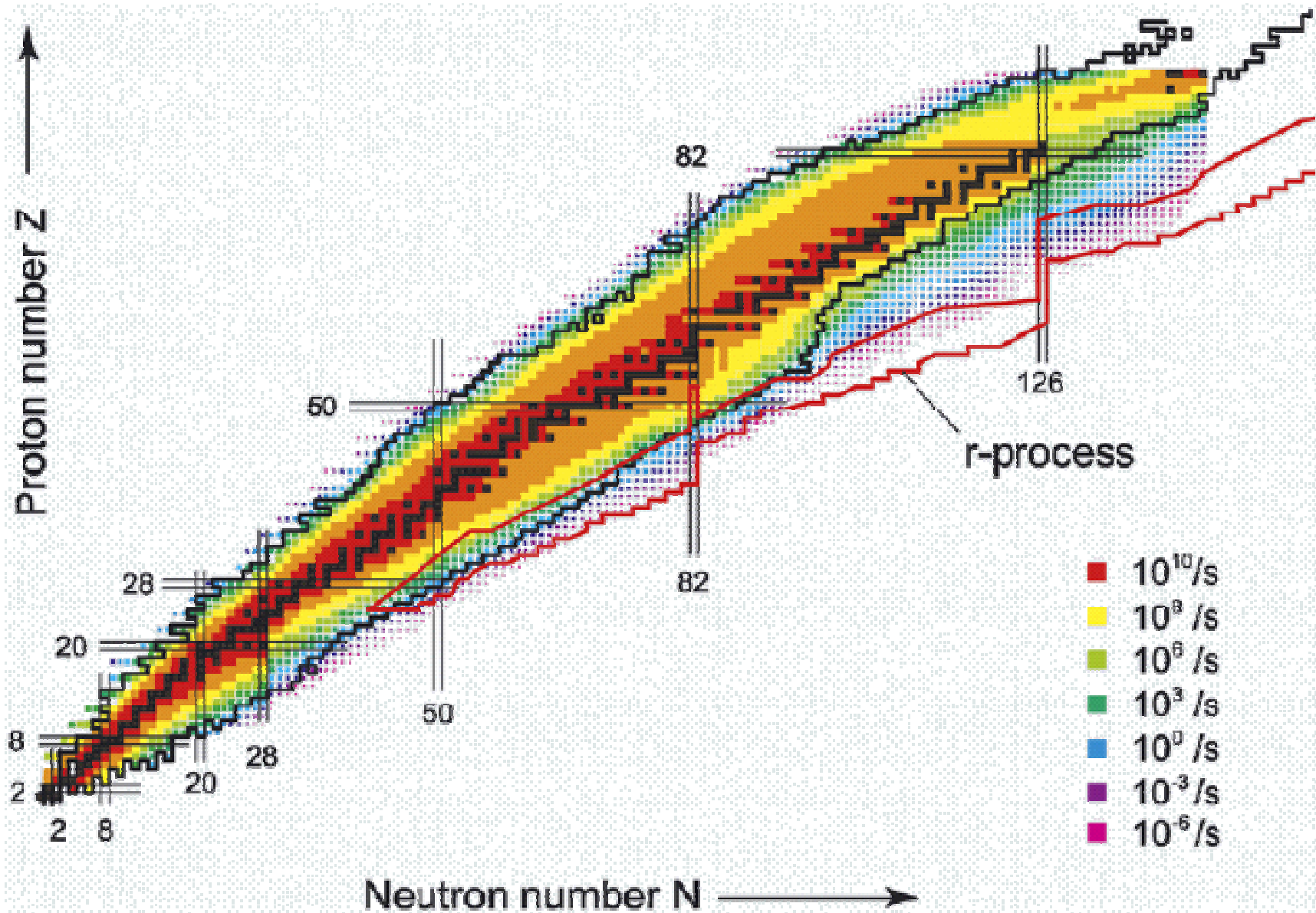
- up to 20 Tm beams
- Large acceptance:  
 $\Delta p/p = \pm 2.5\%$   
 $\Delta\Phi_x = \pm 40 \text{ mrad}$   
 $\Delta\Phi_y = \pm 20 \text{ mrad}$



Many technical challenges:

- large-aperture s.c. magnets
- radiation-hard magnets
- high-power target
- beam dumps
- radiation issues
- .....

→ High transmission for fission fragment (intensity gain by a factor of ~10)



- 2004/2005: Lols and Proposals submitted
- early 2006: Technical Proposals submitted

Formation of the  
NuSTAR collaboration

*Evaluation by NuSTAR PAC*

**667 users**

## 1.) *Low Energy Branch (LEB)*

- High-resolution In-Flight Spectroscopy (HISPEC)/  
Decay Spectroscopy with Implanted Ion Beams (DESPEC)
- Precision Measurements of very short-lived Nuclei using an  
Advanced Trapping System for highly-charged Ions (MATS)
- LASER Spectroscopy for the Study of Nuclear Properties (LASPEC)
- Neutron Capture Measurements (NCAP)

Zs.Podolyak Surrey  
+ B. Rubio Valencia

K.Blaum Mainz  
P. Campbell Manchester  
M.Heil GSI

## 2.) *High Energy Branch (R3B)*

- A Universal Setup for Kinematical Complete Measurements of  
Reactions with Relativistic Radioactive Beams (R3B)

T. Aumann GSI

## 3.) *Ring Branch (STORIB)*

- Study of Isomeric Beams, Lifetimes and Masses (ILIMA)
- Exotic Nuclei Studied in Light-Ion Induced Reactions  
at the NESR Storage Ring (EXL)
- Electron-Ion Scattering in a Storage Ring (e-A Collider) (ELISe)
- Antiproton-Ion Collider: A Tool for the Measurement of Neutron and  
Proton rmsradii of Stable and Radioactive Nuclei (AIC)

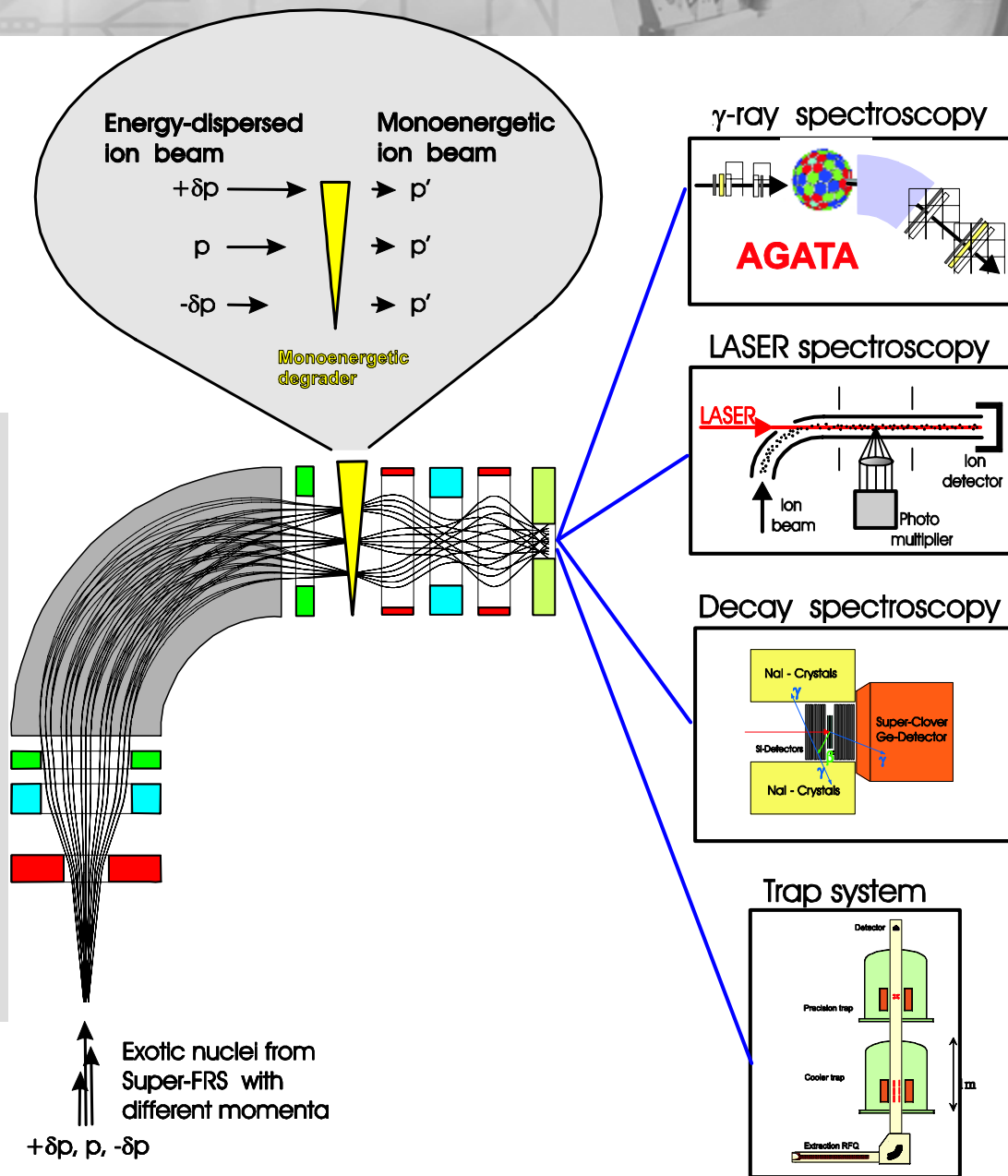
Y .Novikov SPNPI

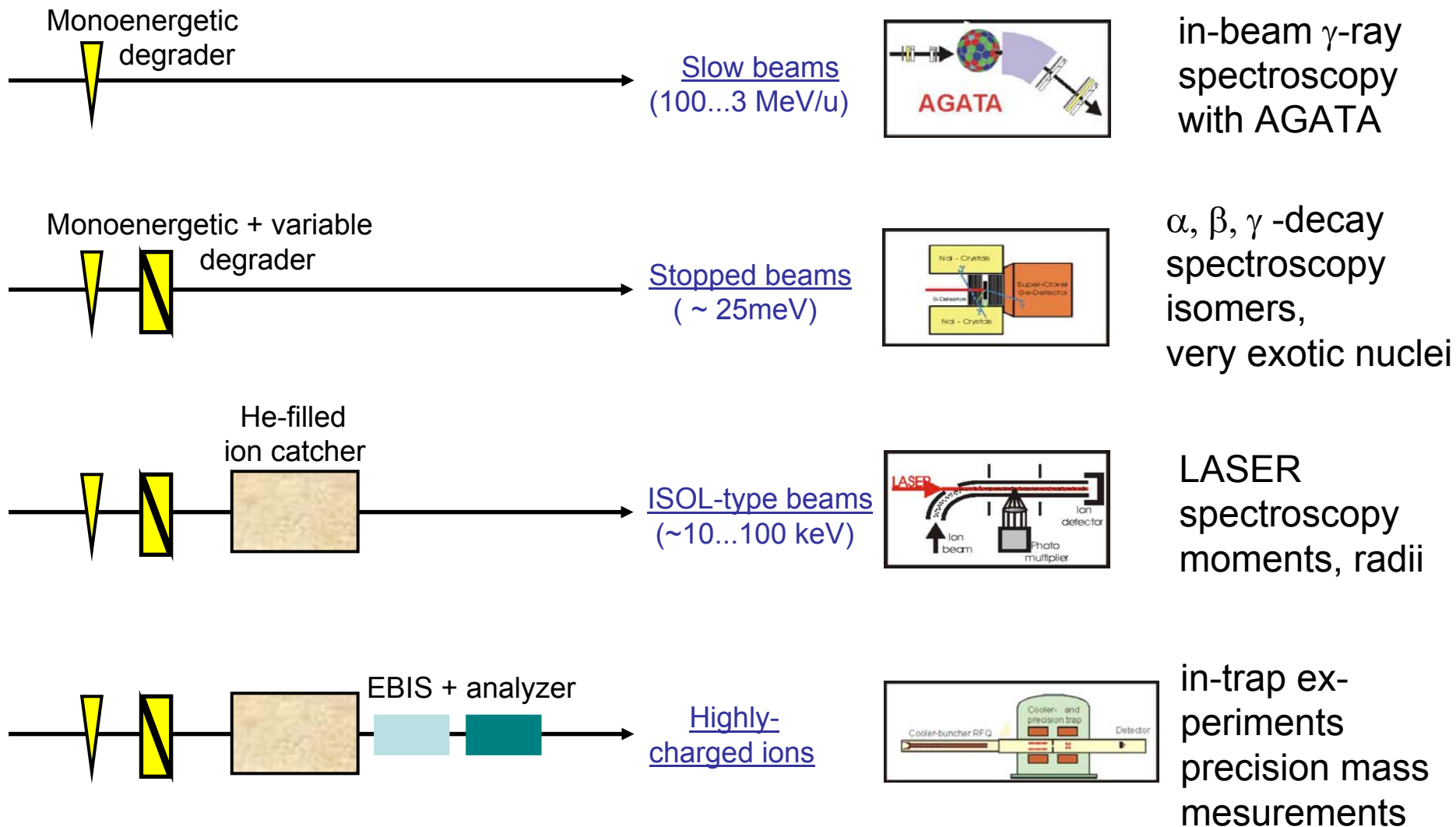
M. Chartier Liverpool  
H. Simon GSI

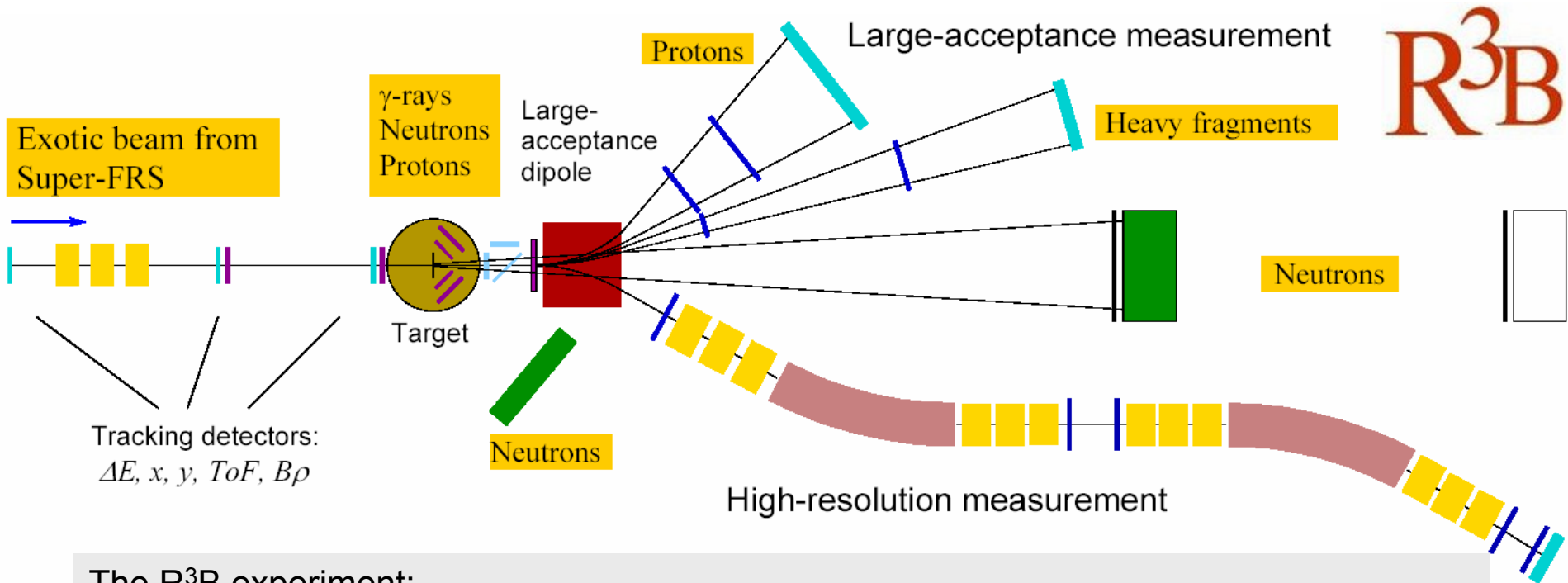
R. Krücken TUM

Energy-bunched  
slowed-down and  
stopped beams

- Decay spectroscopy (DESPEC)
- In-flight  $\gamma$  spectroscopy (3 – 100 MeV/u) (HISPEC)
- Laser spectroscopy (LASPEC)
- Ion traps (MATS)
- Neutron capture (NCAP)



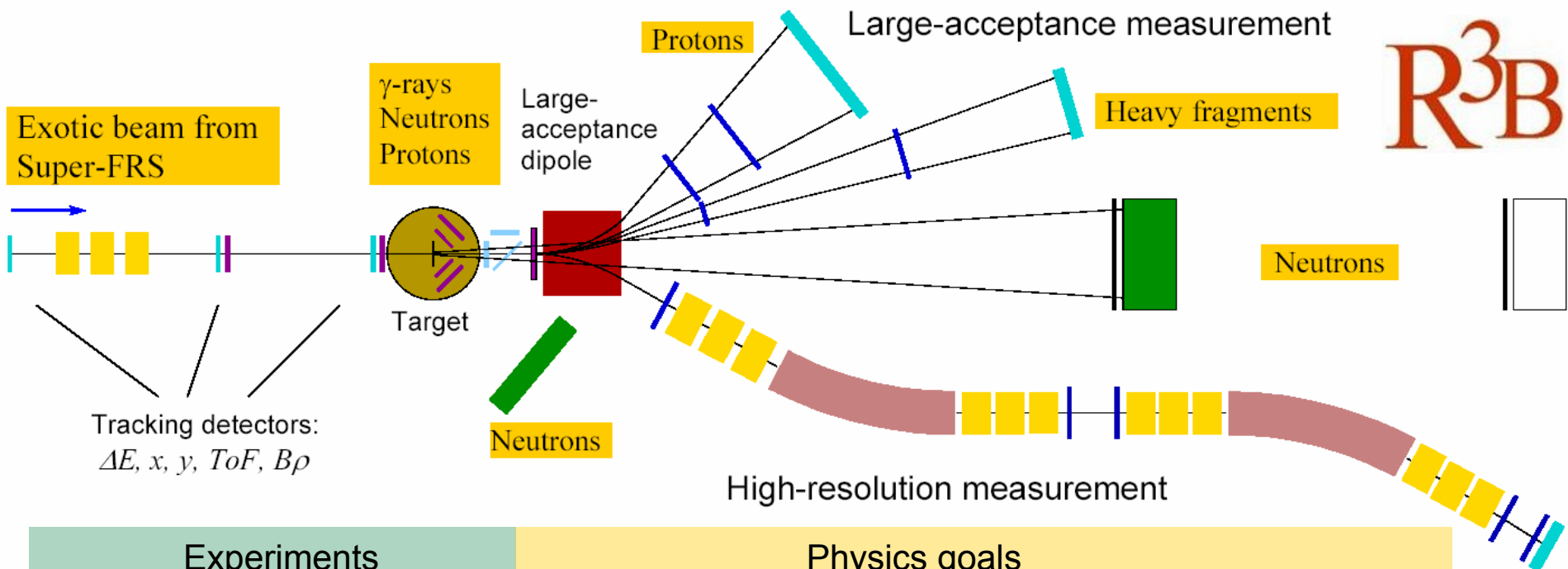




## The R<sup>3</sup>B experiment:

- identification and beam "cooling" (tracking and momentum measurement,  $\Delta p/p \sim 10^{-4}$ )
- exclusive measurement of the final state:
  - identification and momentum analysis of fragments  
(large acceptance mode:  $\Delta p/p \sim 10^{-3}$ , high-resolution mode:  $\Delta p/p \sim 10^{-4}$ )
  - coincident measurement of neutrons, protons, gamma-rays, light recoil particles
- applicable to a wide class of reactions





## Experiments

- elastic scattering
- knockout and quasi-free scattering
- electromagnetic excitation
- charge-exchange reactions
- fission
- spallation
- fragmentation

## Physics goals

radii, matter distribution

single-particle occupancies, spectral functions, correlations, clusters, resonances beyond the drip lines

single-particle occupancies, astrophysical reactions (S factor), soft coherent modes, giant resonance strength, B(E2)

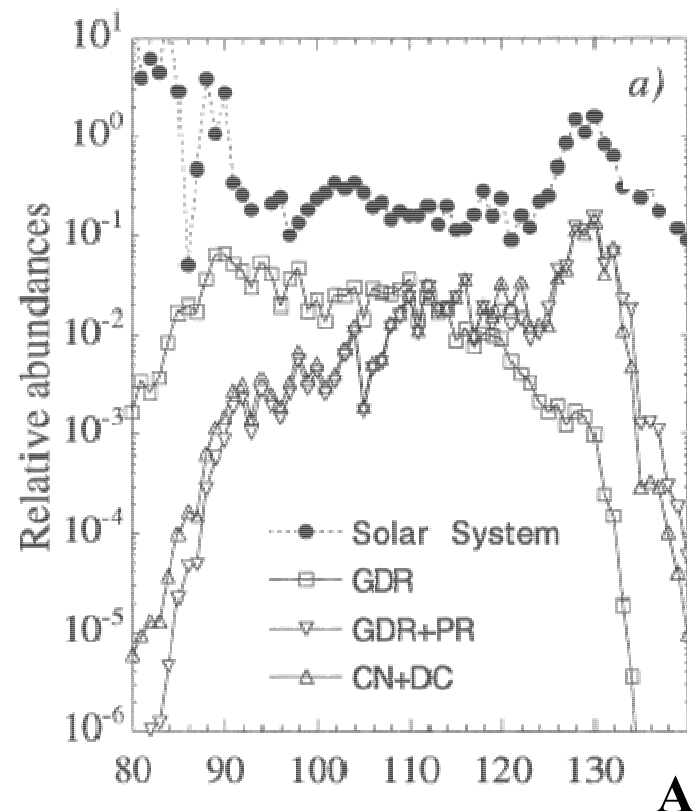
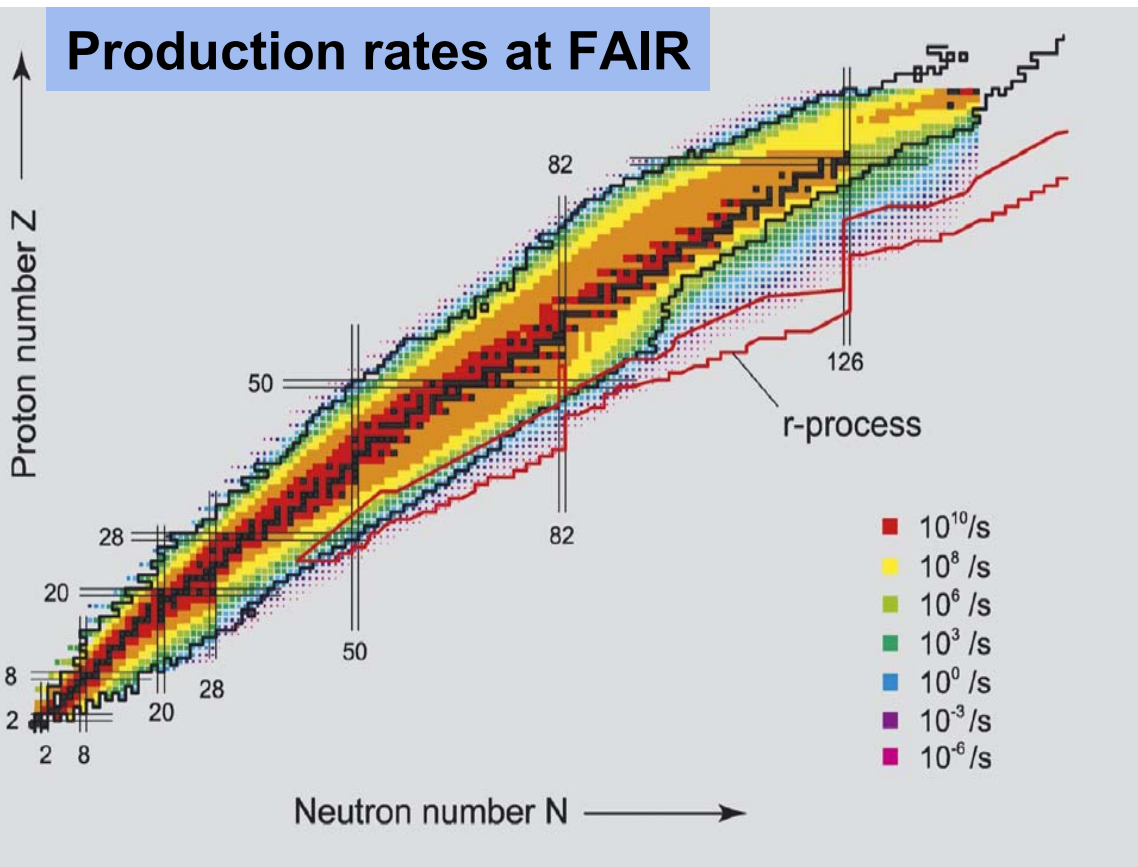
Gamov-Teller strength, spin-dipole resonance, neutron skins

shell structure, dynamical properties

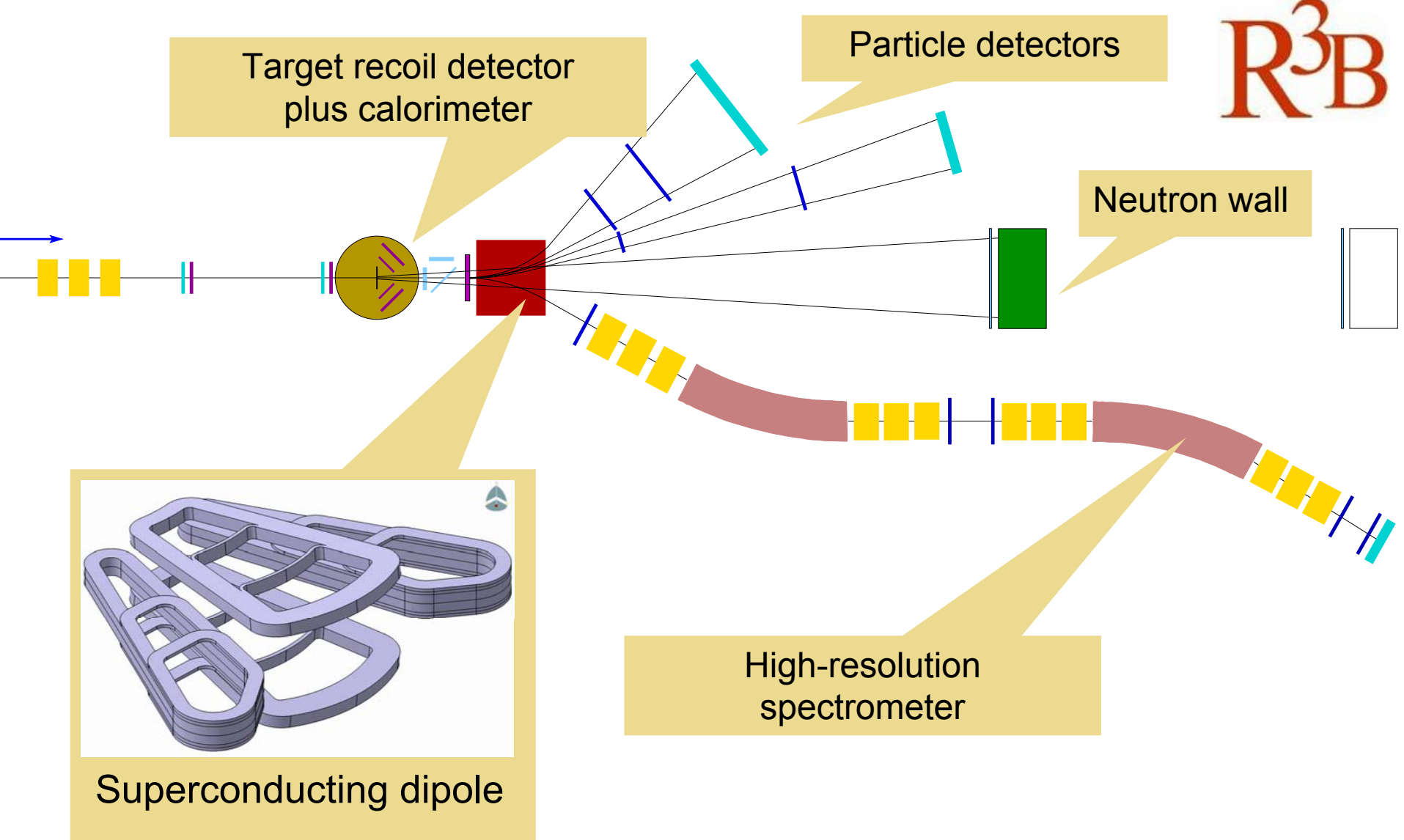
reaction mechanism, applications (waste transmutation, ...)

$\gamma$ -ray spectroscopy, isospin-dependence in multifragmentation

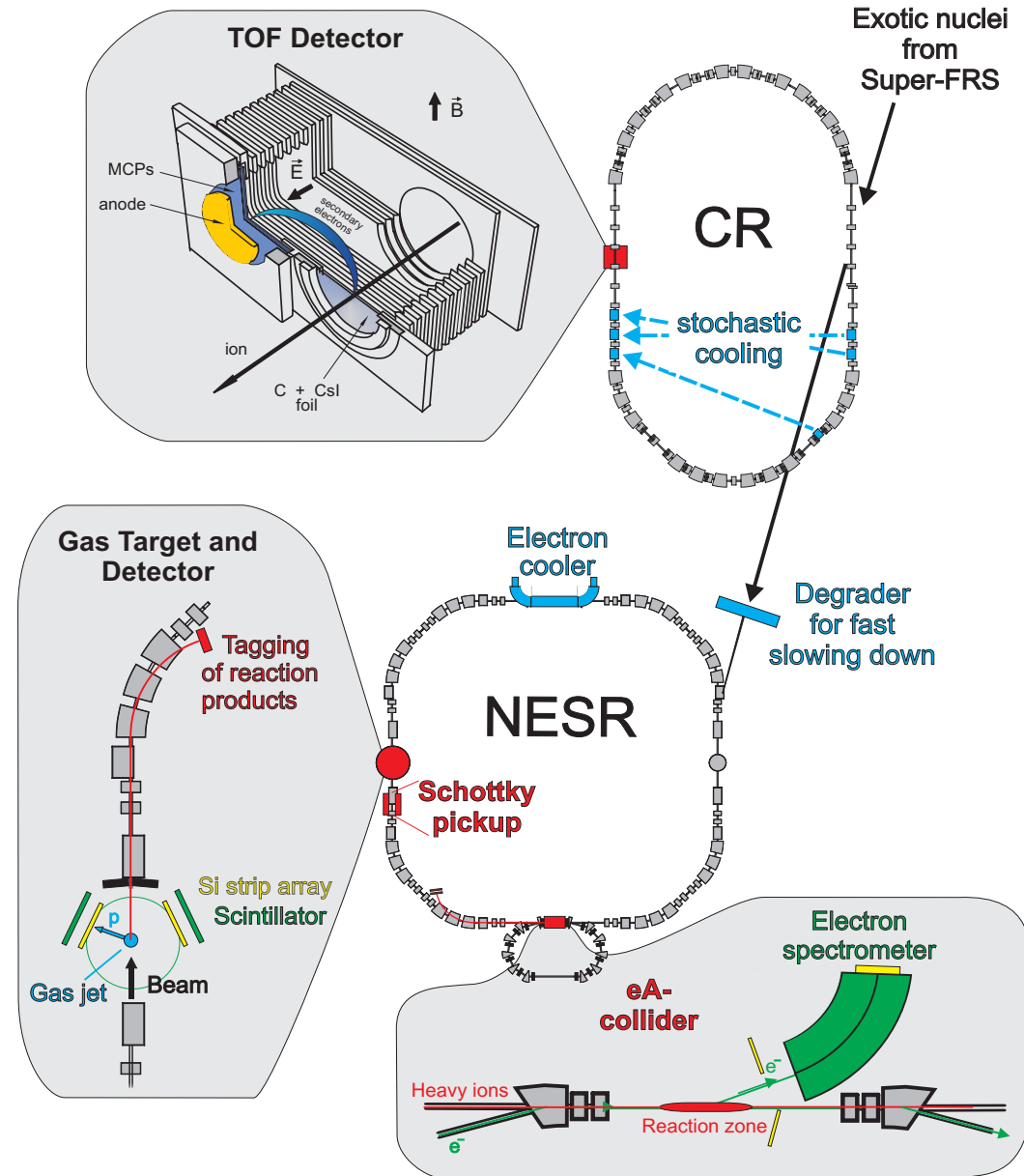
## Production rates at FAIR



- S. Goriely, Phys. Lett. B436 (1998) 10-18
- S. Goriely, E. Khan, Nucl. Phys. A706 (2002) 217-232



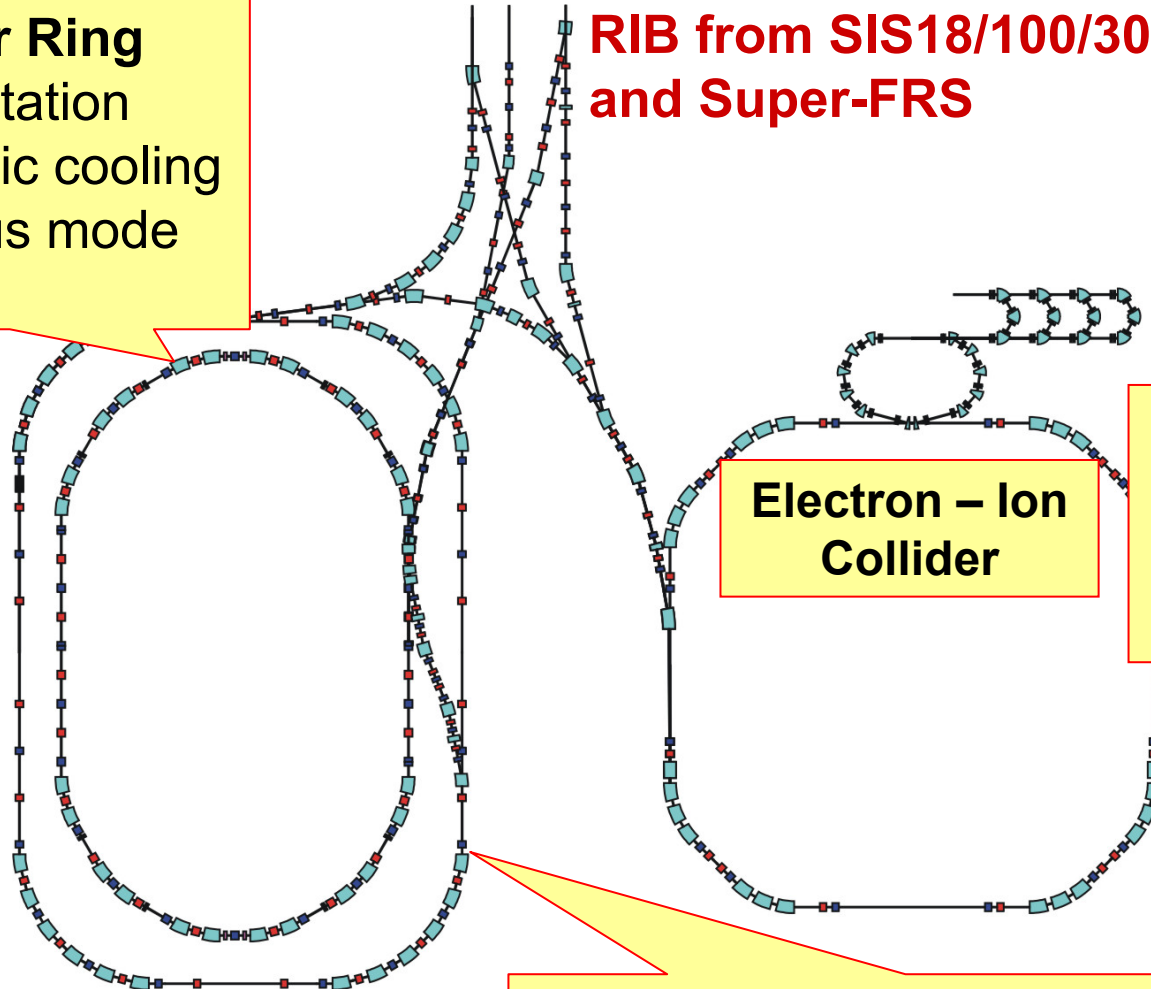
- Mass measurements
- Reactions with internal targets
  - Elastic p scatt.
  - $(p,p')$   $(\alpha,\alpha')$
  - charge-exchange
  - transfer
- Electron scattering
  - elastic scattering
  - inelastic
- Antiproton-A collider





**Collector Ring**  
 bunch rotation  
 fast stochastic cooling  
 isochronous mode

**RIB from SIS18/100/300  
 and Super-FRS**



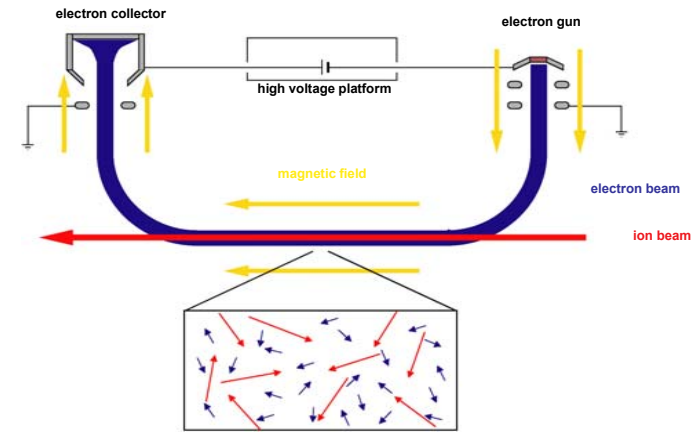
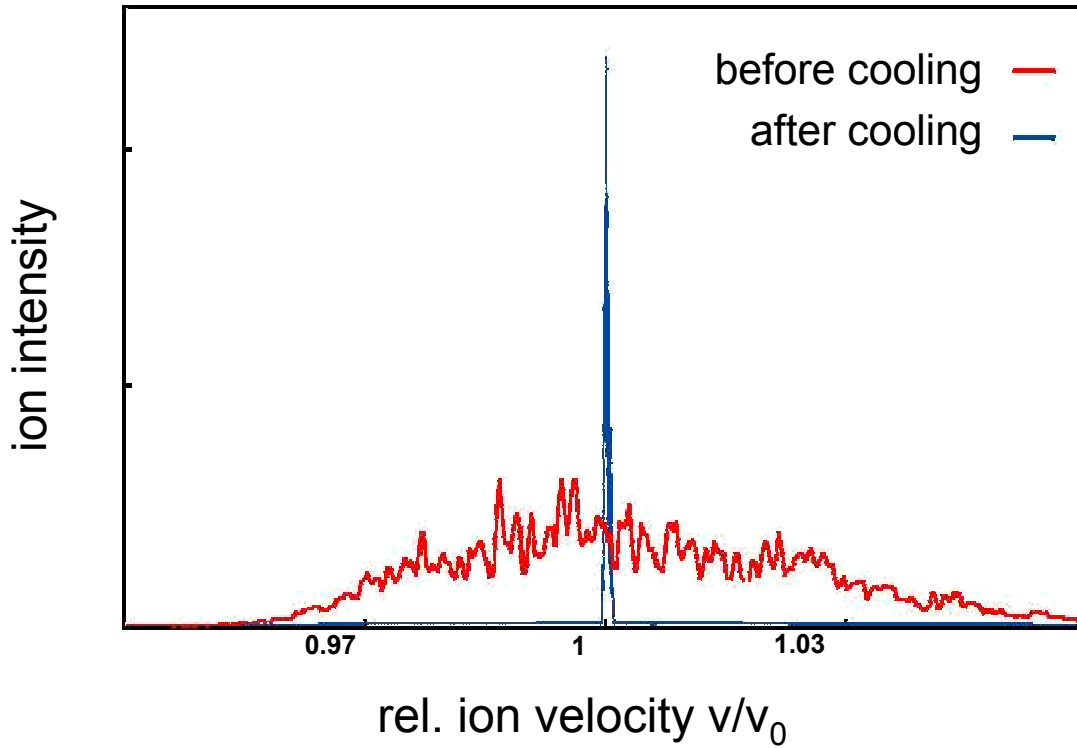
**Electron - Ion  
 Collider**

**NESR**  
 electron cooling  
 experiments with  
 internal target

**RESR**  
 deceleration (1T/s) to 100 - 400 MeV/u

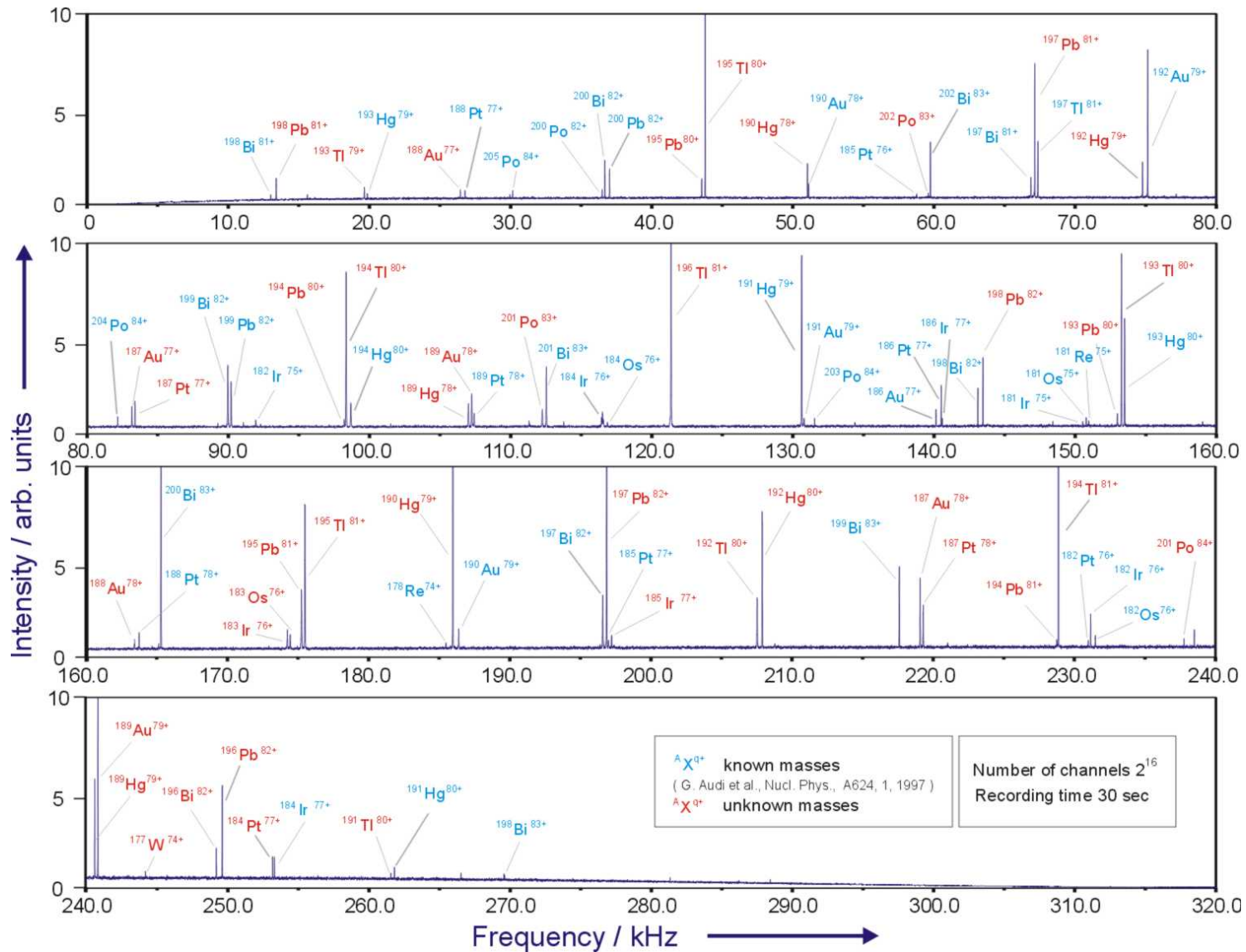


# Storage rings: Cooled beams

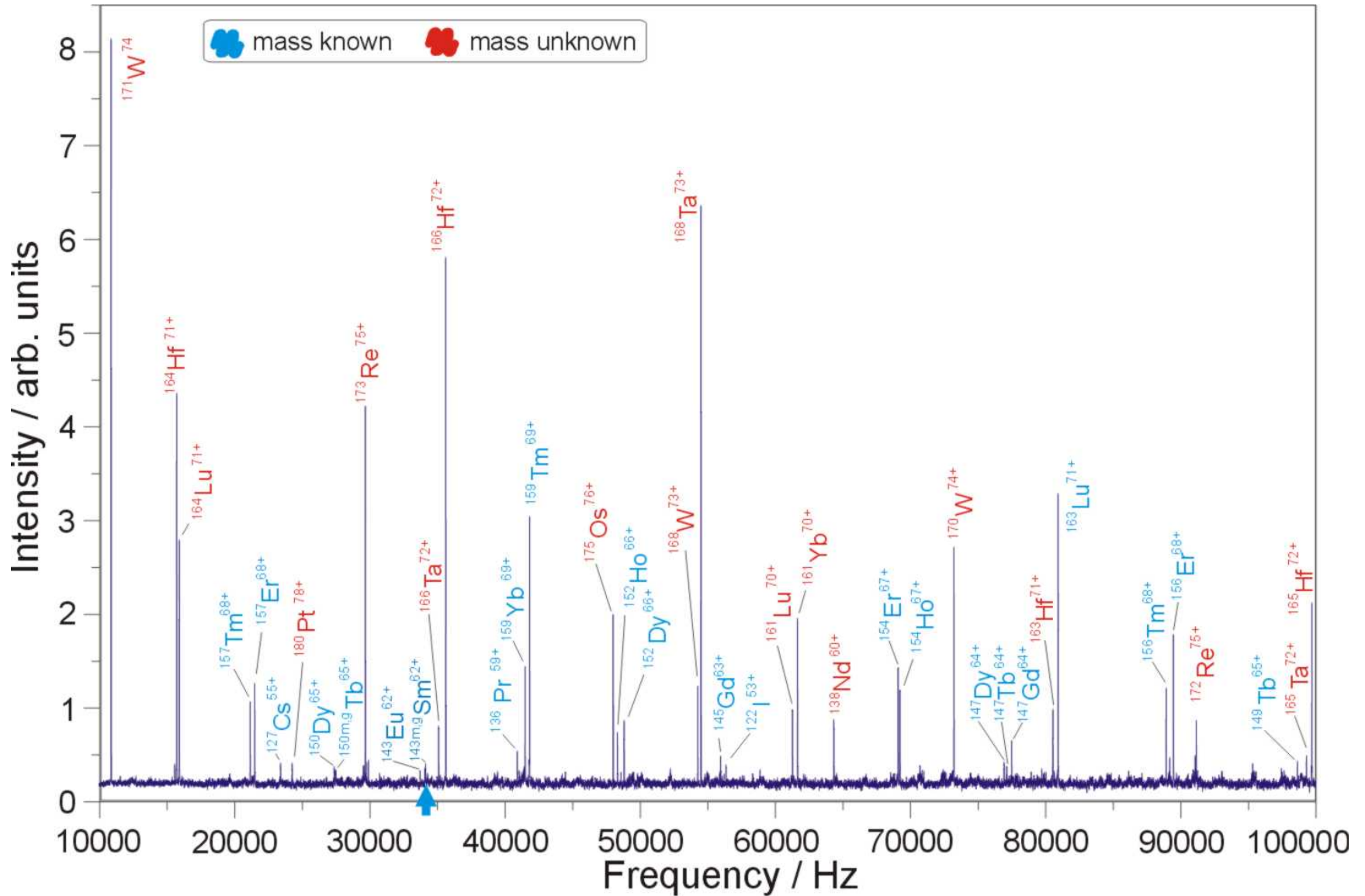




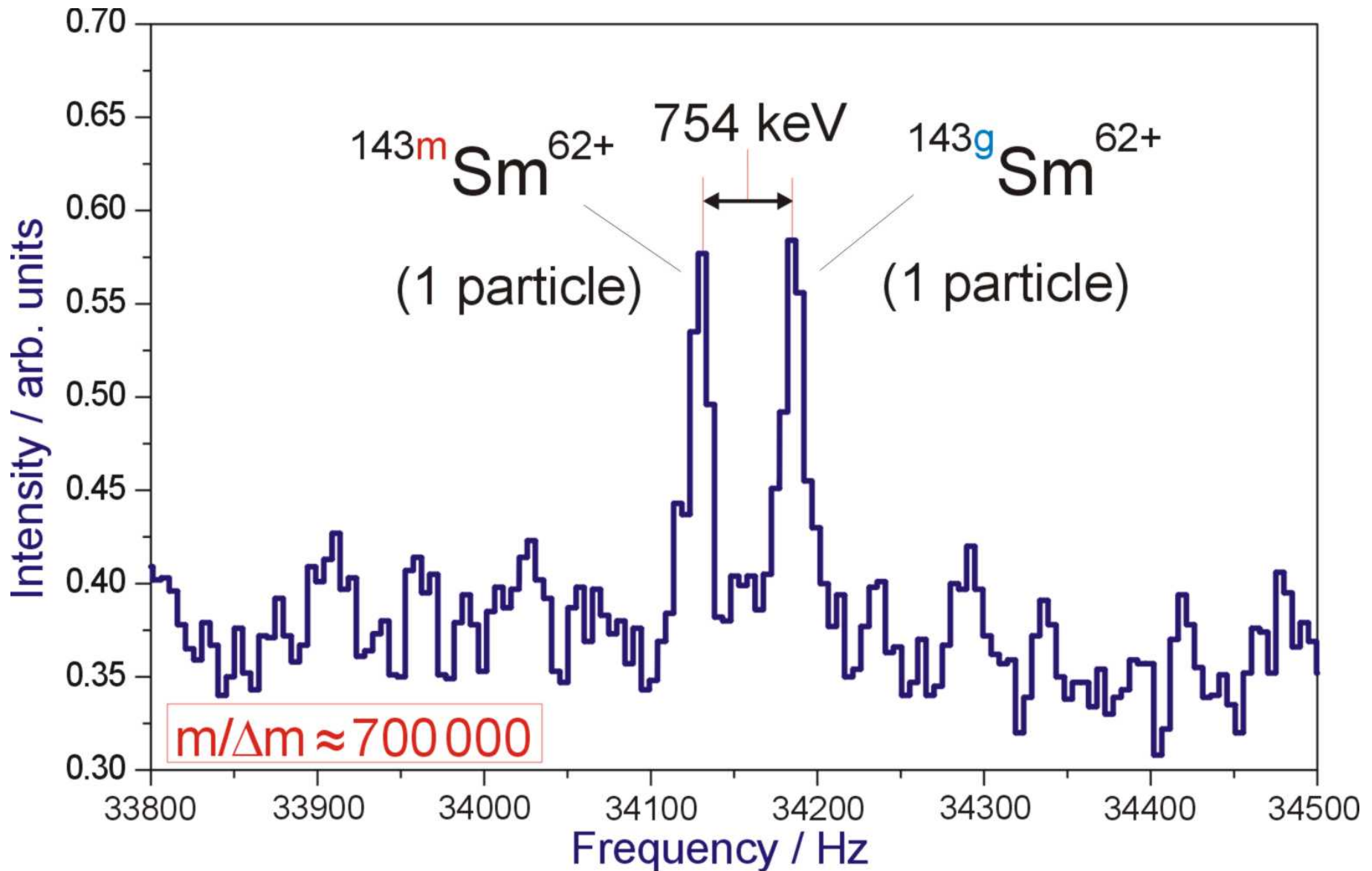
# Schottky frequency spectra

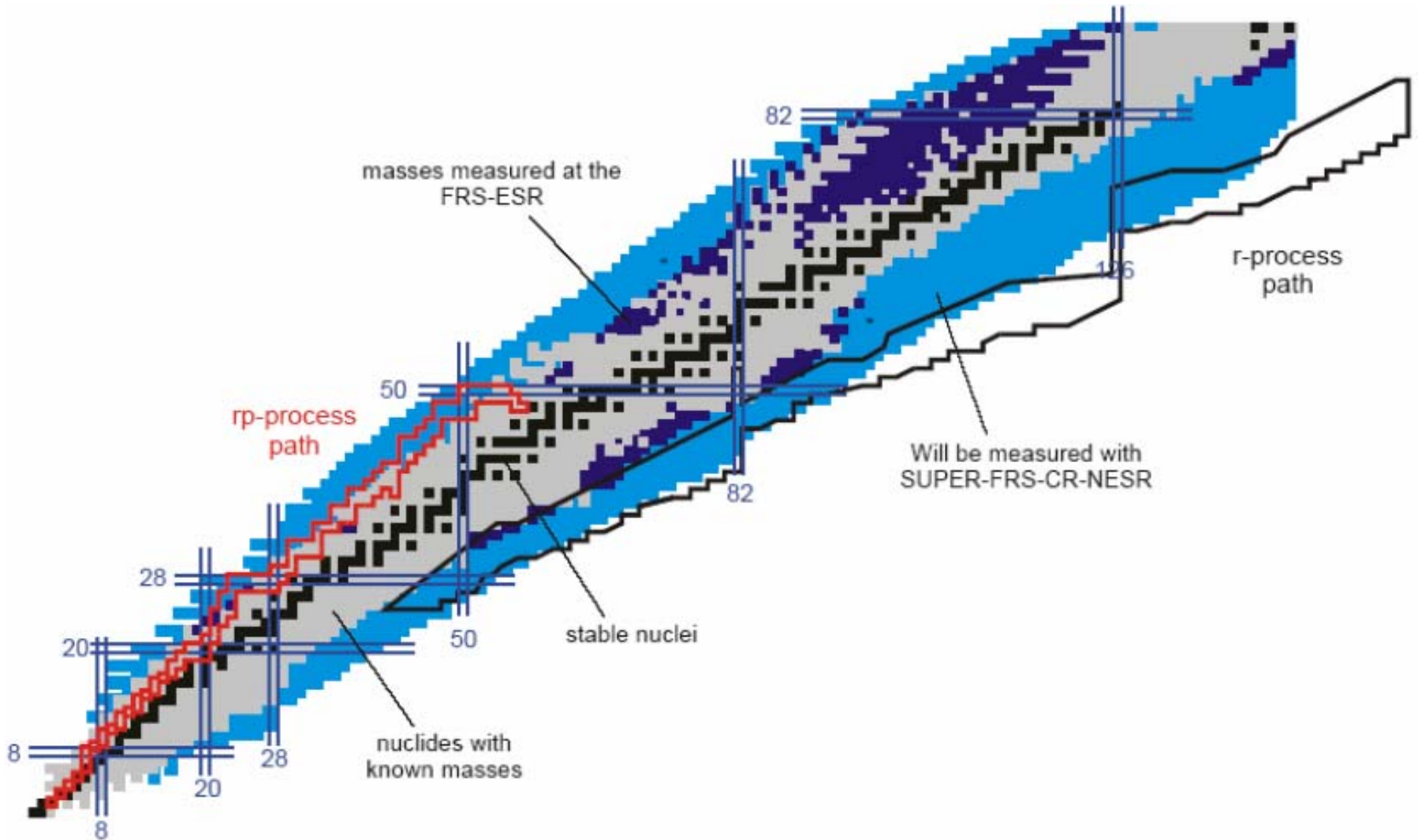


# Schottky frequency spectra



# Schottky frequency spectra







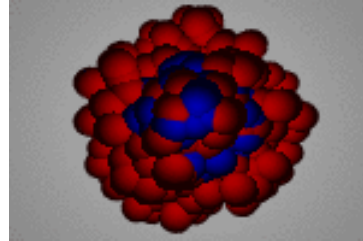
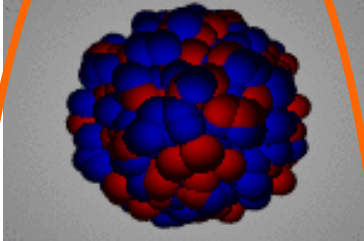
# The collective response of the nucleus: Giant Resonances

## Electric giant resonances

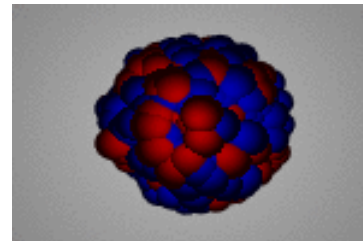
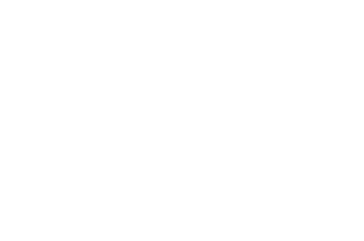
Isoscalar

Isovector

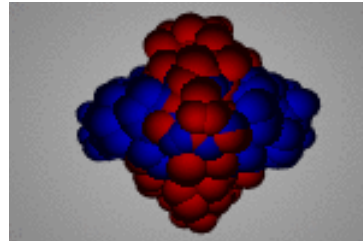
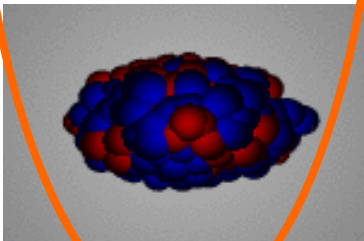
Monopole  
(GMR)



Dipole  
(GDR)

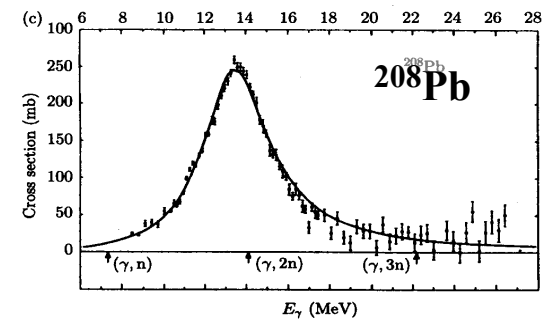
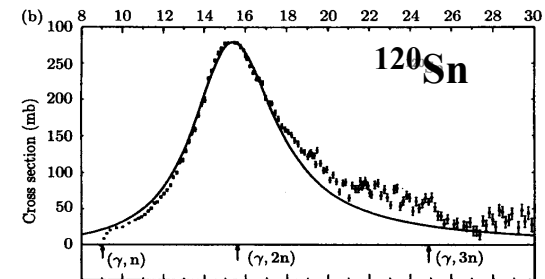
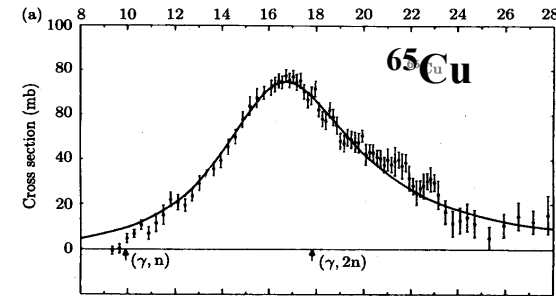


Quadrupole  
(GQR)



## Photo-neutron cross sections

Berman and Fulz, Rev. Mod. Phys. 47 (1975) 47



## Scattering in inverse kinematics

Low-momentum transfer region often most important, e.g.,

- giant monopole excitation
- elastic scattering

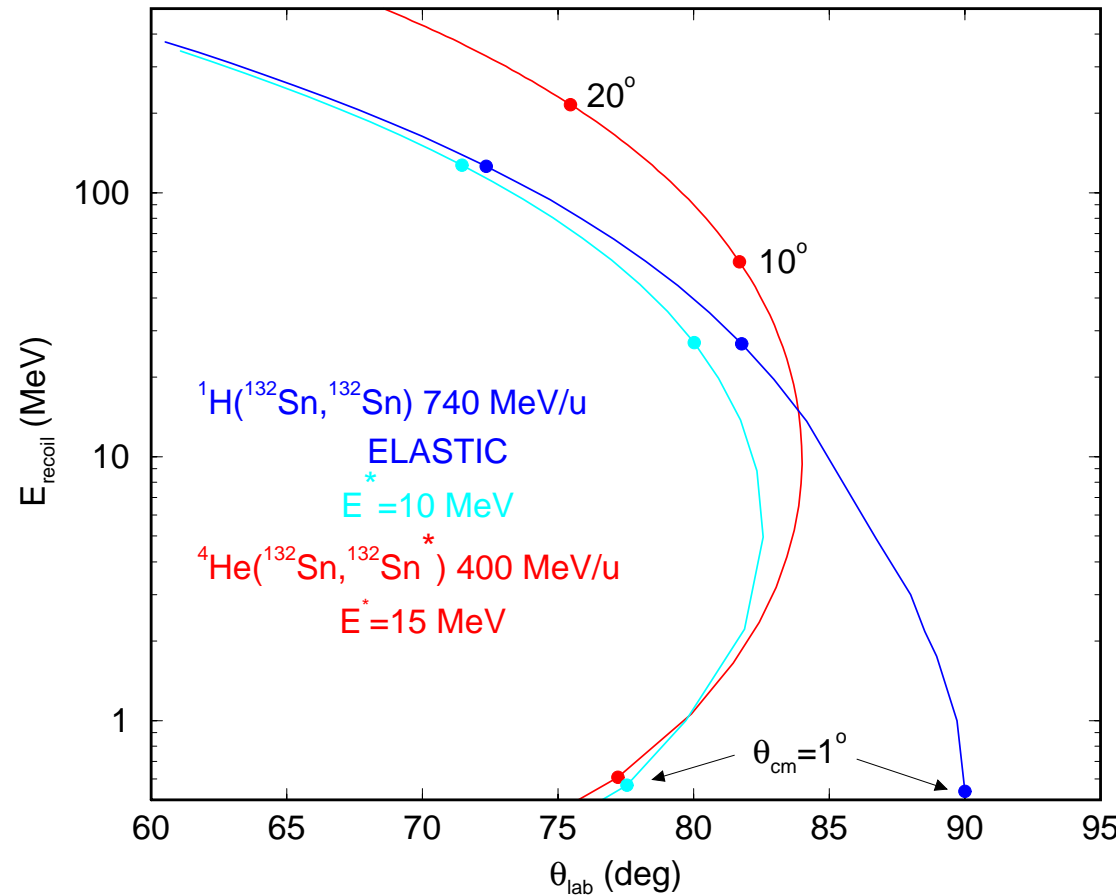
## Experimental difficulty

- low recoil energies
- thin targets (low luminosity)

## EXL solution:

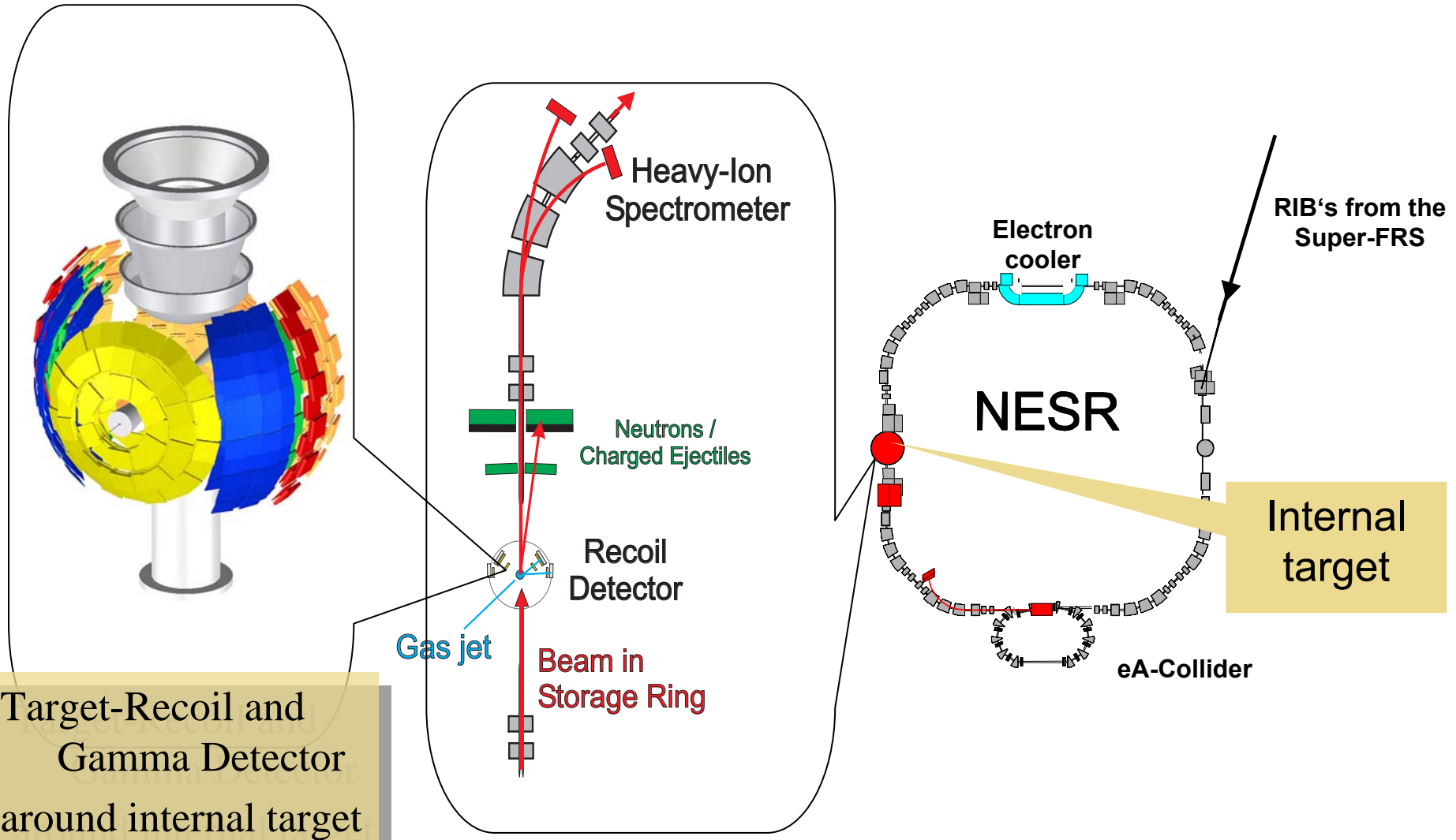
in-ring scattering at internal  
gas-jet targets

gaining back luminosity due to  
circulation frequency of  $\sim 10^6$





## EXotic Nuclei Studied in Light-Ion Induced Reactions at the NESR Storage Ring

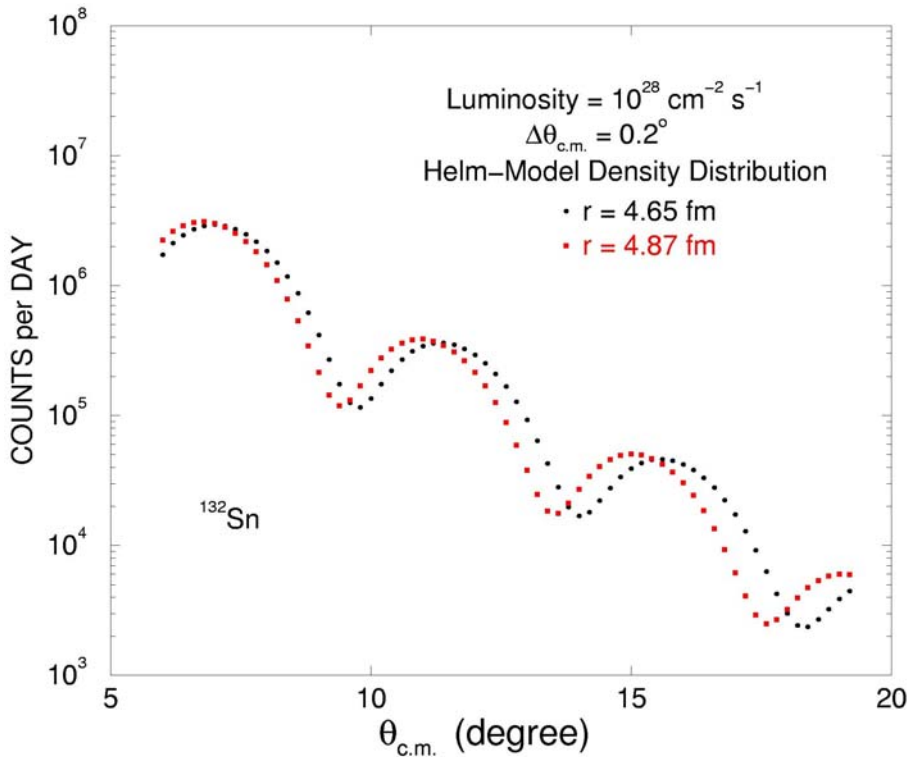




## Elastic proton scattering

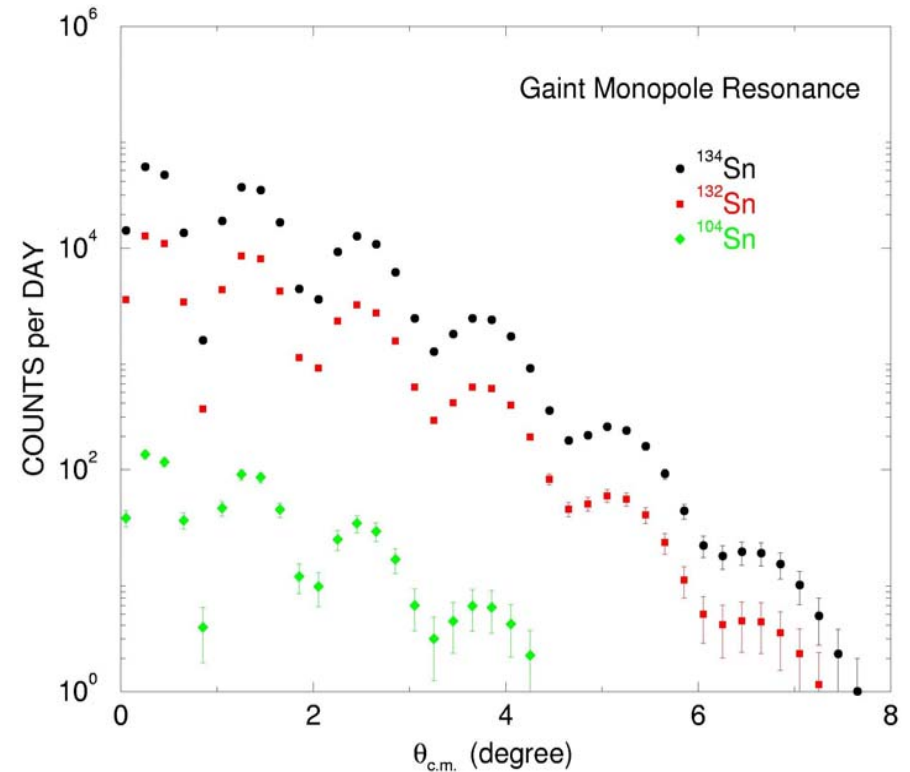
$^{132}\text{Sn}$

-> matter distribution

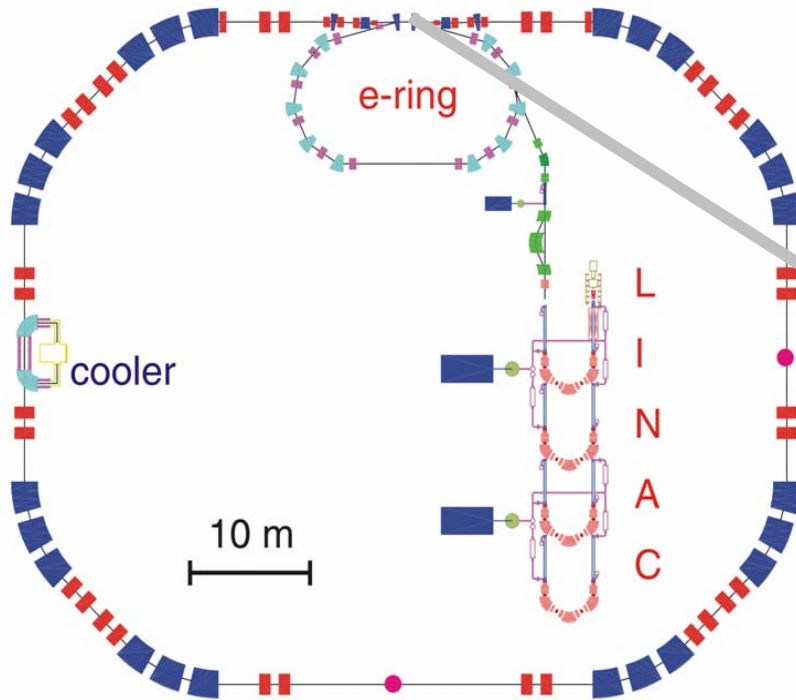


## Inelastic alpha scattering on Sn isotopes

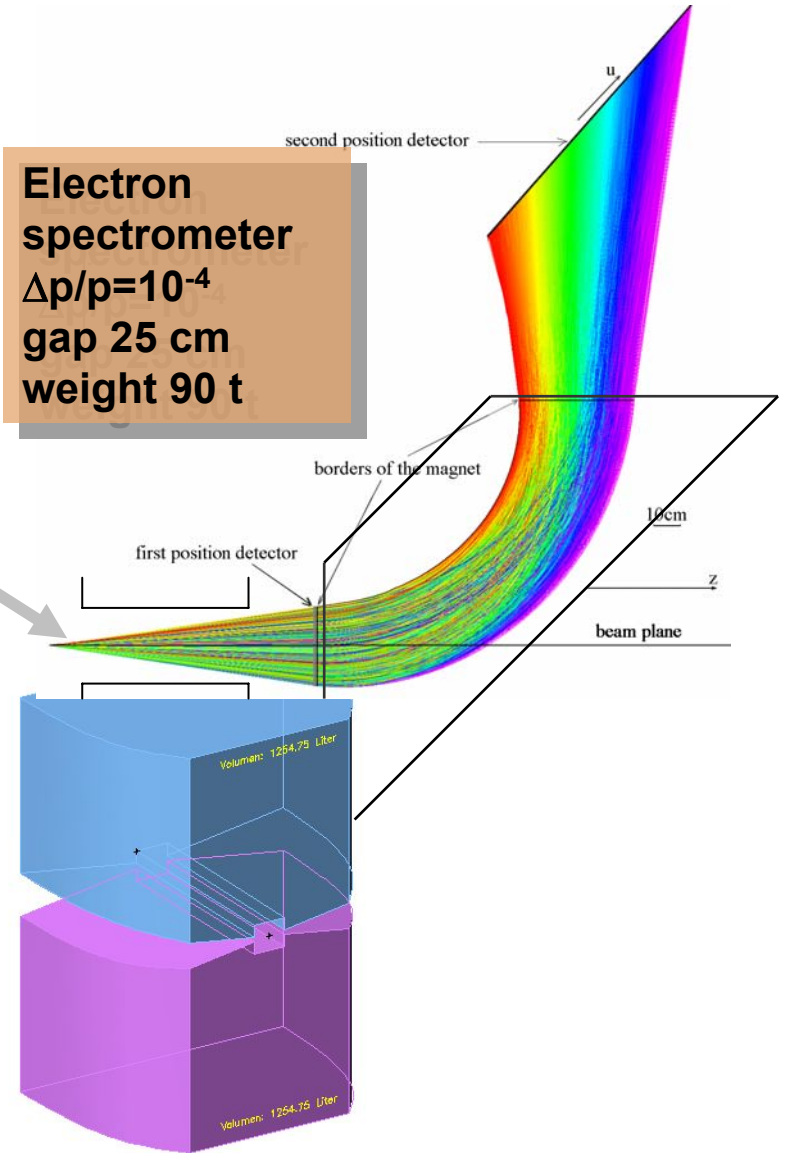
(Giant Monopole resonance)



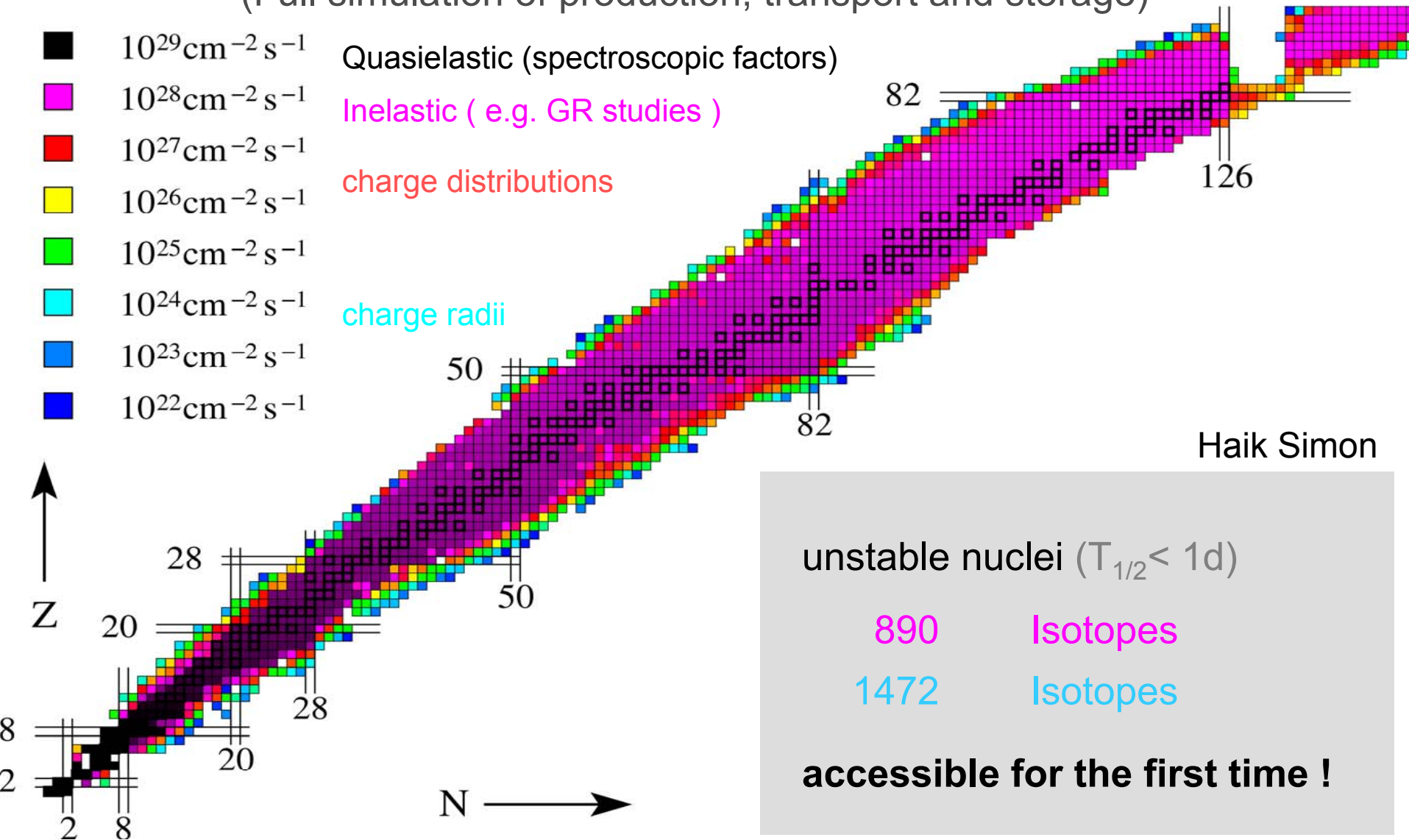
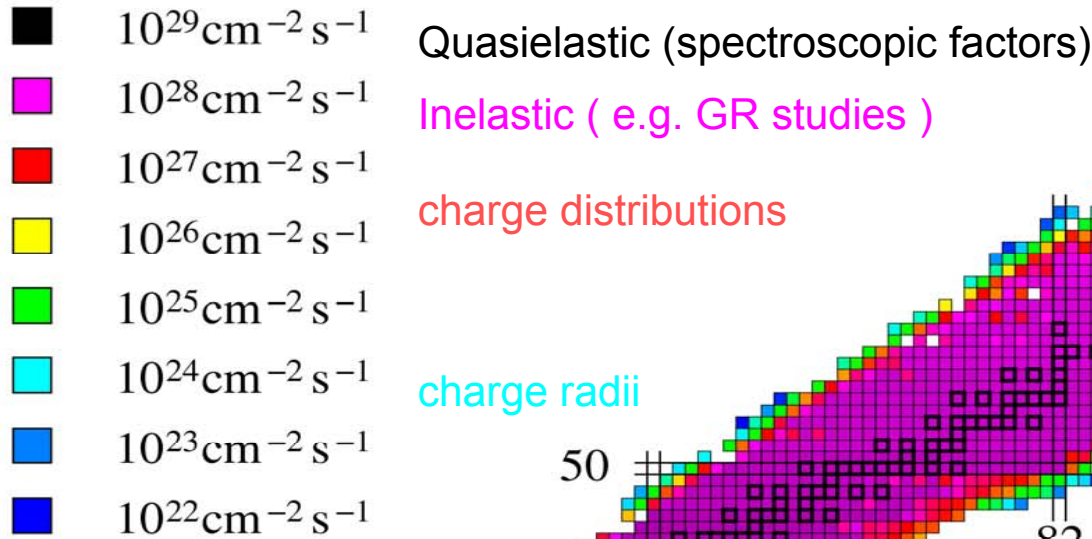
density distributions	elastic scattering $(p,p)$ , $(\alpha,\alpha)$ $(e,e)$	radii, skin, halo
shell structure in-medium interactions N-N correlations	quasi-free scattering $(p,2p)$ , $(p,np)$ $(e,e'p)$	shell occupancy spectral $S(\omega,q)$
collective modes	inelastic scattering $(p,p')$ , $(\alpha, \alpha')$ $(e.e')$	mixed isoscalar- isovector modes
spin-isospin excitations	charge exchange $(p,n)$ , $(d,^2\text{He})$ , $(^3\text{He},t)$ $(e,e')$	weak transition rates GT (astrophysics) M1
cluster correlations	quasi-free scattering $(p, p \alpha)$ , $(p,p2n)$ $(e, e'\alpha)$	cluster knockout



**Electron spectrometer**  
 $\Delta p/p = 10^{-4}$   
 gap 25 cm  
 weight 90 t



(Full simulation of production, transport and storage)



Haik Simon

unstable nuclei ( $T_{1/2} < 1\text{d}$ )

890 Isotopes

1472 Isotopes

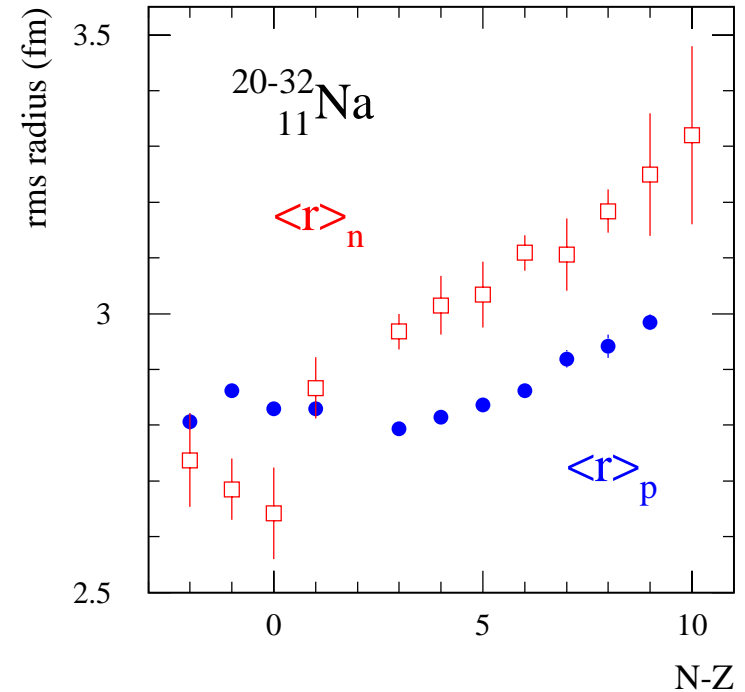
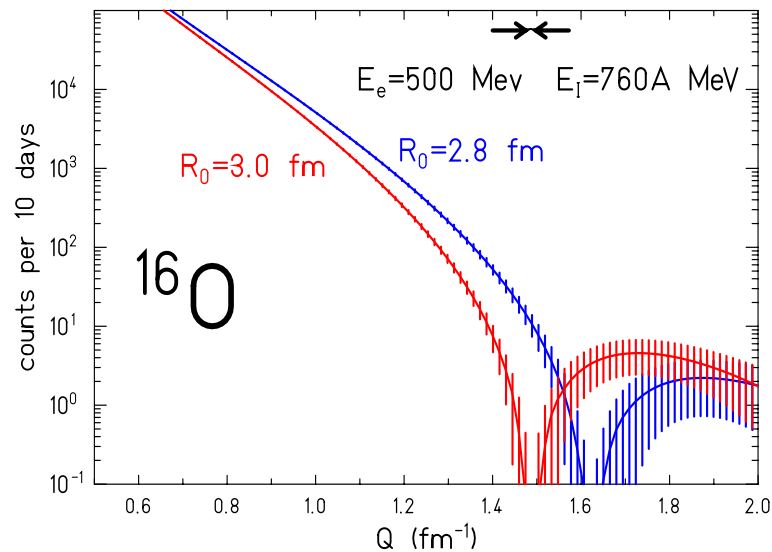
**accessible for the first time !**

Elastic proton scattering:  
**Matter distribution**

Elastic electron scattering:  
**Charge distribution**

Both combined:  
**Halos, skins, diffuseness**

→ **Symmetry energy, Equation of State, spin-orbit term**



Typical luminosity:  $10^{28} \text{ cm}^{-2} \text{ s}^{-1}$

→ possible for a wide range of nuclei

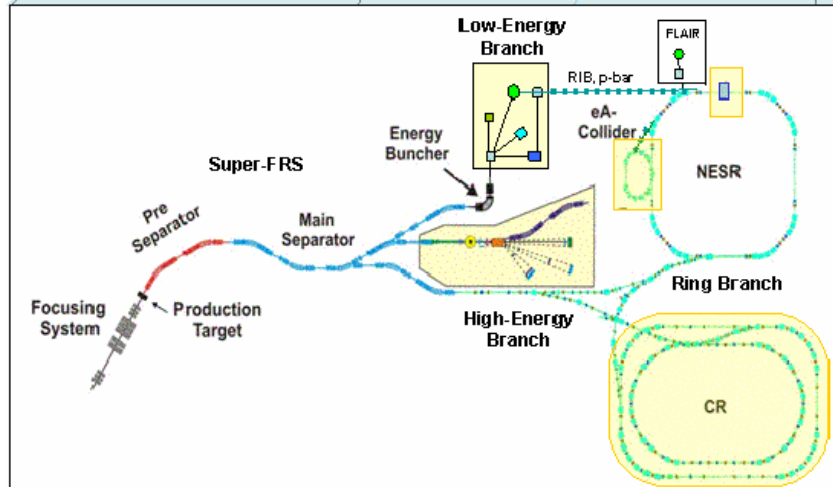
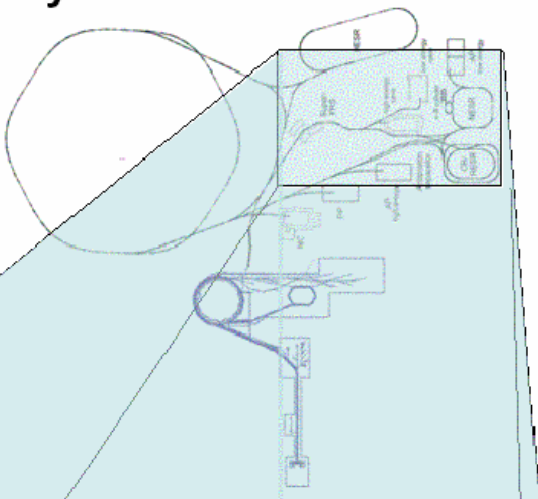




## NUSTAR Facility

### Letters of Intent

of the  
Nuclear Structure,  
Astrophysics and  
Reactions  
Collaboration  
at FAIR



**NuSTAR  
collaboration  
(~700 scientists)**

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# Conclusion

Experimental concepts utilizing reactions with high-energy fragmentation beams to study nuclear structure of radioactive nuclei were developed and optimized successfully in the past 15 years

Radioactive beams:

large emittance

low intensity

tracking, dispersion matching, cooling, ...

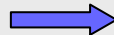
efficient setups (kinematical forward focusing, high energy, inverse kinematics, storage ring)

thick targets (high energy)

selective reactions

+

quantitative reaction models  
(high beam energy allows approximations)



precise nuclear-  
structure information

Future: higher intensities, optimized experimental setups

Access to very neutron-(proton-)rich nuclei

New experimental methods